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### **Original article**

## Genetic diversity of the west European honey bee (Apis mellifera mellifera and A. m. iberica). II. Microsatellite loci

Lionel Garnery<sup>a</sup>, Pierre Franck<sup>b</sup>, Emmanuelle Baudry<sup>a</sup>, Dominique Vautrin<sup>a</sup>, Jean-Marie Cornuet<sup>b</sup>, Michel Solignac<sup>a\*</sup>

 <sup>a</sup> Laboratoire populations, génétique et évolution, Centre national de la recherche scientifique, 91198 Gif-sur-Yvette cedex, France
 <sup>b</sup> Laboratoire de modélisation et de biologie évolutive, Institut national de la recherche agronomique, 488, rue de la Croix Lavit, 34090 Montpellier cedex, France

Abstract – The genetic variability and differentiation of west European honey bee populations (*Apis mellifera mellifera* and *A. m. iberica*) have been investigated using 11 microsatellite loci. These two subspecies are characterised by a lower genetic variability than most other studied subspecies and several tests are indicative of a recent increase of the population size. Moreover, the genetic profiles are rather homogeneous from southern Spain to Scandinavia. French populations are more or less introgressed (a few percent up to 57 %) by genes from the north Mediterranean lineage which provides most of the imported queens. The inferred percentage of introgressed nuclear genes is generally well correlated with the proportion of alien mitochondrial deoxyribonucleic acid (mtDNA) haplotypes detected in the same populations. The level of introgressed genes are disregarded, however, populations cluster in two groups which correspond to both subspecies (*iberica* and *mellifera*), giving full support to the taxonomy of this lineage. (© Inra/Elsevier, Paris

honey bee / microsatellites / population genetics / introgression / conservation

Résumé – Diversité génétique de l'abeille ouest européenne (Apis mellifera mellifera et A. m. iberica). II. Locus microsatellites. La variabilité génétique et la différenciation entre populations a été étudiée pour 11 locus microsatellites dans 15 populations de l'abeille ouest européenne. Les deux sous-espèces qui constituent ce rameau (Apis mellifera mellifera et A. m. iberica) ont une variabilité génétique

<sup>\*</sup> Correspondence and reprints

plus réduite que la plupart des autres populations étudiées avec les mêmes outils moléculaires et plusieurs tests statistiques sont révélateurs d'une réduction récente de leur effectif. De plus, les profils génétiques des populations sont très comparables, du sud de l'Espagne à la Scandinavie, Les populations françaises sont plus ou moins introgressées (de quelques pourcentages jusqu'à 57 %) par des gènes de la lignée nordméditerranéenne, les races *ligustica* et *carnica* étant les principales sources de reines importées. Le pourcentage de gènes nucléaires provenant de ces races est généralement équivalent à celui des haplotypes détectés dans les mêmes populations. Les degrés différents d'introgression sont la principale source de la distance génétique observée entre les populations ouest européennes ; cependant, lorsque ces gènes sont retirés, les populations se regroupent en deux ensembles qui correspondent aux deux sous-espèces (*iberica* et *mellifera*). Ce résultat apporte donc un soutien génétique à la taxinomie de cette lignée. © Inra/Elsevier, Paris

abeille / microsatellites / génétique des populations / introgression / conservation

### 1. INTRODUCTION

The use of microsatellites for population genetics studies is expanding exponentially. While these markers are very useful for the study of polymorphism in a variety of species, there are some organisms, namely Hymenoptera and particularly their social taxa, for which they do not mark simply a renewal but rather the emergence of a formal and population genetics. Indeed, when enzyme polymorphism emerged 30 years ago and was applied to innumerable species, the genetic variability detected in Hymenoptera remained desperately low (Sylvester, 1976; Cornuet, 1979; Nunamaker, 1980; Badino et al., 1983; Sheppard and Berlocher, 1984). Significant advances were only achieved with the introduction of DNA technologies, mitochondrial deoxyribonucleic acid (mtDNA) first and then nuclear markers, namely random amplified polymorphic DNA (RAPD), anonymous sequences and microsatellites.

Recently, RAPD markers have been used to map the honey bee genome (Hunt and Page, 1995) but, in spite of their variability and a relatively favourable situation in the species (where haploid drones can be used to baffle the drawbacks of dominant transmission at these loci), they remain of little interest for population genetics analysis where diploid workers are the main source of DNA. Similarly, a hypervariable probe has been developed for population analysis, but a single locus may not be sufficient to characterise genetic diversity of populations (Hall, 1990; McMichael and Hall, 1996). Until now, microsatellites have been mainly used in *Apis mellifera* in the fields of molecular evolution (Estoup et al., 1993, 1995b), theoretical models of mutations (Estoup et al., 1995a; Cornuet and Luikart, 1997) and reproductive behaviour and sociobiology (Estoup et al., 1994).

With the noticeable exception of mitochondrial DNA (see Part I, accompanying article), the variability of the honey bee has been developed for a long time at the phenetic level, mainly through morphometry (Ruttner et al., 1978; Ruttner, 1988). These data are of excellent quality and have been of great value in guiding subsequent molecular analyses. Morphometry has revealed that the 24 recognised subspecies in the Old World (the original geographic area of *Apis mellifera* before its dispersion around the world by humans) can be grouped in three evolutionary lineages: M for the west European honey bees, A for the

African continent and C for the north Mediterranean (see Part I, accompanying article for more details). Roughly, the same three lineages have been found with mitochondrial DNA (Smith, 1991; Garnery et al., 1992; Arias and Sheppard, 1996) and a study with seven microsatellite loci confirmed their profound genetic differentiation for nuclear genes (Estoup et al., 1995a). Recently, the study has been extended to some Iberian populations to investigate the evolutionary origin of the M lineage (Franck et al., 1998). The present work is a contribution to a more comprehensive knowledge of the genetic variability analysed in 15 populations of the two west European subspecies *Apis mellifera mellifera* and *A. m. iberica* using 11 microsatellite loci.

These populations are characterised by a low genetic variability, a low level of genetic differentiation and a variable level of introgression, mainly by alleles from the C lineage. Three populations from localities where conservatories of the local 'black' honey bees (A. m. mellifera) are established or to be established are included in this study.

### 2. MATERIALS AND METHODS

### 2.1. Sampling

A total of 571 honey bee workers from 17 populations were investigated (see Part I, figure 1 of the accompanying article). Most of them have been sampled in the geographic area of the subspecies Apis mellifera mellifera (eight from France: Sabres, Landes; Saintes, Charentes; Angers, Maine-et-Loire; Ouessant, Finistère; Avignon, Vaucluse; Annecy, Savoie; Fleckenstein, Bas-Rhin; Valenciennes, Nord; one from Belgium: Chimay; one from Sweden: Umeå), and of the subspecies A. m. iberica (two from Spain: Toledo/Segovia, Castilla; Sevilla, Andalucia; one from Portugal: Porto); two Pyrenean populations from the putative contact zone (Bayonne, Atlantic Pyrenees and San Sebastian, Basque Country) are unassigned to one or the other subspecies. The populations of Al Hoceima (Morocco, A. m. major) and Chalkidiki (Greece, A. m. macedonica), belonging to the A and C lineages respectively, have been used as references. All these populations have been previously characterised for mtDNA (see Part I, accompanying article). For each population, a single worker per colony was sampled for a total of 21 to 50 individuals per population in a radius of 10 km.

### 2.2. Molecular analyses

DNA extraction was performed according to Kocher et al. (1989), with slight modification as described by Garnery et al. (1993) (see Part I, accompanying article for a more complete description). Radioactive polymerase chain reaction (PCR) amplifications of microsatellite loci were carried out in 10  $\mu$ L as previously described in Estoup et al. (1995a) except that 0.15  $\mu$ Ci of  $\alpha^{33}$ P-dATP was used as radioactive source. Eleven pairs of primers were used to amplify the loci. Seven of them are those already described by Estoup et al. (1995a): A43, B124, A88, A113, A28, A24 and A7 and another one by Franck et al. (unpublished report): A8. The sequences of the new ones (with indication of the optimal annealing temperature and concentration in MgCl<sub>2</sub>) are given in *table I*.

Locus	Primers	Annealing temperature ( $^{\circ}C$ )	$\begin{array}{c} MgCl_2 \ (mM) \end{array}$
Ap33	5'-TTTCTTTTTGTGGACAGCG-3' 5'-AAATATGGCGAAACGTGTG-3'	54	1.2
Ap36	5'-CTACGCGCTTACAGGGCA-3' 5'-GCCGAAATTCAACGCTCA-3'	56	1.2
Ap43	5'-GGCGTGCACAGCTTATTCC-3' 5'-CGAAGGTGGTTTCAGGCC-3'	58	1.2

**Table I.** Polymerase chain reaction primers and conditions for loci Ap33, Ap36 and Ap43.

#### 2.3. Statistical analyses

Unbiased estimates of gene diversity (heterozygosity) of microsatellite loci (Hd) were calculated according to Nei (1978). The number of alleles or allelic diversity of a sample depends on the sample size, which varies among populations and loci. In order to make valid comparisons, allelic diversity has to be adjusted to a common sample size according to the following formula (El Mousadik and Petit, 1996):

$$Da(m) = \sum_{i=1}^{k} [1 - C_{n-n_i}^m / C_n^m]$$
(1)

where Da(m) is the allelic diversity for a sample size m, k the total number of alleles, n the observed sample size (n > m) and  $n_i$  the number of alleles i,  $(1 \le i \le k)$ .

