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► To cite this version:

Baptiste Oger, Philippe Vismara, Bruno Tisseyre. Combining target sampling with within field route-optimization to optimise on field yield estimation in viticulture. *Precision Agriculture*, 2021, 22, pp.432-451. 10.1007/s11119-020-09744-0 . hal-02971329

HAL Id: hal-02971329

<https://hal.inrae.fr/hal-02971329>

Submitted on 19 Oct 2020

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Combining target sampling with within field route-optimization to optimise on field yield estimation in viticulture

B. Oger^{1,2} · P. Vismara^{2,3} · B. Tisseyre¹

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Abstract

This paper describes a new approach for yield sampling in viticulture. It combines approaches based on auxiliary information and path optimization to offer more consistent sampling strategies, integrating statistical approaches with computer methods. To achieve this, groups of potential sampling points, comparable according to their auxiliary data values are created. Then, an optimal path is constituted that passes through one point of each group of potential sampling points and minimizes the route distance. This part is performed using constraint programming, a programming paradigm offering tools to deal efficiently with combinatorial problems. The paper presents the formalization of the problem, as well as the tests performed on nine real fields where high resolution NDVI data and medium resolution yield data were available. In addition, tests on simulated data were performed to examine the sensitivity of the approach to field data characteristics such as the correlation between auxiliary data and yield, the spatial auto-correlation of the data among others. The approach does not alter much the results when compared to conventional approaches but greatly reduces sampling time. Results show that, for a given amount of time, combining model sampling and path optimization can give estimation error up to 30% lower for a given amount of time compared to previous methods.

Keywords Yield estimation · Sampling · NDVI · Constraint programming · Simulation · Spatial data · Viticulture

Introduction

In order to optimize harvest organization and quality management, the wine industry needs to know the yield of each vine field. Ideally, yield has to be estimated a few days before harvest with a relative error of less than 10% (Carrillo et al. 2016). Although models have

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been developed to forecast the yield at the regional level (Cristofolini and Gottardini 2000), their results were not precise enough to manage logistic issues in relation to harvest operations at the farm or at the winery level. Therefore, precise estimation of vine field yield always requires fruit sampling and counting (Clingeffer et al. 2001). This estimation must be carried out quickly (few minutes per field) at a time when the workload at harvest or for the preparation of the harvest is critical. Practical constraints, like the time available to visit all the fields before harvest, limit the number of sampled sites per field. Therefore, yield estimation is based on a low number of sites sampled (4 to 5 sites per field) where yield components (number of clusters, number of berries per cluster, mean berry weight) are manually measured by a practitioner. Due to these practical constraints and the high within-field variability of grape yield usually observed (Taylor et al. 2005), the small number of observations results in high errors in yield estimation (generally around 20 to 30%).

Recent works (Carrillo et al. 2016; Uribeetxebarria et al. 2019; Arnó et al. 2017) have shown the interest of integrating auxiliary data to improve sampling strategies and yield estimation for perennial crops. Among possible auxiliary information, vegetation index derived from multispectral airborne images is of great interest since they permit to characterise the spatial variability of several fields; in one acquisition, with a high spatial resolution (< 1 m) and at an optimal date. In viticulture, Carrillo et al. (2016) shows the potential of NDVI to drive target sampling of the main grape yield components (bunch number, berry weight, etc.) to improve yield estimation. Although spatial patterns of yield and vegetative expression, estimated by vegetation indices (i.e. NDVI) may not match systematically in all the situations (Bramley et al. 2019). Carrillo et al. (2016) demonstrated, in a dry vineyard of southern France, the value of using NDVI information to determine relevant within field sampling sites selection based on the distribution of NDVI values.

Although interesting, the methodology proposed by Carrillo et al. (2016) presents a significant drawback. Indeed, it does not take into consideration the relative position of the sites to be sampled and the fact that vine fields are structured in rows. This peculiarity implies that rows cannot be crossed, leading to sampling plans optimized in terms of prediction but potentially unrealistic in terms sampling routes and resulting travelled distance (and time) for the operator. This paper proposes a new approach to optimally design within-field sampling routes which takes into account the spatial organisation of the crop (rows) and spatial location of sampling sites. The originality of this approach, called constrained sampling, is to combine statistical and computer methods. It can be decomposed into two steps. In the first step, potential sampling sites are sorted into different groups according to their auxiliary data value in a similar way to traditional targeted sampling. The second step finds an optimal route that passes through one sampling site from each group. A constraint programming solver is used to build an optimal route in terms of travelled distance. This kind of solver has already been used in precision viticulture to solve the differential harvest problem (Briot et al. 2015).

The objective of this work is therefore to propose the resolution of a sampling problem by combining two methodologies from two very different scientific fields: a stochastic approach aimed at considering a large number of representative candidates (the sampling sites) with a constraint programming approach whose objective is to search for the optimal solution among a number of identified candidates. This combination is an interesting scientific question since it is necessary to simplify the exploration of possible candidates in order to be able to calculate an optimal route, while preserving the abundance of information provided by the variability provided high spatial resolution data. The scientific hypothesis of this work is therefore to test and validate the contribution of a combination of methods for spatial sampling in agriculture. In particular, the aim is to

verify to what extent the introduction of an optimisation approach decreases the quality of the estimates by taking conventional sampling approaches as a reference. It will also examine whether gains in sampling time compensate for decreases in the quality of the estimates. Tests are performed either on experimental data from France or on simulated plots to better characterize its performance under different spatial structures.

Materials and methods

Sampling sites and selection principles

Overview

The purpose of constrained sampling (CS) is to select N sampling sites constituting a sampling route in the vine field. Accounting for classical sampling practices in viticulture, N will vary between 5 and 10. It is assumed that there is a finite number of sites on the plot where sampling can be carried out, these sites are called potential sampling sites. For instance, considering the plant as a potential sampling site, a one-hectare vineyard plot planted at 4000 vines/ha consists in 4000 potential sampling sites. For each potential sampling site (PSS), the method assumes that: (i) the coordinate of the PSS, (ii) the row that the PSS belongs to and (iii) the corresponding auxiliary data value are known.

The method requires computation of a distance matrix. This matrix gives the distance between each couple of PSSs. Distance must correspond to the shortest walking distance between the two PSSs. It must take into account the structure of the vineyard. Each PSS, located on one vine rows, can be accessed through two inter-rows (Fig. 1). As a result, each site appears twice in the distance matrix. If the sites are in the same inter-row, it corresponds to the classical Euclidian distance. If they belong to different inter-rows, the distance is computed considering that the practitioner has to get out the row, to reach the desired rows passing by all ends of intermediate rows and finally to reach the targeted sampling site (Fig. 1). As rows have two extremities, two different distances can be computed and the shortest one is kept.