The exact test for Hardy-Weinberg equilibrium, genotypic linkage disequilibrium and genic and genotypic structure were computed using the GENEPOP package version 1.2 (Raymond and Rousset, 1995). *F*-statistics were estimated according to Weir and Cockerham (1984).

Phylogenetic relationships between populations were established using the neighbour-joining (N-J) algorithm (Saitou and Nei, 1987) and the chord distance of Cavalli-Sforza and Edwards (1967), which is among the best genetic distances for recovering the correct tree topology according to Takezaki and Nei (1996). The distances of Goldstein et al. (1995) and Shriver et al. (1993), based on allele size, were also used for comparison. Bootstrap values were computed over 2 000 replications (Hedges, 1992) resampling loci or individuals. Trees of individuals were constructed with the Das (shared allele) distance (Chakraborty and Jin, 1993) and the N-J algorithm according to Bowcock et al. (1994) and Estoup et al. (1995a).

To approximate nuclear introgression in the populations, we estimated the frequency of alien alleles in *mellifera* populations for nine loci (all studied loci except B124 and Ap33) for which one or several alleles seem to be diagnostic between the M and C lineages. The proportion of introgressed alleles (*IR*) was calculated by locus as follows:

$$IR = \sum_{i \in D} p_i / \sum_{i \in D} q_i \tag{2}$$

where  $p_i$  and  $q_i$  are the allelic frequencies in the different M populations and in the Chalkidiki population, respectively, and D is the set of diagnostic alleles at the locus. We tested the homogeneity of the introgression of diagnostic alleles per locus and per population using Fisher's exact test obtained through a Markov process according to Raymond and Rousset (1995).

### 3. RESULTS

#### 3.1. Genetic diversity

Allelic frequencies for all locus × sample combinations are detailed in *table II* which also gives observed (Hp) and calculated (Hd) heterozygosities. The number of alleles per locus, the allelic diversities Da and the effective allele diversities Da(m) are summarised in *table III* considering either the raw data or the data corrected for introgressed alleles. Compared to Chalkidiki and Al Hoceima, the *mellifera* and *iberica* populations show lower variability.

Among 187 ( $17 \times 11$ ) locus × sample combinations, 11 significant departures from the Hardy-Weinberg equilibrium were detected when nine are expected by chance alone at the 5 % level. Two significant tests were obtained for each of the following four populations: Fleckenstein, Angers, Avignon and Umeå.

Within populations, 70 pairs of loci present a significant linkage disequilibrium over 825 ( $55 \times 15$ ) tests. Two or three linkage disequilibria are expected to be significant by chance alone among the 55 tests performed between loci taken pairwise within each population. This value was exceeded, sometimes considerably, in four populations: Avignon (6), Bayonne (8), Sabres (10) and Angers (19). Ten cases of cytonuclear disequilibrium were detected over the 181 tests performed. The multiple probability test by pair of loci across all populations (Fisher's method) was significant for 12 nuclear pairs and one cytonuclear pair (*B124*) over, respectively, 55 and 11 tests performed (populations, global, GENEPOP; Raymond and Rousset, 1995).

### **3.2.** Diagnostic alleles

Most of the French populations of *mellifera* are slightly to heavily introgressed by C mitochondrial haplotypes (see Part I, accompanying article). We looked for a concomitant introgression of nuclear genes. For nine loci, it appears that some alleles that exist at intermediate or high frequency in the Chalkidiki population, the reference population of the C lineage, are also present with a variable frequency in A. m. mellifera populations. This is, for example, the case for the large alleles (158 to 166) at locus A8 or for allele 141 at locus A43 (table II). These alleles are generally located at one extreme of the size distribution of the M lineage. Moreover, they have a very high frequency in A. m. mellifera populations which also exhibit a high frequency of C mtDNA haplotypes, namely Angers and Fleckenstein (Garnery et al., accompanying paper) and a low frequency in the other mellifera populations which have a low frequency of C haplotypes, whereas they are absent or nearly so in A. m. iberica, which are not introgressed by C haplotypes. It would be interesting to confirm

Al Hoceima $(n = 56)$	0.071	0.232	0.125	0.036	0.071		0.107	0.018	0.054	0.036	0.018	0.089	0.054	0.018	010.0	0.929	0000	Al Hoceima $(n = 56)$		0.089	0.018	0.446	044-0	0.143	0.089				$0.750 \\ 0.731$
$\begin{array}{l} \text{Chalkidiki} \\ (n = 60) \end{array}$	0.100	0.083	0.067	0.167	0.050	0.017	0.033	0.017	0.017	0.067	1.10.0					0.967	10010	Chalkidiki (n = 60)	0.017					0.100	0.350	0.317	0.117	0.083	0.733
Umeå (n = 44)	0.045	0.045	0.114	0.159	0.023		0.136	0.205	0.182	0.068						0.864	0.000	$Ume \hat{a}$ (n = 44)		0.727				0.227	0.023			0.023	$0.364 \\ 0.428$
$\begin{array}{c} \text{Chimay} \\ (n=60) \end{array}$	0.017	0.333	0.067	0.117	0.067	0.100	0.017	0.050	0.050	0.050	060.0	0.050	10.0	110.0		0.800	10010	$\begin{array}{l} \text{Chimay} \\ (n=60) \end{array}$	-	0.783				0.133		0.050	0.033		0.367 0.371
Fleckenstein Valenciennes $(n = 60)$ $(n = 58)$	0.034	0.017	0.086	0.155	0.017	0.086	0.069	0.086	0.069	0.069	10.0	0.034	1.10.0			0.828	660.0	Valenciennes $(n = 58)$		0.793		0.017	110-0	0.138		0.017	0.017	0.017	$0.414 \\ 0.357$
Fleckenstein $(n = 60)$	0.017	0.167	0.033	0.067	0.083	0.067	0.017	0.033	0.033			0.017				0.733	170.0	Fleckenstein $(n = 60)$		0.267		0.083	0.033	0.300	0.117	7 TO: 0	001.0	0.017	0.667
Annecy $(n = 100)$	0.040	0.040	0.120	0.180	0.080	0.070	0.040	0.060	0.070	0.020	0.030	0.010				0.820	0.0.0	Annecy $(n = 100)$		0.790				0.110	0.050	0.010	0.020	0.020	0.320 0.364
Montfavet $(n = 60)$		0.433	0.100	0.067		0.033	0.050	0.133	0.100	0.033	1.10.0	0.033				0.800		$\begin{array}{l} \text{Montfavet} \\ (n=60) \end{array}$		0.917				0.017	0.017	0.017	0.017	0.017	0.167 0.161
Ouessant (n = 98)		0.082	-000	0.204		0.041	0.194	0.071	0.286	0010	0.122					0.755	610.0	$\begin{array}{l} \text{Ouessant} \\ (n=100) \end{array}$		0.960				0.020			0.020		0.080 0.078
Angers $(n = 98)$	0.020	0.184	0.092	0.214	0.122	0.010	0.071	0.061	0.102	170.0	0.020	0.010	0100	010.0	0.010	0.837	0.000	$\substack{\text{Angers}\\(n=98)}$		0.776				0.061	0.061	0.071	0.020	0.010	0.388 0.389
Saintes $(n = 58)$	0.121	0.034 0.155	0.086	0.034	0.034	0.121	0.052	0.034	0.069	0.190		0.052		0.017		0.931	102.0	$\begin{array}{l} \text{Saintes} \\ (n=58) \end{array}$		0.862				0.017	0.034	0.034	0.034	0.017	$0.276 \\ 0.257$
Bayonne $(n = 84)$		0.012	0.095	0.143	0.167	0.083	0.060	0.095	0.036	0.071	0.036	0.012	0.012			0.833	-20-D	Bayonne $(n = 84)$		0.929				0.036	0.024	0.019	PT0-0		$0.119 \\ 0.137$
Sabres $(n = 100)$	0.010	0.020	0.090	0.290	0.110	0.070	0.100	0.040	0.080	0.030	0.020	0.030	0.020			0.900	710.0	$\substack{\text{Sabres}\\(n=100)}$		0.910				0.070		0.000	0.00		$0.140 \\ 0.168$
Porto (n = 56)		0.018	0.286	0.250	0.232	0.089	0.036	0.018	0.018	0.018	0.018	0.018				0.929	0000	$\begin{array}{l} \text{Porto} \\ (n=56) \end{array}$		0.946	0.0	0.018		0.036					$0.107 \\ 0.105$
SanSebas. (n = 50)	0.040	0.160	0.320	0.160	0.060	0.060	0.060	0.100	0.020			0.020				0.800	01-0-0	SanSebas. $(n = 50)$		0.920	0000	070.0		0.040	0.020				$0.160 \\ 0.154$
Sevilla $(n = 56)$			0.357	0.143	0.036	0.161	0.089	0.089	0.071	0.018	0.036					0.821	110.0	Sevilla $(n = 56)$		0.893				0.107					0.071
Castilla $(n = 42)$		0.048	0.381	0.167	0.143	0.048	0.071	0.095	0.024	0.024						0.810	0000	Castilla $(n = 42)$		0.929				0.071					$0.143 \\ 0.136$
Allele (pb)	212 214 216	218 230	222	224	226	228	230	232	234	236	238	240	242	244	047	062		Allele (pb)	116	148	120	152	155 155	156	158*	159 160*	$162^{*}$	164* 162*	BOT
B124																$d_{H}$	n77	$\underset{A8}{\text{Locus}}$											$^{Hp}_{Hd}$

Table II. Allele frequency at 11 loci in 17 honey bee populations.