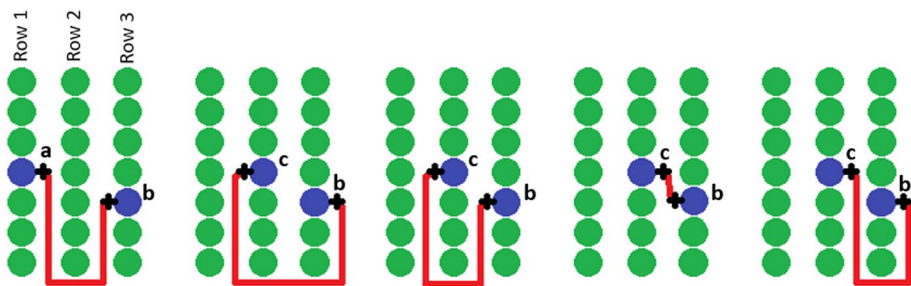


Fig. 1 Distances across vineyards. The left illustrates how the vineyard structure affect the moving from point a to point b. The others illustrate the four different ways of going from point c to point b

Representative sampling based on auxiliary information

The same approach as Carrillo et al. (2016) was used to consider auxiliary data. It is summarised hereafter. The sampling approach aims at calibrating a linear regression which relates the yield (sampled) to auxiliary data. Carrillo et al. (2016) showed that yield components, especially berry weight, are linearly related to auxiliary data (NDVI) in non-irrigated vineyard of south of France. The sampling approach aims at selecting sampling sites (SSs) representatively to build this linear model. This model is then used to estimate yield using all available high-resolution auxiliary data.

The approach proposed in this paper relies on the following principle. PSSs are split into N homogeneous groups (N corresponding to the number of samples) according to their auxiliary data values. Once groups are formed, one PSS from each group is selected in order to optimize the length of the route connecting all selected PSSs. This ensures the PSSs are representative of the field as selected points are spread across the auxiliary data distribution. Quantiles were used to make groups. Related work concluded that this approach was adapted to yield estimation (Oger et al. 2015). Quantiles method guarantees that the groups have the same number of PSS, K being the number of PSSs and N the number of samples required, then each group has $\frac{K}{N}$ elements (Fig. 2).

Route optimisation

The second step of the approach consists in selecting N sampling sites (one sampling site per group). These N sampling sites (SSs) must be all different and have to form the shortest possible sampling circuit. There are many possible choices to select these SSs and many ways to order them to form a circuit. It is therefore a highly combinatorial optimization problem. Constraint Programming is one of the programming paradigms

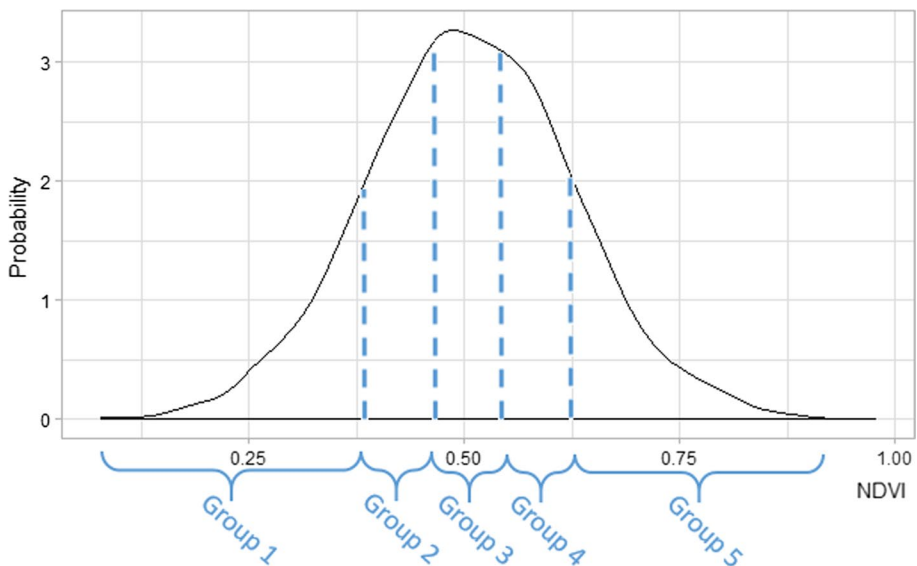


Fig. 2 NDVI values for groups with quantile approach and $N = 5$. Each group contains 20% ($100/N$) of PSS according to their NDVI values

able to deal with such problems. It aims at solving a problem expressed as a set of variables and a set of constraints on these variables. Such a problem is called a Constraint Satisfaction Problem (CSP). A Constraint Solver is used to find a solution to the problem that satisfies all the constraints. The efficiency of these solvers relies on the implementation of many methods such as filtering, which allows a quick detection of combinations of values that do not lead to an optimal solution. The interest of constraint solvers lies in their ability to address many types of constraints. Without going into detail, let $S = \{1, \dots, K\}$ be the set of PSSs and $\{G_i\}_{i \in \{1, \dots, N\}}$ the set of quantile groups covering S , formed in the previous step from the auxiliary data. Since all these groups are disjoint subsets, $\{G_i\}_{i \in \{1, \dots, N\}}$ is a partition of S . P_i is defined as the selected site for group G_i . Hence, set $\mathcal{S}_{Selected}$ (the set sampling sites) will be equal to $\{P_i\}_{i \in \{1, \dots, N\}}$.

The first constraint imposes that all P_i must be different; because all quantile groups are disjoint subsets, it is immediately satisfied in the case of the presented approach. P_0 represents the point of departure and arrival, it is a fixed parameter representing the initial position of the practitioner. The length of the optimum route passing through all the $P_{i \in \{0, \dots, N\}}$ must be minimum. This is a particular case of vehicle routing problem (VRP) where the goal is not to find a Hamiltonian tour (visiting once every site) but a tour covering only a subset of sites. Recent work about the WeightedSubCircuit constraint (Vismara and Briot 2018) has proposed a filtering algorithm that is well adapted to address this type of situation. All these constraints and variables constitute the constraint satisfaction problem. An instance of this problem is built from each dataset and solved with the solver in order to get an ordered set of sites that form a sampling circuit. The program returns the list of sampling sites, the order in which they are visited and the associated walking distance.

Yield estimation

The aim is to estimate Y , the average yield of the field. For each selected sampling site s ($s \in \mathcal{S}_{Selected}$), $GW(s)$ is the grape weight per vine value. A linear model linking the auxiliary data (AD) to GW is built from these sites (Eq. 1):

$$\widehat{GW}(s) = a \times AD(s) + b \quad (1)$$

For a given site s , $\widehat{GW}(s)$ represents an estimate of $GW(s)$. The parameters a and b are obtained from a linear regression on the N sites selected by the sampling method.