### L. Garnery et al.

Al Hoceima $(n = 56)$	0.036 0.679 0.071 0.018 0.054	0.125 0.018	0.571 0.523	Al Hoceima $(n = 56)$	0.018	0.286	0.018	0.054	0.071 0.018	0.054			0.143	0.268	0.071 0.821 0.824
$\begin{array}{l} \text{Chalkidiki}\\ (n=60) \end{array}$	0.017	0.467 0.517	0.567 0.524	Chalkidiki $(n = 60)$	0.083					0.033	0.850	0.017	0.017		0.267 0.273
Umeå (n = 44)	0.864	0.091	$0.182 \\ 0.250$	${ m Ume}{a}$ $(n=44)$		0.682				0.295	0.023				0.455 0.458
$\begin{array}{l} \text{Chimay}\\ (n=60) \end{array}$	0.850	0.117	0.233	$\begin{array}{l} \text{Chimay}\\ (n=60) \end{array}$		0.900				0.083	0.017				$0.200 \\ 0.186$
Fleckenstein Valenciennes (n = 56) $(n = 58)$	0.810	0.138 0.052	0.276 0.327	$\begin{array}{l} \text{Valenciennes} \\ (n=56) \end{array}$		0.804				0.143	0.054				0.321 0.337
Fleckenstein $(n = 56)$	0.393	0.304 0.304	0.643 0.673	Fleckenstein $(n = 60)$	0.100	0.367				0.150	0.350	210.0			0.700 0.722
$\begin{array}{l} \text{Annecy} \\ (n=100) \end{array}$	0.780	$0.140 \\ 0.080$	0.420 0.369	$\underset{(n = 100)}{\text{Annecy}}$		0.740				0.180	0.060	0.010	0.010		$0.380 \\ 0.420$
$\begin{array}{l} \text{Montfavet} \\ (n=60) \end{array}$	0.917	0.050 0.033	0.100 0.159	$\begin{array}{l} \text{Montfavet} \\ (n=60) \end{array}$		0.750 0.017	0.017	110-0		0.150	0.050			0.017	0.400 0.419
$\begin{array}{l} \text{Ouessant} \\ (n=100) \end{array}$	0.920	0.080	$0.160 \\ 0.149$	Ouessant (n = 100)		0.790				0.210					0.340 0.335
Angers $(n = 98)$	0.653	0.194 0.153	0.571 0.518	Angers $(n = 98)$		0.602				0.173	0.184	0.020			0.490 0.579
$\begin{array}{l} \text{Saintes} \\ (n=58) \end{array}$	0.862	0.138	0.276 0.242	Saintes $(n = 58)$		0.810				0.155	0.034				$0.379 \\ 0.324$
Bayonne $(n = 84)$	0.833	0.143 0.024	0.214 0.288	Bayonne $(n = 84)$		0.810				0.143	0.048				0.333 0.326
$\begin{array}{c} \text{Sabres} \\ (n=100) \end{array}$	0.910	060.0	0.140	$\substack{\text{Sabres}\\(n=100)}$		0.800				0.190	0.010				$0.320 \\ 0.327$
$\begin{array}{l} \text{Porto} \\ (n=56) \end{array}$	0.982	0.018	0.036 0.036	$\begin{array}{l} \text{Porto} \\ (n=56) \end{array}$		0.964		0.018		0.018					0.071 0.071
Locus Allele Castilla Sevilla SanSebas. B24 (pb) $(n = 42)$ $(n = 56)$ $(n = 50)$	0.96.0	0.040	0.080 0.078	SanSebas. $(n = 50)$		0.880		060.0		0.080	0.020				$0.240 \\ 0.223$
Sevilla $(n = 56)$	0.929	0.071	0.143 0.135	Sevilla $(n = 56)$		0.893		0.036			0.071	TION			0.214 0.200
Castilla $(n = 42)$	0.905	0.095	0.191 0.176	Castilla $(n = 42)$		0.929		0.024		0.048					$0.143 \\ 0.138$
Allele (pb)	97 98 101 102	$106^{1}$		Allele (pb)	$126 \\ 127^*$	128 130	132 133	134	138 E	139	141* 143	143	145	146 148	001
Locus B24			$_{Hd}^{Hp}$	Locus A43											$_{Hd}^{Hp}$

Al Hoceima $(n = 56)$		0.054		0.036	0.018	0.054	0.018	0.018	0.143	0.161	0.161	0.125	0.071	0.036	0.054	0.036	0.018				0.910	0.929
Chalkidiki $(n = 60)$					0.017		0.033	0.133	0.133	0.217	0.167	0.117	0.017	0.033	0.117			0.017			0.874	0.900
$Ume \hat{a}$ (n = 42)			0.190				0.024		0.071	0.024	0.167	0.024	0.143	0.143	0.048	0.071	0.071		0.024		0.897	0.905
$\begin{array}{c} \text{Chimay} \\ (n=60) \end{array}$		0.017	0.150	0.017	0.033			0.017	0.017	0.050	0.167	0.150	0.200	0.100	0.067			0.017			0.883	0.867
Valenciennes $(n = 58)$			0.138				0.017	0.034	0.017	0.034	0.172	0.172	0.138	0.121	0.086	0.052		0.017			0.890	0.828
Fleckenstein $(n = 60)$			0.117	0.017	0.050	0.017	0.083	0.233	0.117	0.100		0.067	0.200								0.868	0.900
$\begin{array}{l} \text{Annecy} \\ (n=100) \end{array}$	0.020		0.130	0.030	0.010	0.010		0.010	0.030	0.120	0.160	0.090	0.100	0.160	0.090	0.030	0.010				0.897	0.940
$\begin{array}{l} \text{Montfavet} \\ (n=60) \end{array}$			0.250	0.017	0.017	0.017	0.100	0.050	0.050	0.067	0.083	0.167	0.133	0.017	0.017	0.017					0.879	0.867
$\begin{array}{l} \text{Ouessant} \\ (n=100) \end{array}$			0.020						0.120	0.030	0.330	0.260	0.210	0.010		0.020					0.771	0.800
Angers $(n = 98)$	0.010		0.133	0.031			0.031	0.010	0.061	0.133	0.051	0.184	0.184	0.031	0.071	0.031	0.010		0.020	0.010	0.890	0.959
Saintes $(n = 58)$			0.241				0.017	0.017	0.052	0.069	0.069	0.155	0.155	0.086	0.052	0.017	0.069				0.881	0.931
Bayonne $(n = 84)$			0.440	0.036	0.012		0.012	0.024	0.083	0.095	0.095	0.036	0.060	0.083	0.024						0.776	0.810
$\begin{array}{l} \text{Sabres} \\ (n=100) \end{array}$			0.220	0.020			0.010	0.040	0.070	0.100	0.150	0.090	0.140	0.130	0.030						0.875	0.820
$\begin{array}{l} \text{Porto} \\ (n=56) \end{array}$		0.018	0.071	0.036	0.018	0.089		0.071	0.071	0.018	0.089	0.339	0.125	0.054							0.848	0.714
SanSebas. $(n = 50)$		0.020	0.120	0.140		0.020	0.020	0.040	0.040	0.060	0.040	0.220	0.220	0.040	0.020						0.875	0.880
Sevilla $(n = 56)$			0.125	0.071	0.036	0.036	0.018	0.018	0.161	0.143	0.036	0.125	0.107	0.107	0.018						0.906	0.964
$\begin{array}{l} \text{Castilla}\\ (n=42) \end{array}$	0.024		0.238	0.119	0.024	0.024		0.024	0.095	0.167	0.048	0.048	0.167		0.024						0.878	0.857
, Allele (pb)	205 223	225	227	229	231	233	235	237	239	241	243	245	247	249	251	253	255	257	259	263		
Locus Ap33																					$H_p$	Hd

Chalkidiki Al Hoceima $(n = 60)$ $(n = 56)$	0.018 0.018		0.018	0.109	0.073	0.309 0.055		0.036								0.036 0.036	0.815 0.841
Chalkidiki (n = 60)	0.017	0.033	1.00	/10.0			10.0	0.517 0.133	0.033	0.050	0.050	0.017	0.017	0.017	0.017		0.633 0.717
$Umea^{}_{n}$ $(n = 44)$					0.045	$0.864 \\ 0.068$		0.023									$0.136 \\ 0.253$
$\begin{array}{l} \text{Chimay} \\ (n=60) \end{array}$				0.050		0.917	0.033	2000									0.167 0.159
Fleckenstein Valenciennes $(n = 60)$ $(n = 54)$				0.019		$0.907 \\ 0.037$		$0.019 \\ 0.019$									$0.111 \\ 0.178$
Fleckenstein $(n = 60)$	0.017		0.017	0.017	0.017	0.400 0.050	710.0	0.233 0.150	0.050								$0.800 \\ 0.768$
$\begin{array}{l} \text{Annecy} \\ (n=100) \end{array}$				0.040	0.010	0.880					0.010		0.010				0.200 0.223
Montfavet $(n = 60)$			0.017	0.033		0.783 0.117		0.017		0.017					0.017		$0.400 \\ 0.377$
Ouessant Montfavet (n = 100) $(n = 60)$						1.000											0.000
Angers $(n = 98)$			0.020	0.031		0.653 0.102		$0.061 \\ 0.082$	0.020			0.010		0.010			$\begin{array}{c} 0.010 \\ 0.449 \\ 0.556 \end{array}$
Saintes $(n = 58)$						$0.828 \\ 0.034$		0.017 0.034	0.017		0.017 0.017	0.034					0.276 0.316
Bayonne $(n = 84)$				0.048	0.048	0.810 0.810 0.048		010 0	710.0								$0.262 \\ 0.341$
Sabres $(n = 100)$				0.070		$0.810 \\ 0.090$		0.020					0.010				$0.320 \\ 0.334$
Porto (n = 56)				0.089	0.161	0.732											0.536 0.438
SanSebas. (n = 50)				0.140	0.100	0.720					0.020						0.020 0.440 0.460
Sevilla $(n = 56)$			0.018	0.143	0.071	$0.732 \\ 0.036$											$0.500 \\ 0.445$
Castilla $(n = 42)$			0	0.048 0.167	0.143	0.595 0.048											$0.524 \\ 0.607$
Allele (pb)	98 103	104	105	901 102	109		115	116*	122*	$126^{+}$	130* 132*	134 135*	136 137*	$140 \\ 142^{*}$	148 150	156* 158	160
Locus A7																	$^{pH}_{Hd}$

S57

Al Hoceima $(n = 56)$	0.089 0.339	0.304 0.036 0.161	0.071	0.786 0.766	Al Hoceima $(n = 56)$	007.0	0.196 0.018 0.071	0.089	0.446	0.054	0.054		$0.054 \\ 0.018$			0.750 0.753
Chalkidiki (n = 60)	0.017 0.217 0.033	0.133	0.600	0.567 0.584	$\begin{array}{l} \text{Chalkidiki}\\ (n=60) \end{array}$				0.800	0.017		0.050	0.017	0.033	0.017	0.367 0.357
$Ume \hat{a}$ (n = 44)	1.000			0.000	$\begin{array}{c} \mathrm{Ume} \mathring{a} \\ (n=42) \end{array}$	0.024				0.857	0.024	0.048				0.190 0.266
$\begin{array}{l} \text{Chimay} \\ (n=60) \end{array}$	0.967		0.033	0.067 0.066	$\begin{array}{l} \text{Chimay} \\ (n=60) \end{array}$	0.083			0.033	0.833	210.0	110-0	0.017	0.017		$0.300 \\ 0.302$
Valenciennes $(n = 58)$	0.983		0.017	$0.034 \\ 0.034$	Valenciennes $(n = 58)$	0.172			0.034	V62 U	0.017	0.034	0.017			0.483 0.451
Fleckenstein $(n = 60)$	0.400	0.017 0.050	0.500	0.033 0.533 0.596	Fleckenstein $(n = 60)$	0.017			0.500 0.017	0.433		0.017	0.017			0.467 0.571
$\begin{array}{l} \text{Annecy} \\ (n=100) \end{array}$	0.040 0.880	0.010	0.070	$0.240 \\ 0.221$	$\begin{array}{l} \text{Annecy} \\ (n=100) \end{array}$	0.150			0.050	062.0	0.030	010.0	0.020 0.020			0.400 0.459
$\begin{array}{l} \text{Montfavet} \\ (n=60) \end{array}$	0.033 0.950		0.017	0.100 0.098	${ m Montfavet} (n=60)$	0.267	0.017		0.033	0.517	0.033	0.017	0.033	0.017	0.017	0.733 0.672
$\begin{array}{l} \text{Ouessant} \\ (n=100) \end{array}$	0.970		0.030	0.060 0.059	Ouessant (n = 100)	0.120			0.020	0.010	010:0		0.040			0.340 0.331
Angers $(n = 98)$	0.163 0.806	0.010	0.020	0.204 0.326	$\substack{\text{Angers}\\(n=98)}$	0.092			0.020	0.010	0.041	0.031	0.071 0.051		0.020	0.010 0.531 0.573
$\begin{array}{l} \text{Saintes} \\ (n=58) \end{array}$	0.017 0.948		0.034	$0.104 \\ 0.101$	$\begin{array}{l} \text{Saintes} \\ (n=58) \end{array}$	0.103	0.017		0.017	0.617	0.017	0.034	0.069 0.052	210.0		0.586 0.603
Bayonne $(n = 84)$	1.000			0.000	Bayonne $(n = 84)$	0.119	0.012	0.012		0 714	0.071		0.024	0.012		0.405 0.474
$ \substack{ \text{Sabres} \\ (n = 100) } $	0.010		0.030	0.080	$\substack{\text{Sabres}\\(n=100)}$	0.100		0.030	0.010	0.020	0.040	0000	$0.030 \\ 0.020$	0.010		$0.580 \\ 0.525$
$\begin{array}{l} \text{Porto} \\ (n=56) \end{array}$	0.982			0.036 0.036	$\begin{array}{l} \text{Porto} \\ (n=56) \end{array}$					0.036	0.107	0.071	0.018		0.018	0.571 0.603
SanSebas. (n = 50)	0.980		0.020	0.040 0.040	SanSebas. $(n = 50)$	0.100				0.020	0.020	0.020				0.320 0.322
Sevilla $(n = 56)$	0.982		0.018	0.036	Sevilla $(n = 56)$	0.018			0.018	0.018	0.107	0.036				$0.714 \\ 0.617$
Castilla $(n = 42)$	0.024 0.952		0.024	0.095 0.094	Castilla $(n = 42)$	0.024				0.048	0.095	110.0			0.024	0.619 0.546
Allele (pb)	138 143 146 146	$150^{15}$	154* 155	156	Allele (pb)	202	204 208	212	$214^{*}$ 216	218 220	222	226 226	228	234	236 238	240
Locus A				$_{Hd}^{Hp}$	Locus A113											$_{Hd}^{Hp}$

S58

Table II. Continued.

### L. Garnery et al.

Al Hoceima $(n = 56)$	0.089 0.143	0.036	0.089	0.357		0.018						0.036							0.679 0.832
Chalkidiki $(n = 60)$	0.817	/10.0			0.050	0.033	0.035												0.333 0.331
$\begin{array}{l} \mathrm{Umea}\\ (n=44) \end{array}$	0.091			0.023					0.045	0.182	0.364	0.205	0000	0.068					$0.727 \\ 0.795$
$\begin{array}{l} \text{Chimay} \\ (n=60) \end{array}$	0.050			0.033 0.017	0.017			0.017	0.100	0.117	0.117	0.183	0.150	0.017		0.017	0.050		0.933 0.907
Fleckenstein Valenciennes $(n = 60)$ $(n = 56)$	0.018			0.089	0.018				0.125	0.161	0.107	0.179	0.179	0.018			010	810.0	$0.893 \\ 0.882$
	0.500			0.050 0.017	0.017			0.017 0.017		0.117	0.067	0.083	0.050	nen.u	0.017				$0.700 \\ 0.728$
$\substack{\text{Annecy}\\(n=100)}$	0.050			0.040	0.010				0.040	0.100	0.200	0.260	0.170	0.020	0.010				$0.800 \\ 0.848$
Montfavet $(n = 58)$				0.103		210.0	110.0	0.069	0.069	0.103	0.103	0.276	0.103	0.1034			0.017		$0.793 \\ 0.874$
$\begin{array}{l} \text{Ouessant} \\ (n=100) \end{array}$				0.050 0.010					0.060	0.060	0.260	0.140	0.180	0.030					$0.860 \\ 0.834$
Angers $(n = 95)$	0.095	0.042		0.053 0.021	0.042 0.032	1000	170.0	0.021	0.105	0.074	0.137	0.189	0.137	0.032					0.837 0.847
$\begin{array}{l} \text{Saintes} \\ (n=58) \end{array}$	0.034			0.052	0.017			0.034 0.017	0.034	0.138	0.276	0.276	0.086	0.034					$0.759 \\ 0.828$
Bayonne $(n = 76)$	0.026			$0.013 \\ 0.039$		610.0	etu.u		0.079	0.132	0.276	0.276	0.053	0.026					$0.684 \\ 0.824$
Sabres $(n = 100)$	0.030		0.010	0.080				0.030	0.100	0.100	0.230	0.180	0.110	0.010	0.020		0.010	0.010	0.840 0.879
$\begin{array}{l} \text{Porto} \\ (n=56) \end{array}$				0.482 0.304		0.018	010.0	0.018	0.036	0.018	0.018	0.054	0.018	9T0'0					0.643 0.681
SanSebas. (n = 50)	0.020		0.020	0.020 0.120	0.040			0.020 0.020	0.060	0.080	0.160	0.180	0.140	0.100					$0.880 \\ 0.902$
Sevilla $(n = 56)$				0.411 0.143	0.054			0.018		0.071	0.071	0.125	0.036	0.036	0.036				$0.821 \\ 0.792$
Allele Castilla $(pb)$ $(n = 42)$	1000	420.0		$0.310 \\ 0.310$	0.095	100.0	0.U24		0.048		0.119	0.048	0.024						$0.714 \\ 0.798$
	125* 127 120	131	137 139 141	143 145	147 149	151	CO1	155 157	159	161	163	165	167	171	173	175	177	181	061
Locus Ap36																			$^{pH}_{Hd}$