With $S = \{1, \dots, K\}$ being the full set of PSSs available, \hat{Y}_{CS} , the yield estimate with Constrained Sampling (CS) approach, can be computed from the model using all these PSSs (Eq. 2):

$$\hat{Y}_{CS} = \text{mean}_{s \in S}(\widehat{GW}(s)) \quad (2)$$

Estimation error

Regardless of the method used, the estimation error is a deviation from the actual yield value (Y) and its estimation (\hat{Y}), expressed as a percentage (Eq. 3).

$$Error(\%) = \frac{|Y - \hat{Y}|}{Y} \quad (3)$$

Reference methods

The method is compared to two references:

A conventional random sampling (RS) approach where the N sampling sites are randomly selected among all the PSSs. \hat{Y}_{RS} , the yield estimated with RS, is therefore directly calculated from the mean of observed GW values. RS represents what is generally done in practice in terms of yield estimation.

$$\hat{Y}_{RS} = \text{mean}_{s \in S_{\text{Selected}}} (GW(s)) \quad (4)$$

The second approach is model sampling (MS) whose method principles have been described by (Carrillo et al. 2016). SSs are chosen according to NDVI values. One site is randomly selected for each of the N NDVI quantiles. MS uses a model based on the NDVI/yield relationship, as described in Eq. 1. Unlike constrained sampling method, the selection of SS does not consider their position on the plot.

To compare the length of the routes between the different methods, the optimal route between the selected sites was computed for both reference methods. This was done with the R TSP package (Hahsler and Hornik 2007).

Theoretical fields

Methodology

Simulated data were used to study the properties and limitations of the approach. Theoretical fields are intended to compare CS to reference methods in a wide range of known situations. Each simulation aims at providing two variables for each theoretical field: auxiliary observation (i.e. NDVI) and variable of interest (i.e. the yield), both spatially auto-correlated.

The simulation assumed that a main underlying phenomenon (i.e. environmental factors like soil, climate, elevation, etc.) drives the within field variability of the plant response. The simulation process therefore starts by generating a theoretical auto-correlated variable (noted G), representing the spatial variability of the underlying factor. G is simulated as a spatialized Gaussian field with no nugget effect (Fig. 3a). Two new variables, respectively $V1$ (Fig. 3b) and $V2$ (Fig. 3e), were derived from G by adding a non-auto-correlated noise following a normal centred distribution of respective variances σ_{V1} and σ_{V2} (Eqs. 5 and 6). $V1$ and $V2$ are therefore intrinsically correlated with each other, the level of correlation depends on σ_{V1} and σ_{V2} . In the followings, $V1$ will be used for the variable of interest while $V2$ will be used for the auxiliary variable.

$$V1_i = G_i + \varepsilon_{V1_i} \text{ with } \varepsilon_{V1_i} \sim N(0, \sigma_{V1}^2) \quad (5)$$

$$V2_i = G_i + \varepsilon_{V2_i} \text{ with } \varepsilon_{V2_i} \sim N(0, \sigma_{V2}^2) \text{ With } \text{Cor}(V1, V2) \in [0, 1] \quad (6)$$

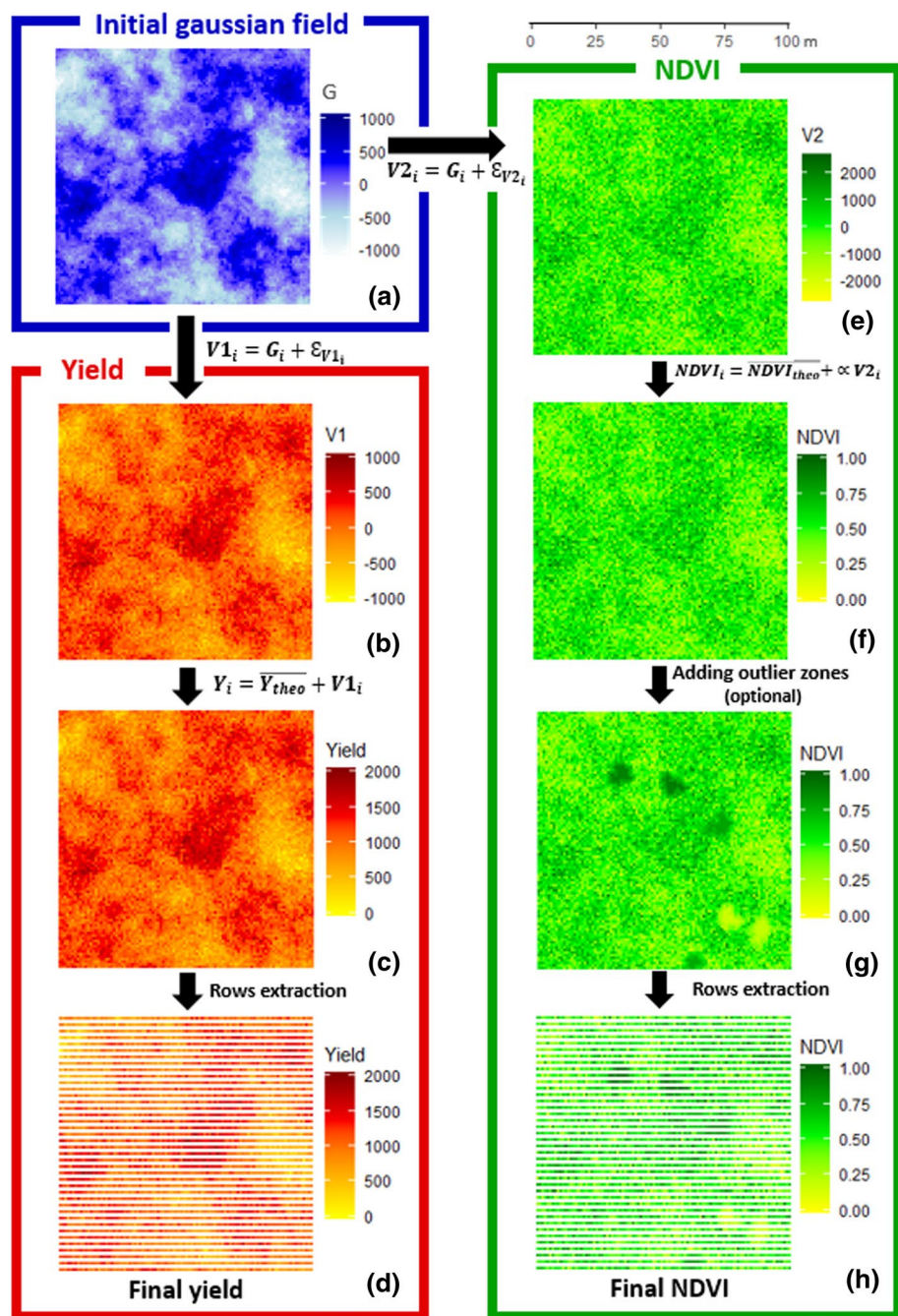


Fig. 3 Workflow of the theoretical fields simulation process. **a** Variable G is generated as a fully spatialized Gaussian field. **b** Variable $V1$ derived from G by adding a random noise. **c** Yield variable derived from $V1$ (linear transformation). **d** Final theoretical yield data after row extraction. **e** Variable $V2$ derived from G by adding a random noise. **f** Variable $NDVI$ derived from $V2$ (linear transformation). **g** $NDVI$ variable complemented with outlier zones. **h** Final $NDVI$ data after row extraction