Honey bee microsatellites

S59

Al Hoceima $(n = 56)$	0.036 0.054	$0.143 \\ 0.107$	0.179	0.179 170.0	0.030		0.018	QTO:0	0.018 0.018	0.018	0.018	0.018	0.018			0.906 0.857
Chalkidiki (n = 60)			0.133	0.017 0.033	0.267	0.433					410.0	210.0				$0.729 \\ 0.600$
$Ume \hat{a}$ (n = 42)			0.190	0.690		0.119										0.484 0.428
$\begin{array}{l} \text{Chimay} \\ (n=60) \end{array}$			0.400	0.483 0.033	0.033	0.050										0.612 0.533
Fleckenstein Valenciennes (n = 60) $(n = 58)$			0.328	0.569 0.052	0.017	¥00.0										0.575 0.724
Fleckenstein $(n = 60)$	0.017		0.183	0.333	111.0	0.283	0000									$0.771 \\ 0.800$
$\substack{\text{Annecy}\\(n=100)}$			0.190	$0.680 \\ 0.030$	0.020	0.040	0.010						0.010	010.0	0100	0.503
$\begin{array}{l} \text{Montfavet} \\ (n=58) \end{array}$		0.017	0.207	$0.672 \\ 0.017$	0.017	0.017					0.017				0.017	$0.511 \\ 0.586$
$\begin{array}{l} \text{Ouessant} \\ (n = 100) \end{array}$			0.020	0.980												$0.040 \\ 0.040$
Angers $(n = 98)$	0.010		0.286	0.541	0.051	0.051				0.010	0.010	0.010	0.010			0.626 0.531
Saintes $(n = 58)$			0.241	$0.672 \\ 0.017$	0.017	0.034				210.0	110.0					0.496 0.586
Bayonne $(n = 84)$			0.190	0.090		0.012				0.012	0.012	0.012			0.012	$0.490 \\ 0.548$
$\begin{array}{l} \text{Sabres} \\ (n=100) \end{array}$			0.200	0.750		0.020										0.401 0.500
$\begin{array}{l} \text{Porto} \\ (n=56) \end{array}$			0.518	0.268			$0.036 \\ 0.018$	0.054	0.036	0100	010-0	0.018				$0.664 \\ 0.750$
SanSebas. $(n = 50)$			0.260	$0.600 \\ 0.020$			000 0	0.060	0000	0.040						0.578 0.600
Sevilla $(n = 56)$	0.018	0.018	0.339	0.429 0.018				0.054	0.018	0.018	0.018		0.036	0.018		$0.707 \\ 0.750$
$\begin{array}{l} \text{Castilla} \\ (n=42) \end{array}$			0.024 0.286	0.405 0.071			0000	0.024	0.071 0.024	0.024	0.040					0.757 0.714
Allele (pb)	101 113 125 127	129 131	134 135	137 139	141 143*	145* 145*	149 151	155	159	163	167	61 13 13	121	185	187 105	
Locus Ap43																$^{Hp}_{Hd}$

S60

Table II. Continued.

### L. Garnery et al.

ы	1					ing
Al Hocein $(n = 56)$	0.018 0.018 0.107 0.054	0.196	0.125	0.036	0.893	0.862 assum
Chalkidiki $(n = 60)$			0.100	0.883	0.200	0.213 sygosity
$Umea^{\circ}$ (n = 44)		0.977		0.023	0.045	0.045 heteroz
$\begin{array}{l} \text{Chimay} \\ (n=60) \end{array}$		0.900		0.100	0.200	s; Hp:
Sabres Bayonne Saintes Angers Ouessant Montfavet Annecy Fleckenstein Valenciennes Chimay Umeå Chalkidiki Al Hoceima $(n = 100)$ $(n = 84)$ $(n = 58)$ $(n = 98)$ $(n = 100)$ $(n = 60)$ $(n = 56)$	-	0.966		0.034	0.069	0.159 0.000 0.220 0.333 0.224 0.428 0.239 0.366 0.236 0.468 0.068 0.183 0.045 0.213 0.862 chromosomes is given in parentheses. <i>Hd</i> : heterozygosity observed for each locus; <i>Hp</i> : heterozygosity assuming ulibrium (gene diversity). Asterisks indicate putative diagnostic alleles.
Porto Sabres Bayonne Saintes Angers Ouessant Montfavet Annecy Fleckenstein V $(n=56)$ $(n=100)$ $(n=84)$ $(n=58)$ $(n=98)$ $(n=100)$ $(n=84)$ $(n=56)$ $(n=100)$ $(n=100)$ $(n=56)$		0.357		0.643	0.571	0.159 0.000 0.220 0.239 0.240 0.428 0.289 0.306 0.200 0.408 chromosomes is given in parentheses. <i>Hd</i> : heterozygosity observed for e uilibrium (gene diversity). Asterisks indicate putative diagnostic alleles.
$\begin{array}{l} \text{Annecy} \\ (n=100) \end{array}$		0.870		060.0	0.040	ity obse diagnos
Montfavet $(n = 60)$		0.783		0.067	0.150 0.433	rozygosi utative e
$\begin{array}{l} \text{Ouessant} \\ (n=100) \end{array}$	0.050	0.840			0.110 0.320	<i>Id:</i> hete icate p
$\begin{array}{l} \text{Angers} \\ (n=98) \end{array}$		0.735		0.163	0.102 0.347	eses. <i>H</i>
Saintes $(n = 58)$		0.879		0.052	0.069 0.241	0.224 arenth Asteris
Bayonne $(n = 84)$		0.810	0.024	0.060	0.107 0.357	en in prist.
Sabres $(n = 100)$		0.880	0.010	0.030	0.080 0.240 0.220	s is giv ne dive
Porto n = 56)		1.000			0.000	uouu tosome tm (ge:
Locus Allele Castilla Sevilla SanSebas. A28 (pb) $(n = 42)$ $(n = 56)$ $(n = 50)$ (		0.900	0.060	0.020	0.020	d chron
Sevilla $(n = 56)$		0.982	0.018		0.036	The number of sampled the Hardy-Weinberg equ
Castilla $(n = 42)$	0.024 0.024	0.905	0.048		0.143	Der of s
Allele (pb)	126 127 128 130	132 133	134 135	138* 140	144	numł Tardy
Locus A28					$dH_{LII}$	The the I

Honey bee microsatellites

Locus	$\begin{array}{c} \text{Cast} \\ n=42 \ r \end{array}$	Sevi $n = 56$	$\operatorname{San} \operatorname{S}$ n = 50	$\underset{n}{\operatorname{Port}}$	$\underset{n = 100}{\text{Sabr}}$	$\substack{\text{Bayo}\\n=84}$	$\underset{n = 58}{\text{Sain}}$	$\underset{n = 98}{\text{Ange}}$	$\begin{array}{l} \mathrm{Oues} \\ n=100 \end{array}$	$ \underset{n = 60}{\operatorname{Avig}} $	Anne $n = 100$	Flec n = 60	$\begin{array}{l} \text{Vale} \\ n=58 \end{array}$	$\begin{array}{l} {\rm Chim}\\ n=60 \end{array}$	Umeo $n = 44$	Chal $n = 60$	Al Ho $n = 56$
B124	6	4	10	11	15	13	13	14	7	10	13	12	11	14	10	13	15
A88		2	2	2	ŝ	1	3	4	7	3	4	ъ	2	7	1	5	9
A8		2	4	ę	ę	4	9	9	3	9	9	10	9	4	4	2	9
B24		2	2	2	2	e	2	c,	7	ę	ŝ	ę	e e	e C	ę	e S	7
A43		ç	4	ę	ę	ŝ	3	5 2	2	9	S	9	က	က	ę	5	10
A p 33		13	13	12	11	12	12	16	×	14	15	10	12	13	12	11	15
Α̈́Υ		5	5	4	'n	7	×	10	1	7	9	11	ų	ŝ	4	17	12
A113		2	9	7	10	×	11	11	5 C	11	7	9	9	9	5	2	6
Ap36		10	14	11	16	11	11	14	6	11	12	12	11	16	œ	9	11
Ap43		12	9	10	ų	6	9	11	7	6	6	4	ų	5	e	6	18
A28		2	4	1	4	4	ę	ŝ	ŝ	ę	ę	2	7	5	2	က	10
Da		6.09	6.36	6.00	7.00	6.82	7.09	8.82	4.00	7.55	7.55	7.63	6.00	6.45	5.00	7.82	10.82
Da Ef		5.59	5.95	5.30	5.62	6.65	6.48	6.83	4.38	6.18	6.12	7.22	6.04	5.58	4.96	7.67	10.68
Da Col		6.09	5.82	6.00	6.18	6.091	5.727	7.273	3.727	6.273	6.273	5.818	5.000	5.545	4.273	7.82	10.82
Da CEf	f 5.91	5.59	5.59	5.31	5.19	5.15	5.68	5.72	3.38	5.69	5.05	QN	4.73	5.01	4.26	6.82	10.02
Da Co	Da Cor: average after c	oe after	Correct	Hon for	introgras	lle peas	oloc: De	. ըք որվ			Juipoon	soular s	Locaroo ,	tod for	the comple		

Table III. Allelic diversity at 11 microsatellite loci in 17 honey bee populations with rough data and their average (Da).

this interpretation by more powerful analyses (e.g. sequences of flanking regions of microsatellites). In addition, there is also a good correlation (r = 0.74, P < 0.01) between the frequency of C haplotypes and C nuclear genes. Several other features, which emerge when these alleles are removed (see later, linkage disequilibrium and phylogeny of populations), suggest that these alleles were secondarily introduced into *mellifera* populations.

Consequently, as long as the population of Chalkidiki is representative of the donor populations, these alleles are indicative of introgression by nuclear genomes from lineage C. They provide a conservative value of the frequency of nuclear introgression, because other alien alleles may have remained undetected.

Considering 29 diagnostic alleles between the M and C lineages (noted with an asterisk in *table II*), we estimated the proportion of introgressed alleles (*IR*) in the *iberica* and *mellifera* populations by locus and by population (*table IV*). The mean *IR* values by population are generally congruent with the proportions of mitochondrial haplotypes C, even if the latter are usually larger. The introgression rates (*IR*) were significantly different among populations and loci (Fisher's exact test,  $P < 10^{-3}$  for both tests), mainly because the Fleckenstein population is more introgressed than the other populations and because of loci *A88* and *A113* (Fisher's exact test, P = 0.075 without Fleckenstein and P = 0.176 without *A88* and *A113*, respectively).

To test the influence of introgressed alleles on the populations, the 29 diagnostic alleles were disregarded in the matrix of individual multilocus genotypes. A re-analysis of linkage disequilibrium for the *mellifera* and *iberica* populations showed a general decrease of linkage disequilibrium: 29, i.e. 3.9 %, were significant instead of 70, i.e. 8.5 % (the number of possible tests was reduced from 825 to 740), and the global test by pair of loci across all populations was significant for only one pair of loci instead of 12 pairs. The allelic diversity was also re-calculated, ignoring diagnostic alleles (*Da* Cor, *table III*). In most cases, resulting genetic profiles in *mellifera* populations were closer to those observed in *iberica* samples which are supposed to be free of C genes.

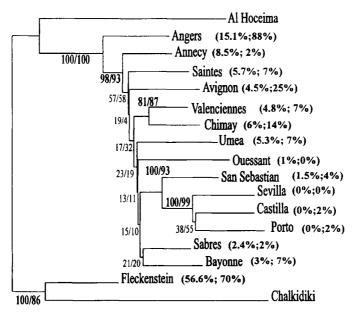
### 3.3. Genetic distances and population relationships

The N-J tree of populations obtained with raw data (not corrected for introgression) shows several features (figure 1). Only two groups are supported by high bootstrap values. First, the four Spanish and Portuguese populations (A. m. iberica) form a cluster in which the population from San Sebastian branches basically. Second, Valenciennes and Chimay populations branch together, providing another example of the close relationship between small genetic distance and geographic proximity. The nodes of the other French populations are generally not well resolved but it is striking to observe that the more introgressed they are, the deeper they branch in the tree. Fleckenstein, the most heavily introgressed population, is located out of the mellifera-iberica set and clusters with Chalkidiki.

Disregarding diagnostic alleles in *mellifera* populations (excluding Fleckenstein) results in a new N-J tree in which the preceding two robust clusters (Iberian populations and Chimay/Valenciennes) are conserved and the other

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						Locus					
Population	A8	A24	A43	A7	A88	AA13	Ap36	Ap43	A28	Mean	C mtDNA
Castilla	0	0	0	0	33	0	0	0	0	0	0
Sevilla	0	0	0	0	0	0	0	0	0	0	0
San Sebastian	23	0	21	21	27	0	24	0	23	15	40
Porto	0	0	0	0	0	0	0	0	0	0	20
Sabres	23	0	11	32	41	13	37	26	34	24	20
Bavonne	41	46	51	13	0	0	32	15	68	30	02
Saintes	134	0	36	145	46	21	42	65	59	57	02
Angers	183	296	197	185	41	25	116	130	185	151	880
Ouessant	23	0	0	0	41	25	0	0	0	10	0
Avignon	69	64	54	36	23	41	0	43	76	45	140
Annecv	113	155	64	21	109	63	61	77	102	85	20
Fleckenstein	284	588	482	498	705	625	612	574	728	566	200
Valenciennes	58	101	58	41	23	43	22	43	39	48	20
Chimav	94	64	18	0	47	41	61	106	113	60	140
Ūmeå	52	87	25	25	0	0	111	152	26	53	20
Total	1097	1401	1018	1017	1136	897	$1\ 118$	1231	1453	1148	
The average of C micr	nicrosatellit	tes is high	ly correlat	ed with th	he frequen	icy of C h	aplotypes (	last two c	olumns).		
The average of C n	nicrosatelli	tes is high	ly correlat	ed with th	he frequen	icy of C hi	aplotypes (	la	st two c	osatellites is highly correlated with the frequency of C haplotypes (last two columns).	st two columns).



**Figure 1.** Phylogenetic tree of the populations. The tree has been constructed using observed allelic frequencies (rough data), the chord distance (Cavalli-Sforza and Edwards, 1967) and the neighbour-joining algorithm (Saitou and Nei, 1987). Values on the nodes indicate the bootstrap scores (2 000 iterations) resampling loci/individuals. The frequency of microsatellite C alleles and C haplotypes is given for M populations.

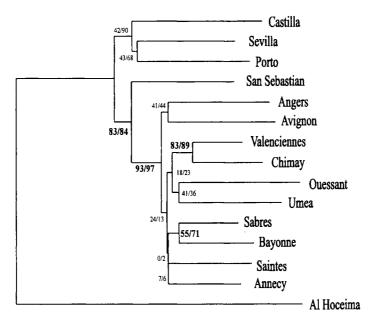


Figure 2. Phylogenetic tree of the populations with data corrected for introgression with the same methods as in *figure 1*.

populations remain rather unresolved (figure 2). However, the new feature is the basal divergence between the two racial sets of populations (*iberica* and *mellifera*), with San Sebastian in the middle. Within the *mellifera* cluster, no particular structure emerges, apart from the already cited Chimay/Valenciennes association. The same results, distinction between *iberica* and *mellifera* populations and absence of within-subspecies structure, were obtained with other genetic distances, including those based on allele size (i.e. Shriver et al., 1993; Goldstein et al., 1995).

Multilocus Fst calculated with raw allelic frequencies (Weir and Cockerham, 1984) are generally significant at the 5 % level (only four of 105 pairs are not significant, namely Valenciennes/Chimay, Annecy/Valenciennes, Castilla/Sevilla, Saintes/Valenciennes), but their values are rather low (table V). Two populations are particularly differentiated: Fleckenstein (0.13 < Fst < 0.31) and Ouessant (0.04 < Fst < 0.18, excluding Fleckenstein), the former because it is highly introgressed and the latter because it is an artificial, selected, tiny and isolated population. The A and C outgroup populations are very distinct from the M lineage. All loci contribute to the genetic differentiation, the lower contribution being that of loci A8, A88, A24 and A28. With corrected data, changes in Fst are small for the least introgressed populations, but the decrease is important for Fleckenstein. The pair Sabres/Annecy and the four loci cited earlier are not significantly differentiated.