Four parameters were considered to vary across the theoretical dataset: (i) the distance of auto-correlation of G , $V1$ and $V2$, defined by the range of the semi-variogram of each variable; (ii) the ratio of nugget effect/sill of the $V1$ variable; (iii) the degree of correlation between $V1$ and $V2$ and (iv) the number of outliers on $V2$. These parameters fit the diversity of theoretical data by controlling the link between the two variables and their semi-variograms. Hereafter is described the process used to set up these parameters during the simulation process:

σ_{V1}^2 , the variance of the noise added to $V1$ was chosen to obtain the expected nugget effect/sill ratio on $V1$. G having no nugget effect, σ_{V1}^2 is therefore directly equal to the nugget effect of $V1$. It can be directly deduced from the ratio and σ_s^2 (Eq. 7):

$$Ratio = \frac{nugget(Y)}{sill(Y)} = \frac{\sigma_{V1}^2}{\sigma_G^2} \quad (7)$$

$$\Rightarrow \sigma_{V1}^2 = Ratio \times \sigma_G^2$$

σ_{V2}^2 , the variance of the noise added to $V2$ was used to calibrate the degree of correlation between $V1$ and $V2$. This was deduced from the covariance and Pearson correlation formulas (Eqs. 8 and 9).

$$Cov(V1, V2) = Cov(G + \varepsilon_{V1}, G + \varepsilon_{V2}) \quad (8)$$

Hence:

$$Cov(V1, V2) = Cov(G, G) + Cov(G, \varepsilon_{V1}) + Cov(G, \varepsilon_{V2}) + Cov(\varepsilon_{V1}, \varepsilon_{V2})$$

G , ε_{V1} and ε_{V2} being independent random variables, their covariance are equal to zero. Finally:

$$Cov(V1, V2) = Cov(G, G) = Var(G) = \sigma_G^2$$

With the Pearson correlation formula:

$$Cor(V1, V2) = \frac{Cov(V1, V2)}{\sqrt{Var(V1)} \times \sqrt{Var(V2)}}$$

it results in:

$$Cor(V1, V2) = \frac{\sigma_G^2}{\sqrt{\sigma_{sG}^2 + \sigma_{V1}^2} \times \sqrt{\sigma_G^2 + \sigma_{V2}^2}} \quad (9)$$

And finally:

$$\sigma_{V2}^2 = \left(\frac{\sigma_G^2}{\sqrt{\sigma_G^2 + \sigma_{V1}^2} \times Cor(V1, V2)} \right)^2 - \sigma_G^2$$

The variable of interest will be the yield and the auxiliary data, the NDVI. They were respectively derived from $V1$ and $V2$ by a linear change of scale (α) to be centred around

the desired average yield ($\overline{Y_{theo}}$) and the desired average NDVI ($\overline{NDVI_{theo}}$) with the appropriate dispersion (Eqs. 10 and 11). This transformation does not affect the correlation or any of the three other parameters. (Fig. 3c, f and Eqs. 10 and 11):

$$Y_i = \overline{Y_{theo}} + V1_i \quad (10)$$

$$NDVI_i = \overline{NDVI_{theo}} + V2_i \times \alpha \quad (11)$$

An optional step consists of adding outlier zones on the NDVI simulated maps. Outlier zones intended to represent abnormal phenomenon like weed patches (abnormally strong NDVI) or local diseased vines (abnormally low NDVI) who may locally alter the correlation between yield and NDVI.

The number of outlier zones will vary from 0 to 6 (Table 1). The Location of each outlier zones was randomly chosen. Their size varies from 10 to 30 pixels and all these pixels have the same NDVI value taken from $[0.1, 0.25] \cup [0.75, 0.9]$. All these parameters are drawn randomly for each desired outlier zones. Pixels around the outlier zone were smoothed in order to simulate a short gradient with “normal” surrounding NDVI values (Fig. 3g). Introduction of outlier zones may lead to a slight decrease for the correlation parameter.

The final step consisted in extracting the values of both information (Yield and NDVI) corresponding to the rows of the vine. The rows take the values of the nearest pixel. (Fig. 3d and h).

Implementation

Theoretical fields were designed with an area of one hectare (100 m × 100 m) with a 2.5 m distance between rows which corresponds more or less to typical fields area and plantation density of 4000 vines/ha found in south of France. The resolution was 1 pixel/m². For theoretical yield data, parameters of the simulation were defined so that average yield corresponds to common average yield of the region ($Y_{theo} = 1000g/vine$) and Coefficient of Variation (CV) to previous works: CV = 30%; $\sigma_G^2 = (1000 \times 0.3)^2$ (Krstic et al. 1998, Dunn and Martin 2000). For theoretical NDVI, the average value was set at $NDVI_{theo} = 1/2$, and the α factor in Eq. 11 at $\frac{1}{18\sigma_G}$ to ensure that all the NDVI values lay within the range of [0,1].

The choice of the different possible values for the four parameters (Table 1) was based on observations from literature in precision viticulture (Bramley et al. 2019, Bramley and Hamilton 2004, Hall et al. 2010, Li et al. 2017, Taylor et al. 2005, Tisseyre et al. 2008). For each parameter, three possible levels were defined (Table 1), encompassing a range of variability allowing to account for the existing diversity in vineyard fields. Each parameter will

Table 1 Values for theoretical field parameters

Parameter	Low	Medium	High
Range (m)	10	20	40
Ratio Nugget effect/Sill	1/10	1/3	1/2
Pearson correlation coefficient	0.1	0.4	0.7
Number of Outlier zones	0	3	6

Default values are in bold font

vary individually by setting the others to their default values, indicated in bold in Table 1. This procedure will ensure to test the effect of each parameter on the sampling results.