Another way to analyse genetic structure is to consider the relationships of individuals on a tree (figure 3), which has been constructed only with a subset of populations to facilitate legibility. If individuals of the A (outgroup) and C lineage form two compact clusters, those of the M lineage are intermingled in their branches, whatever their race (mellifera or iberica), even if there are some groups of individuals from the same population. It can also be seen that terminal branches which lead to individuals and internal ones which connect them are very short: this reflects the low genetic variability in these populations and the small genetic differentiation among them.

### 4. DISCUSSION

This discussion bears mainly on the genetic variability observed for microsatellite loci but it also considers them in relation to results obtained with mitochondrial DNA described in Part I, the accompanying article.

As aforementioned, a significant but unequal part of the variability within populations and of the differentiation among populations is the direct consequence of their levels of genetic introgression. Consequently, an attempt to estimate the genetic profiles of populations prior to the introduction of alien genes has to be considered before discussing other points.

#### 4.1. Genetic introgression

The estimation of introgression in *mellifera* populations is based on the study of the nine loci (over 11) possessing putative diagnostic alleles. How these alleles were identified has been given in the results section. Several features suggest that this estimation of introgression is roughly correct: 1) there

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Table <sup>†</sup>

Castilla Sevilla San Sebas.	Porto Sabres	Bayonne	Saintes		Ouessant	Avignon	Annecy	Fleckenstein	Angers Ouessant Avignon Annecy Fleckenstein Valenciennes	Chimay	Umeå	Chalcidi.	Alhocei.
0.021		0.051**	0.051**	0.051**	0.143**	0.064**	0.058**	0.221**	$0.054^{*}$	0.056**	0.073**	0.463**	0.203**
$0.018^{*}$	-	$0.064^{**}$		$0.061^{**}$		0.063**	$0.058^{**}$	$0.238^{**}$	0.047**	0.056**	0.072**		$0.216^{**}$
$0.060^{**}$	* 0.017*	$0.026^{**}$	$0.020^{*}$	$0.036^{*}$		$0.030^{*}$	$0.021^{*}$	$0.231^{**}$	$0.017^{*}$	$0.017^{*}$	$0.039^{*}$	$0.484^{**}$	$0.233^{**}$
	$0.088^{**}$		*	$0.088^{**}$	$0.182^{**}$	$0.105^{**}$	$0.100^{**}$	$0.271^{**}$	$0.080^{**}$	$0.081^{**}$	$0.128^{**}$		$0.242^{**}$
$0.091^{**}$		-	÷	$0.030^{*}$	$0.041^{**}$	$0.024^{**}$	$0.007^{*}$	$0.236^{**}$	$0.012^{*}$	$0.025^{**}$	$0.017^{*}$	$0.485^{**}$	$0.246^{**}$
$0.110^{**}$	$0.007^{*}$		$0.006^{*}$	$0.003^{**}$	$0.072^{**}$	$0.019^{*}$	$0.013^{**}$	$0.230^{**}$	$0.021^{**}$	$0.028^{*}$		0.478**	$0.246^{**}$
$0.102^{**}$	0.009**			$0.022^{**}$	$0.062^{**}$	$0.013^{**}$	$0.006^{*}$	$0.202^{**}$	0.006 §	$0.016^{*}$	$0.019^{*}$	$0.455^{**}$	$0.216^{**}$
$0.083^{**}$	$0.011^{*}$	$0.021^{**}$	$0.008^{*}$		$0.084^{**}$	$0.027^{**}$	$0.016^{**}$	$0.130^{**}$	$0.022^{*}$	$0.031^{*}$	$0.038^{*}$	$0.350^{**}$	$0.163^{**}$
$0.185^{**}$	. 0.042**	0.074**		$0.062^{**}$		$0.070^{**}$	$0.051^{**}$	$0.308^{**}$	$0.063^{**}$	$0.084^{**}$	$0.059^{**}$	$0.551^{**}$	$0.315^{**}$
0.110**	· 0.026**	* 0.022**	$0.017^{**}$	$0.022^{**}$	$0.073^{**}$		$0.017^{*}$	$0.209^{**}$	$0.018^{*}$	$0.029^{**}$		$0.451^{**}$	$0.206^{**}$
$0.109^{**}$	0.003 §	0.013**		$0.008^{*}$	$0.046^{**}$	$0.022^{**}$		$0.192^{**}$	-0.001 §	$0.009^{*}$		$0.438^{**}$	$0.217^{**}$
$0.146^{**}$	· 0.081**			$0.052^{**}$	$0.163^{**}$	$0.102^{**}$	$0.067^{**}$		$0.208^{**}$	$0.213^{**}$		$0.128^{**}$	$0.129^{**}$
$0.081^{**}$	$0.013^{*}$	$0.025^{**}$	$0.011^{*}$	0.011*	$0.068^{**}$	$0.026^{**}$	0.002 §	0.056**		-0.006 §	$0.035^{*}$	$0.461^{**}$	$0.220^{**}$
$0.081^{**}$		* 0.034**			$0.096^{**}$	$0.041^{**}$	$0.018^{*}$	$0.074^{**}$	0.006 §		$0.019^{*}$		$0.230^{**}$
$0.145^{**}$		0.033**	*		$0.058^{**}$	$0.062^{**}$	$0.021^{*}$	$0.066^{**}$	$0.030^{*}$	$0.057^{**}$		$0.471^{**}$	$0.231^{**}$
$0.507^{**}$	* 0.500**	* 0.501**	$0.476^{**}$		$0.559^{**}$		$0.495^{**}$	$0.430^{**}$	$0.490^{**}$	$0.505^{**}$	$0.502^{**}$		$0.255^{**}$
$0.250^{**}$			0.936**	0.917**	0 330**		0.262**	$0.172^{**}$	$0.244^{**}$	$0.263^{**}$	$0.256^{**}$	$0.245^{**}$	

The values above the diagonal are calculated without correction for introgressed alleles and values below the diagonal after correction. \*, \*\*,  $\S$ : level of significance P < 0.05,  $P < 10^{-5}$  and P not significant, respectively.

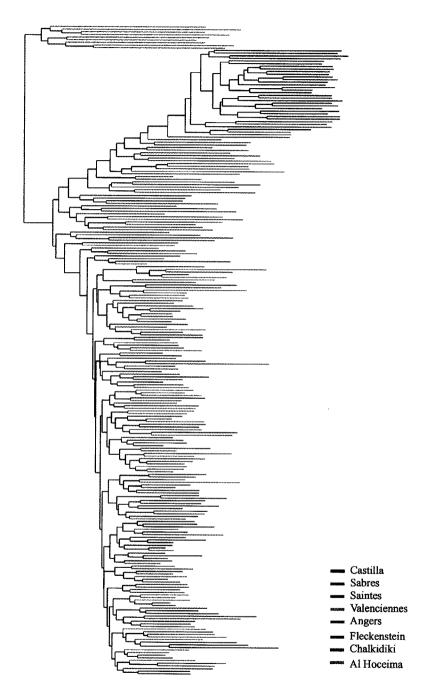


Figure 3. Branching pattern of individuals. The tree is based on the *Das* distance (Chakraborty and Jin, 1993) and the neighbour-joining algorithm (Saitou and Nei, 1987) for a subset of populations.

is a good correlation between the frequency of C haplotypes and C nuclear genes and both are also congruent with what is known about bee-keeping in these populations; 2) most of the linkage disequilibria disappear after the removal of the diagnostic alleles; 3) the genetic parameters (allelic diversity and heterozygosity) of *mellifera* and *iberica* populations (the latter being free of C haplotypes and hence supposedly free of C nuclear alleles) are more similar after correction and their genetic distance is lower.

Introgression was calculated with the allelic frequencies observed in the Chalkidiki population (Greece, lineage C); they are not necessarily identical in the other C populations from which foreign bees have been imported (mainly *ligustica* from Italy and *carnica* from Central Europe). A more accurate correction would have implied the use of allelic frequencies of the real donor population(s) for each recipient population, but they are generally unknown except that they belong to the C lineage. In addition, the genetic profiles for C populations are poorly known, only three samples being available (Estoup et al., 1995a) for six of the nine loci used. The average frequency of diagnostic alleles for these loci is 0.795 in the Chalkidiki population (*macedonica*) and only 0.616 for Berlin (*carnica*) and 0.688 for Forli (*ligustica*). A lower frequency in the last two populations is possibly due to not considering some of their alleles as diagnostic with lineage M, because they are absent in the Chalkidiki sample. This would result in a 10 to 20 % underestimation of nuclear introgression for some populations.

French, Belgian and Swedish populations analysed in this work show various degrees of introgression, mainly by alleles from the C lineage. The percentage of introgressed genes is roughly correlated with that of C mtDNA haplotypes previously established (see Part I, accompanying article and table IV) but is generally slightly lower. One possible reason is that some form of selection acts against the introgression of nuclear genes. Another reason could be a differential diffusion attributable to the role of the two sexes in their transmission. Still another is more likely: nuclear introgression could have been slightly underestimated as indicated earlier. There are, however, two exceptions. In the Annecy population, the relative excess of C nuclear genes observed (compared to C haplotype frequency) could be the result of a longterm equilibrium in a natural zone of contact between lineages M and C. For Angers, the percentage of C mtDNA haplotypes outnumbers that of the C microsatellite alleles whereas no such excess of mitochondrial genes is observed in the population of Fleckenstein, also heavily introgressed for mtDNA (see later for possible explanations).

Spanish and Portuguese populations seem to be almost deprived of nuclear alien genes, their genetic profiles being very similar to the least introgressed French populations. The absence of C nuclear genes is in agreement with the absence of C mtDNA but that of A nuclear genes is more surprising because the most southern populations carry a variety of A haplotypes at high frequency. This has been interpreted as the consequence of reiterated importation from various origins of queens belonging to the A lineage, and a differential introgression of cytoplasmic and nuclear genes attributable to the different swarming behaviour of African and European honey bees and a possible selection in favour of A haplotypes (Franck et al., 1998).

### 4.2. Genetic variability within populations

There is no general standard for the variability of microsatellite loci, but the comparison of the 15 populations of lineage M to populations of the C and A lineages (Greece and Morocco, respectively) shows that heterozygosity and the allele number are higher or far higher in non-M populations. A single population has been used as reference for the C and A lineages but, as far as we know, they are representative of the variability in these lineages (Estoup et al., 1995a; Franck et al., 1998). The lower genetic variability of M populations has been interpreted as a consequence of lower effective population sizes due to ecological and ethological differences (Estoup et al., 1995a).

It has also been shown (Estoup et al., 1995a) that the populations of the west European honey bees are not, whatever the mutation model (IAM or SMM), at mutation/drift equilibrium but, for almost all loci, given the number of alleles, they exhibit a deficit of estimated genic diversity. This is indicative of a recent increase in the population size (Franck et al., 1998). Moreover, as the genetic differentiation between populations, although often significant, is generally low, it can be inferred that the bottleneck was common for all populations (or two groups of populations, see section 4.4), probably during the last ice age, its effects still being perceptible in the current populations. It is difficult to invoke an alternative explanation, homogenisation by migration over more than 5 000 km, the west European honey bees being considered as poor migrants (compared to African populations). An important consequence is that the low level of variability is not the consequence of recent domestication of honey bees by humans but rather that of the natural history of populations.

### 4.3. Population differentiation and relationships

Whatever the means used to infer genetic similarity among populations of the west European honey bees (phylogeny of populations, Fst, tree of individuals) using microsatellite data, it appears that they are very similar to and very different from populations of the other two lineages A and C (see also Estoup et al., 1995a). In fact, the level of introgression is responsible for most of the differentiation observed (figures 2 and 3). The effect of alien alleles appears clearly in the comparison of population trees where the topology is largely modified between corrected and uncorrected data. It also appears in the topology of the tree constructed with individual genotypes: alien genes increase the length of the branches (populations or individuals) when their number is limited, then they displace the branch at the root of their own aboriginal lineage when this number increases, and finally transfer the branch at the root of the population from which introgressing genes come when it is high. The consequences of introgression are important to discuss but, whatever the purpose (natural history of the species or conservation of its populations), it is also interesting to consider the relationships among populations on the basis of their genetic structure prior to importation.

Fleckenstein and Angers are characterised by a particularly high level of introgression. In Fleckenstein (directly branched on the C lineage), the population belonged originally to the M lineage, but massive importation of

carnica, following reduction in the population size due to the parasite mite Varroa (P.P. Merck, personal communication), has completely modified their genetic profile, which is currently characterised by a majority of *carnica* genes (mitochondrial and nuclear). However, population genetics parameters (few departures from the Hardy-Weinberg equilibrium and few linkage disequilibria) indicate that local and imported honey bees currently constitute a single panmictic population. The population from Angers has been sampled in an area of traditional apiculture (i.e. using mainly local honey bees) but in the vicinity of a professional bee-keeper who has continuously imported *ligustica* queens. The introgression of mitochondrial genes is massive (88%) but that of nuclear genes remains comparatively low (15 %). In addition, linkage disequilibrium is widespread (19 significant tests of 55). The discrepancy between these two populations could have several origins: 1) introgressing genes have not the same racial origin (*liquitica* for Angers and *carnica* for Fleckenstein) and could have been better detected in one population than in the other; 2) selection could act differentially and be strong against alien nuclear genes in Angers; 3) in the latter population a strong mitochondrial gene flow could be ensured by swarms escaped from the professional bee yards, but most queens were inseminated by local males in drone congregation areas. To a lesser degree, the same can be observed in the Avignon population (where *liquidica* have been imported for many years). In conclusion, it seems that when importations are reiterated every year, the mtDNA genes show a propensity to introgress more than nuclear genes, whereas introgression is equivalent for the two compartments when they have been massive over a short period of time.

Most of the other populations appear poorly resolved on the phylogenies but some groups are rather strong. The Iberian populations are always grouped together, San Sebastian emerging first, making this population, in agreement with its geographical location, a plausible intermediate between Iberian and French populations (*iberica* and *mellifera*). Iberian populations are less variable for microsatellite markers than French ones with raw data, but they appear to be the most variable when data from French populations are corrected for introgression and all populations for sample size. This result is expected because they are assumed to live in the refuge of the western honey bees during the ice age.

Another clade emerging from the phylogenies is in good agreement with geographic proximity (Valenciennes/Chimay). This clade was also seen by mtDNA analysis (see Part I, accompanying article).

### 4.4. Evolutionary origin of west European honey bees

The key geographical position of Iberian populations, their morphological and genetic peculiarities and their possible role in the origin of the M lineage of honey bees, have been discussed in detail elsewhere (Franck et al., 1998) and will only be briefly summarised here. Ruttner (1988) proposed that the west European honey bee A. m. mellifera was derived from the North African race intermissa through iberica, which has a morphology intermediate between these two races for numerous characters. Later, the detection of the superimposition of two very divergent mtDNAs designating a cline in the Iberian Peninsula suggested that this region was not a primary zone of intergradation but a secondary contact zone between the very divergent haplotypes A and M (Smith et al., 1991; Garnery et al., 1995). Results based on microsatellite loci reject both hypotheses because all the honey bees classified in the M lineage exhibit very similar genetic profiles, with no trace of intergradation between lineages A and M, either primary or secondary, in Spain or Portugal (Franck et al., 1998). The existence of A haplotypes, very diversified and at high frequency in these countries, was reinterpreted as the consequence of multiple importation from different origins by humans and of a possible selective advantage (direct or indirect) of these haplotypes in the Iberian Peninsula.

### 4.5. Conservation

The genetic variability of west European populations of the honey bee is particularly low, compared to those belonging to clades C and A, both in terms of allelic diversity and heterozygosity. This variability is still lower than actually observed because a variable part, depending on the population, can be attributed to introgression and the standard in the whole lineage is close to that observed in the Iberian Peninsula. In addition, most of the populations are characterised by very similar profiles, the largest differences being observed between two clades matching the taxonomic limits between races. Their low variability is not the consequence of modern apiculture, ecological degradation of the environment or agricultural modifications, but of their recent natural history, probably in relation to paleoclimate variations. In spite of this relative homogeneity, populations have developed two races, several ecotypes and can survive in very different climates (from southern Spain to Sweden), all features which are indicative of high evolutionary potential for local adaptation despite their great similarity for neutral genes.

Quantification of genetic 'pollution' is assuredly a new result and is important to consider. Three factors can contribute to introgression of alien genes: queen import, queen rearing (from imported queens) and hive moving (ordered in decreasing importance). The last factor is difficult to detect because it occurs mainly within subspecies, except when professional bee-keepers move hives headed by imported queens. The importation of queens belonging to races such as *carnica*, *caucasica* and *ligustica* is rare among amateurs and is mainly due to professional bee-keepers who appreciate their quietness and several other supposed or real qualities.

In most localities, introgression remains rather low (below 10 %) and we have found only two heavily introgressed populations (Fleckenstein and Angers) corresponding to identified and recent apicultural managements. The situation in Angers is very asymmetrical for cytoplasmic and nuclear genes but in the south of the Iberian Peninsula it is still more extreme if our interpretation is correct. Consequently, even if the study of mtDNA is easier and more reliable, it is not sufficient in some particular cases to quantify the level of introgression by alien genes.

The two candidates for a conservatory of the local honey bees are located in two different clades of the lineage, one in Chimay/Valenciennes, the other in west Brittany, and both are among the least introgressed and the most divergent populations. Consequently, conservatories would preserve populations that are only poorly introgressed (this was the first motive of the bee-keepers), as well as a maximum of the genetic diversity and hence of the evolutionary history of the race.

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