Real data

Real fields used to test the method come from INRA Pech-Rouge (Narbonne, France). The experiment and the data base was detailed by Carrillo et al. (2016). It is briefly summarised hereafter. NDVI values from nine different vine fields were considered. All of them are non-irrigated and exposed to Mediterranean climate with precipitation occurring during spring with hot and dry summer. The characteristics of each plot are shown in Table 2. NDVI values were derived from a 1 m. resolution multi-spectral image taken the 31th of August 2008 by Avion Jaune (Montpellier, Hérault, France). The spectral regions captured in the images were: blue (445–520 nm) green (510–600 nm), red (632–695 nm) and near-infrared (757–853 nm). From these 1 m square image pixels, aggregation method described in (Acevedo-Opazo et al. 2008) was used to obtain 9 m square image pixels reducing the effect of canopy discontinuity and bare soil on measured values. NDVI was finally computed from processed images according to Rouse et al. (1973). Mechanical or chemical weeding was performed over the inter-row spacing; therefore, row cover crop did not affect much NDVI values.

PSSs were selected regularly over the fields with measurement made on each node of a 15 m² width sampling grid (Fig. 4). At each node, yield was measured on five consecutive vines in the row and average yield was affected to the location corresponding to the central vine. The final data base was a set of 313 sites over the nine different fields. It is noteworthy that, unlike simulated fields, the number of PSSs is reduced for real fields. Indeed, since it was not practically possible to measure the yield on each vine stock, the consequence is that the number of PSSs depends on the number of available measurement sites, therefore PSSs per site varied from 19 to 45. Each PSS was then characterized by a Grape Weight per vine value (GW) and a NDVI value.

For each field, the average of all available measured GW values was used to estimate the average yield of the field (*Y*).

Table 2 Description of the experimental fields

Field	Area (ha)	Variety	Number of potential sampling sites	Range of semi variogram yield (m)	Pearson correlation coefficient (NDVI/yield)
P22	1.72	Syrah	45	21.14	0.13
P63	1.33	Syrah	42	7.37	0.28
P65	0.69	Syrah	33	27.71	0.86
P76	1.14	Carignan	37	22.20	0.39
P77	1.24	Syrah	19	9.25	0.48
P80	0.54	Syrah	40	20.34	0.63
P82	1.15	Syrah	53	21.69	0.47
P88	0.85	Syrah	21	14.08	-0.04
P104	0.81	Carignan	23	12.96	0.18

Nugget effect could not be estimated because of the resolution of yield data

Fig. 4 INRA Pech Rouge plot with row edges in blue and potential sampling sites in red (Color figure online)



Implementation

The core of the sampling approach was written in Java, the program used the Choco solver (Prud'homme et al. 2014). The calculations to obtain the distance matrix are made with Python. Theoretical fields, quantile classification according to their value for auxiliary data, estimation errors, and route distance were computed with R. Packages “gstats” and “sp” were used to generate Gaussian fields for the G variable.

As explained in the description of the constraints, the approach presented here takes into account the starting site of the practitioner to include it in the sampling circuit. Varying the starting site thus changes the result that will be obtained. In order to increase the number of situations tested for real data, this starting site is positioned on different ends of row across the vineyards. The approach was then applied to 86 different situations instead of 9. Results for the different starting sites were averaged for each field. For theoretical data, thirty simulations per set of parameters are tested (270 in total). CS was applied once to each simulated plot. The starting site is located on one of the corners of the plot. The two outer rows on each side and the first three vines of each row cannot be selected as, in practice, they are subject to border effects. For both theoretical and experimental data, RS and MS were applied 1000 times. These repetitions were possible as they rely on random or partially random selection of SSs. The following figures are based on the average of the results obtained on each field, the result of each field being the average across repetitions with different starting site.

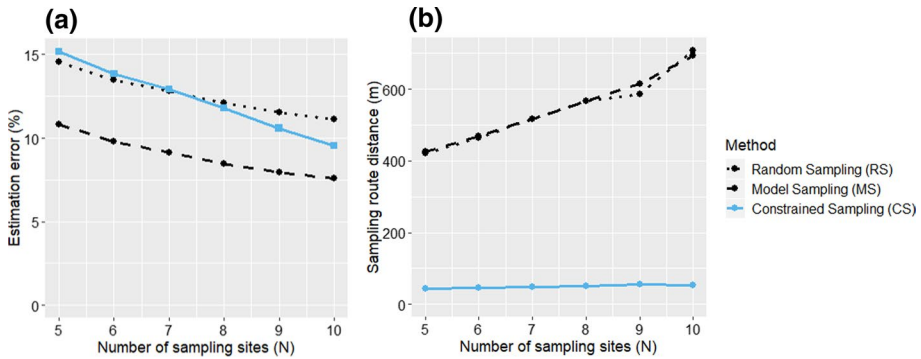


Fig. 5 Results for theoretical data with default parameters in function of the number of sampling sites; **a** estimation error, **b** sampling route distance

Results and discussion

Sampling and vine diversity

Number of sampling sites

Figure 5 presents the results obtained for the three sampling approaches, constrained sampling (CS), model sampling (MS) and random sampling (RS) for simulated fields with parameters set at their default values (Table 1). The different sampling approaches were tested on each simulated plot with a number of measurement sites ranging from $N=5$ to $N=10$. Results represent the averages obtained with thirty simulated plots.

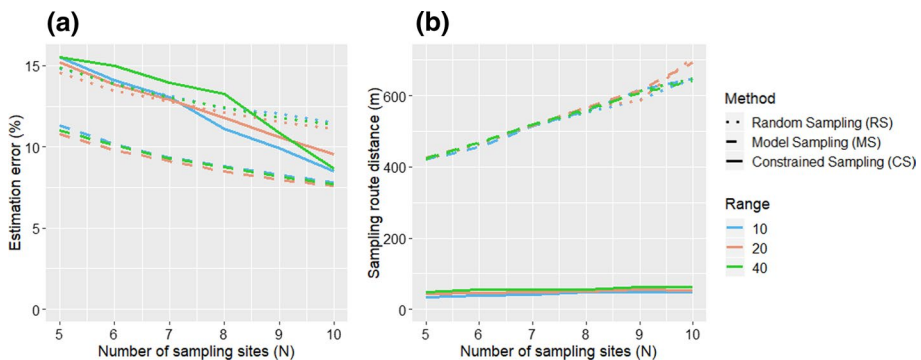
All the sampling methods follow the same trend with a decreasing error as the number of sampled sites increases. This result is logical, and consistent with the literature. As Carrillo et al. (2016) have already shown, taking into account auxiliary data, MS approach slightly improves the quality of yield estimation compared to a RS (Fig. 5a). With default values, it seems that the MS approach proposed by Carrillo et al. (2016) gives the best results in terms of estimation error. CS and RS both present similar errors whatever the number of SSs. Observed errors with CS are higher than for MS (i.e. without constraints). This result may be logical considering that the addition of the constraints may limit possibilities when choosing among the PSS.

Figure 5b clearly illustrates the gains brought by CS in terms of travel distance across the vineyard. Logically, the travelled distance within the plot increases linearly with N , the number of SSs. Travel distances with CS are at least 85% better than with other sampling methods. Distances are also less sensitive to the increase in the number of SSs with CS. This is explained by the gain brought by considering this criterion when selecting SSs. In view of these first results, CS offers a compromise between MS and distance criterion optimization, with a higher estimation error in favour of a significant reduction in distance.

With the hypothesis of a walking speed of 0.9 m/s and 60 s needed per SS, Table 3 shows that MS and CS perform better than RS. For a given amount of time, CS allows a higher number of observations to be made compared to other sampling approaches and therefore the lowest estimation error.

Table 3 Sampling time and estimation error for RS, MS and CS on simulated data

N	Random sampling (RS)		Model sampling (MS)		Constrained sampling (CS)	
	Error (%)	Time (s)	Error (%)	Time (s)	Error (%)	Time (s)
5	14,6	767	10,8	773	15,2	347
6	13,5	877	9,8	881	13,9	411
7	12,8	993	9,1	994	12,9	474
8	12,1	1111	8,5	1111	11,8	537
9	11,5	1192	7,9	1223	10,6	603
10	11,1	1387	7,6	1371	9,5	660

**Fig. 6** Effect of the semi-variogram range on sampling strategies. **a** Estimation error & **b** sampling route distance

Impact of the semi-variogram range

Figure 6 shows the estimation error and the distance results obtained with the 3 sampling approaches tested on theoretical fields with varying range (10 m, 20 m, 40 m) of semi-variograms. Varying the range does not affect significantly the estimation error in function of the number of Ss compared to previous results. MS still presents the best estimation error compared to CS and RS (Fig. 6a). For a range of 40 m, CS seems more erratic with the highest error for a low number of Ss ($N > 8$) and an estimation error which tends to the error observed with MS for a higher number of Ss ($N > 8$). As for estimation error, results of distances associated with RS and MS do not seem to be affected by the range parameter either (Fig. 6b). The increase in range is nevertheless associated with a slight increase in distance with CS.

Figure 7 gives an illustration of the sampling route obtained with the method for plots with different ranges (10, 20 and 40 m).

The method always promotes the measurement sites in the immediate vicinity of the starting site (0.0 coordinates). This is expected as the method aims to minimize travel time. A robustness study (result not shown) showed that the results were similar regardless of the starting site, the method always promote measurement sites close to the starting point whatever the plot characteristics. Figure 7 shows that the average distance between sampling sites tends to increase with the plot range. On these plots, the maximum distance

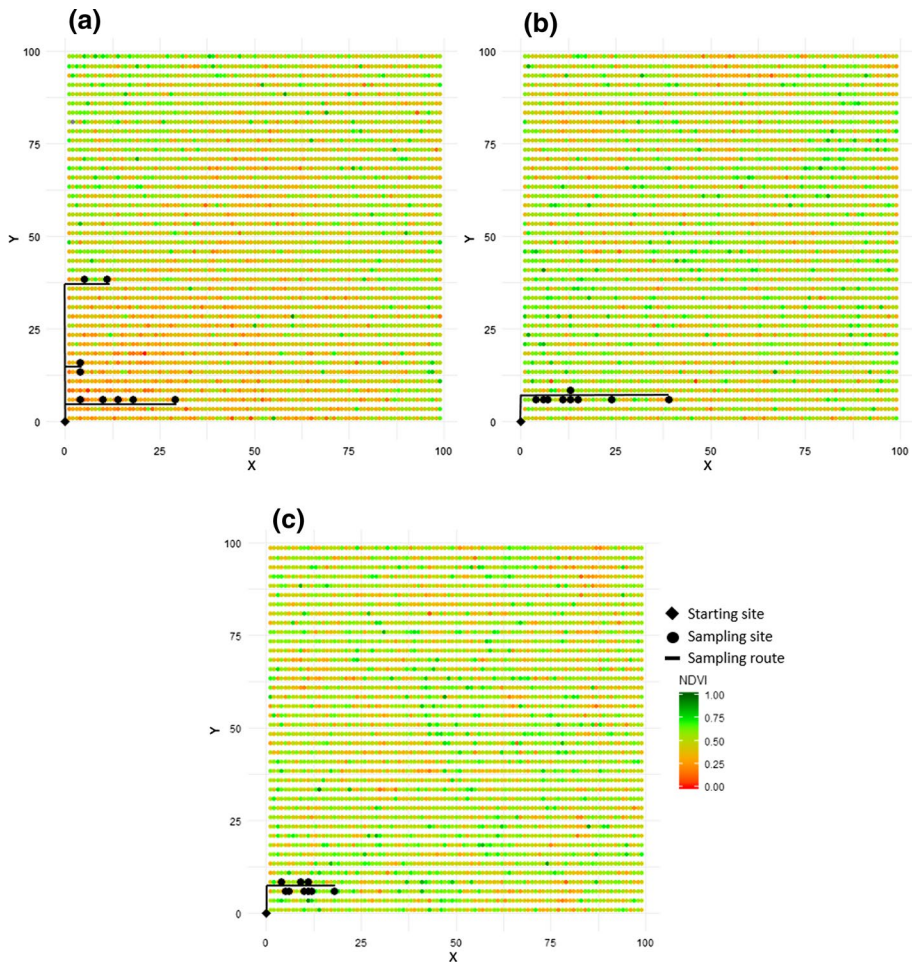


Fig. 7 Illustration of sampling routes for $N=9$ and three different ranges: **a** range = 40 m; **b** range = 20 m; **c** range = 10 m

between sampling points corresponds approximately to the range of the plot; it is of 40 m, 30 m and 10 m respectively for plot range of 40 m, 20 m and 10 m. This result is expected since as the range increases, the distance to find a higher diversity of values also increases leading to longer sampling routes for larger ranges. This result is consistent with that of Fig. 6b.

One surprising aspect, at first glance, is the close proximity of the sampling points. This characteristic is related to the nugget effect, which introduces erratic variance and high variability over short distances. This erratic variance makes it possible to find a high variability of values in the immediate vicinity of the starting point and other measurement sites. The sampling method takes advantage of this variability to minimize travel time. It should be remembered that in these simulations, the nugget effect was defined according to literature figures in precision viticulture. It is rather high since it represents more than 30% of the plot variability.

A decrease in this nugget effect leads to longer sampling route. For example, if the nugget effect is set to 0 (no erratic variability), then the sampling distance is longer since the distance needed to find representative values necessarily increases. Conversely in the case of no spatial autocorrelation, the method chooses contiguous independent measurement sites on a same row and the sampling distance is in this case very short (result not shown). Figure 7 therefore represents the result of optimal sampling that takes into account the combined effect of the nugget effect and the range considering realistic figures of spatial variability in viticulture.

Impact of the ratio nugget/sill

Figure 8 shows the impact of the ratio for the three sampling strategies. Whatever the sampling method and the number of sampling points, an increasing ratio affect the estimation error (Fig. 8a). This result is logical since the increase in the ratio corresponds to an increase in the proportion of erratic (non-autocorrelated) variance in the total variance of the NDVI. Thus, sampling methods tend to select SSs whose NDVI value is not necessarily correlated to the expected yield value. Note that for a high ratio (ratio=0.5), the estimation error with CS is more affected compared to other approaches. CS approach appears to be more sensitive to high ratio values. Indeed, the short-range variability introduced by higher erratic variance increase the chance to have sites in different quantile groups close to each other. The CS approach that minimizes the route from the starting site might select close SSs. Close SSs often provide redundant information, which leads to an increase in estimation error. On the other hand, the ratio does not seem to have any significant influence on the length of the sampling circuits (Fig. 8b).

Impact of the correlation level with auxiliary data

As expected, RS is not affected by a low level of correlation since SSs selection is not based on the NDVI data (Fig. 9a). This is not the case for MS and CS which both show lowest estimation errors when correlation between yield and NDVI is high while they show high estimation errors decreases when the correlation decreases. Since, MS and CS use the relationship between the two variables, it was expected that the quality of prediction decreases when this relationship is weakened. When the correlation is close to 0, MS tends

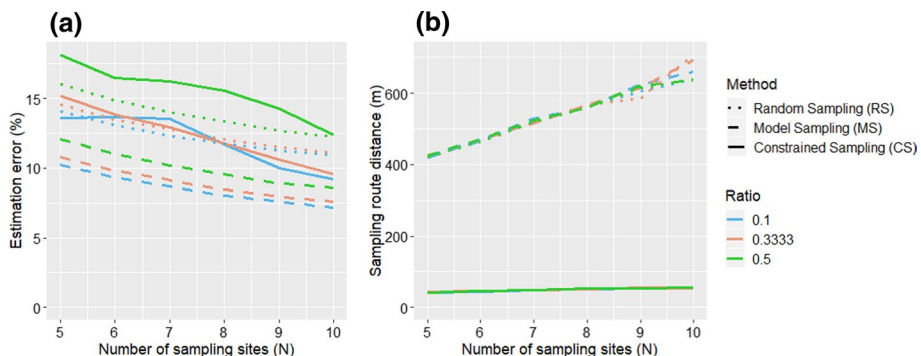


Fig. 8 Effect of the proportion of the ratio nugget/sill on sampling strategies. **a** Estimation error & **b** sampling route distance

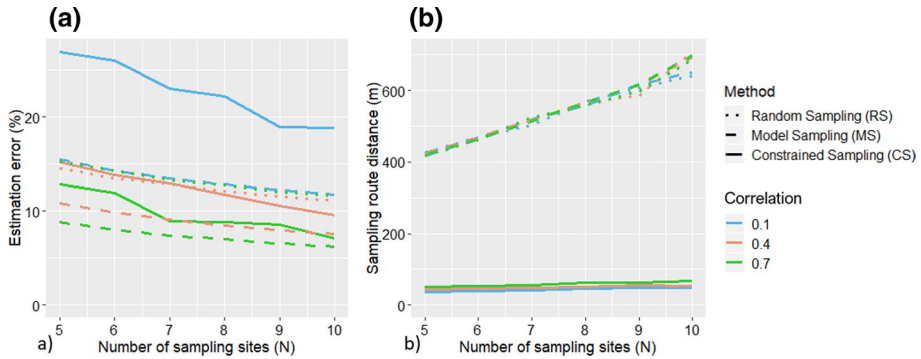


Fig. 9 Effect of the correlation between NDVI and yield on sampling strategies. **a** Estimation error & **b** sampling route distance

to have the same results as RS while CS presents the worst estimation error. For the theoretical dataset, a very low correlation corresponds to a strongly noisy NDVI (Eq. 9). The resulting short range erratic variability in NDVI could explain this result for CS. It follows the same phenomenon as already observed in the previous section for an increasing ratio. These results highlight the sensitivity of CS to noise in NDVI for the selection of SSs aiming at optimising the distance. As for previous result, sampling distance does not seem much affected by the correlation, apart for CS for which it seems to slightly decrease with the correlation (Fig. 9b). This result supports the idea of a decreasing correlation allowing the CS approach to find SSs closer to each other.

Impact of outlier zones

The addition of local outlier (Fig. 10a) seems to slightly affect all methods, including the RS which should not be affected by changes in auxiliary data. The effect of outlier zones is still more important on the CS. It is difficult to draw conclusions as the effect is not proportional to the number of outlier zones. As it could be expected, the length of the sampling circuits is not affected by these local outlier zones (Fig. 10b).

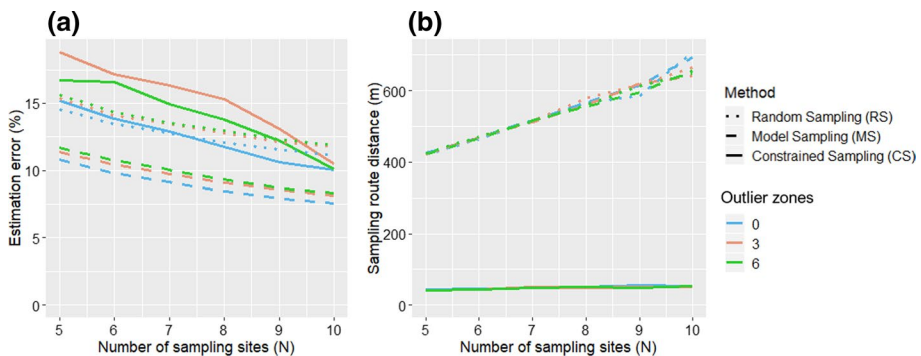


Fig. 10 Effect of outlier zones on sampling strategies. **a** Estimation error & **b** sampling route distance

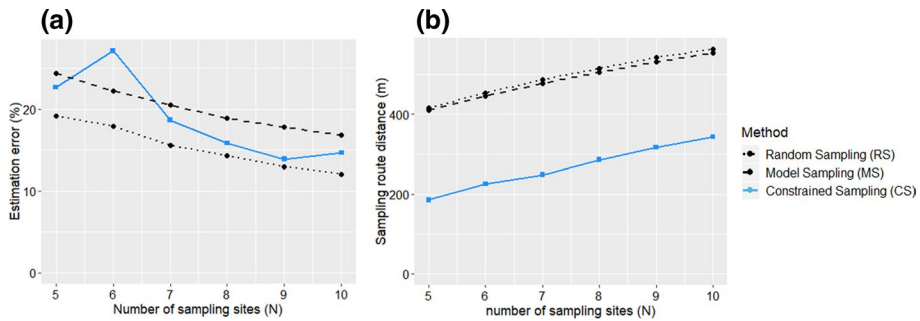


Fig. 11 Results on real data. **a** Estimation error & **b** sampling route distance

Evaluation of sampling strategies on real data

Figure 11 shows the averaged result of the three sampling methods on real fields. The same logical decrease in error as the number of sampled sites increases is observed (Fig. 11a.) The irregularity of the curves associated with CS can be explained by a smaller number of experiments compared to results obtained with theoretical fields. With $N=6$ put aside, CS estimation errors are just halfway between those of RS and MS. Considering the characteristic of real fields in terms of ratio and correlation between yield and NDVI (Table 1), these results are consistent with the results obtained on the simulated data. CS has been shown to be sensitive to the correlation between yield and NDVI and noise in NDVI values. The average correlation between yield and NDVI being quite large for real data (0.38 on average, Table 1) and NDVI values being smoothed, real fields present average characteristics close to the default values for theoretical fields. The reduction of erratic local variability in NDVI may have favoured results observed with real fields with CS. Figure 11b illustrates the gains in terms of travel distance across the vineyard when using CS compared to other sampling approaches. Distance is reduced by approx. 50% with CS compared to MS and RS. This result is again consistent with those observed with theoretical data. However, the gain here is much smaller than with theoretical data because of the lower number of PSSs available for real fields. Considering the minimum distance between two PSSs is 15 m, the distance required to travel through the selected SS is necessarily higher for real fields because of the impossibility for the algorithm to find SSs closer than 15 m to each

Table 4 Sampling time and estimation error for RS, MS and CS on real data

N	Random sampling (RS)		Model sampling (MS)		Constrained sampling (CS)	
	Error (%)	Time (s)	Error (%)	Time (s)	Error (%)	Time (s)
5	24,4	755	19,2	761	22,7	506
6	22,3	855	17,9	863	27,2	611
7	20,5	949	15,5	961	18,7	696
8	18,9	1042	14,3	1052	15,8	797
9	17,8	1129	12,9	1144	13,9	892
10	16,8	1214	12	1225	14,7	981

other, while this was possible for theoretical fields. Overall, this method offers a good compromise between the quality of the estimate and the travel constraint on the plot.

Table 4 compares the performance of the different approaches on sampling time and estimation error for real data. Walking speed is set at 0.9 m/s and 60 s are required for each SS. As for simulated data, CS perform better (up to 30%) than other approaches for a given amount of time.

Further reflections

The method presented in this paper aims to select SSs accounting for variability highlighted by auxiliary data and the practitioner constraints simultaneously. It is intended to be general enough to be applicable to various combinations of auxiliary data and variable of interest. This type of strategy could be applied to any type of crop where the travel route of operators is constrained by the organization of the crop (trellised structure). It may be necessary to keep in mind the assumptions on which the approach is based on: the fact that there is a correlation between the variable of interest and the auxiliary variable and the relevant auxiliary variable is available with a high spatial resolution.

The choice of the auxiliary variable depends on the variable of interest to be estimated and the pedo-climatic context of the crop. Returning to the application case presented in this paper, it is based on preliminary studies that indicate that the NDVI measured at veraison was a relevant auxiliary variable to guide yield sampling in the specific context of non-irrigated Mediterranean vineyard. However, this same auxiliary variable may not be relevant in other soil and climatic contexts. As a result, the choice of the variables used requires prior knowledge and expertise for the correct implementation of the approach.

Overall, it seems that CS offers a strategy with relevant compromise between estimation error and sampling distance. It significantly improves the performance of the latter criterion for a small increase of the estimation error. For a given amount of time, CS presents better results than reference methods. For a given number of SSs, the gap for the average error between CS and MS, which also uses a model for estimating the variable of interest, could be explained by two points. First, the optimization of the distance tends to regroup the SSs around the starting point (Fig. 6), and it has been shown that this could be a disadvantage when the auxiliary data is noisy, indeed in this case, CS favours the choice of different NDVI values very close to each other and not necessarily correlated with the variable of interest. Conversely, the other methods can be more representative as they are more likely to choose SSs anywhere over the plot. The second reason is that choosing points close to each other reduces the distance of the circuit but might increase the autocorrelation between measurements. Two close sites will provide more or less redundant information depending on the distance between them. It should be noted that on the plot, practitioners generally rely on a random sampling limited to a fraction of the plot (often a pair of rows) as they cannot cover the whole field. The results obtained would then correspond to a degraded version of the random sampling due to the same auto-correlation problem.

A potential solution to minimize the gap between MS and CS would be to set a minimum distance between two SSs. This minimum distance could be derived from spatial auto-correlation of available auxiliary data or historical yield maps. This distance would be determined with the range of the experimental semi-variogram obtained with the auxiliary data. Depending on the value, this could make it possible to avoid or limit the autocorrelation issue between the SSs and to better results of CS for slightly longer sampling times. Another practical option when the auxiliary data is particularly noisy (ratio > 0.33), would

be to smooth the data using, for example, a moving window average. This was done on real fields of this study and gave particularly interesting results. The methodology proposed by Tisseyre et al. (2018) could be used to decide on the size of the smoothing window to be used according to the erratic variance that is to be eliminated. Each of these areas for consideration could improve the sampling method presented here with reduced estimation errors and more widely spaced measurement sites.

Other areas for improvement are possible, such as, for example, the ability to integrate multiple auxiliary data or to use more complex models.

Conclusion

The methodology presented in this paper describes a new approach, Constrained Sampling (CS), for yield sampling in viticulture. The originality of the approach comes from the association of method from Carrillo et al. based on auxiliary data and optimisation algorithms to propose relevant sampling routes in term of estimation error and travelled distance. While the model sampling principle guides sampling points choice considering auxiliary information, optimisation through constraint programming ensures the relevancy of the chosen route in term of walking distance for the practitioner. CS appears however sensitive to unfavourable situations (low correlation, poor spatial structure, erratic variance of the auxiliary data) while other methods relying on random aspect may fare better. In favourable situations (good correlation between auxiliary data and yield and strong spatial structure), CS gives very good results. The estimation error is close to what is proposed by Carrillo et al. However, CS makes it possible to obtain much shorter sampling in distances and times. This saved time can then be used to increase the number of measurements and the reliability of the estimation.

Acknowledgements This work was supported by the French National Research Agency under the Investments for the Future Program, referred as ANR-16-CONV-0004 (#Digitag).

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