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1 Effects of pathogen sexual reproduction on the
2 evolutionary and epidemiological control provided
3 by deployment strategies for two major resistance
4 genes in agricultural landscapes.

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Summary

- Resistant cultivars are of value for protecting crops from disease, but can be rapidly overcome by pathogens. Several strategies have been proposed to delay pathogen adaptation (evolutionary control), while maintaining effective protection (epidemiological control). Resistance genes can be *i*) combined in the same cultivar (pyramiding), *ii*) deployed in different cultivars sown in the same field (mixtures) or in different fields (mosaics), or *iii*) alternated over time (rotations). The outcomes of these strategies have been investigated principally in pathogens displaying pure clonal reproduction, but sexual reproduction may promote the emergence of superpathogens adapted to all the resistance genes deployed.
- We improved the spatially explicit stochastic model *landsepi* to include pathogen sexual reproduction, and then investigate the effect of sexual reproduction on evolutionary and epidemiological outcomes across deployment strategies for two major resistance genes.
- Sexual reproduction only favours the establishment of a superpathogen when single mutant pathogens are present together at a sufficiently high frequency, as in mosaic and mixture strategies.
- We concluded that, although sexual reproduction may promote the establishment of a superpathogen, it did not affect the optimal strategy recommendations for a wide range of mutation probabilities, associated fitness costs, and landscape organisations (notably the cropping ratio of resistant fields).

Keywords deployment strategy, disease control, durable resistance, downy mildew, evolutionary epidemiology, major gene resistance, sexual reproduction, simulation modelling.

1 Introduction

The deployment of resistant cultivars in agricultural landscapes is a relatively low-input and cost-effective way to protect crops from plant pathogens. However, resistant cultivars have often been rapidly overcome by pathogens, especially when a single resistant cultivar is widely cultivated over a large geographic area (McDonald and Linde, 2002; Parlevliet, 2002; García-Arenal and McDonald, 2003). Ultimately, this may result in recurrent cycles of resistance deployment followed by rapid pathogen adaptation, often described as boom-and-bust

57 cycles (McDonald and Linde, 2002). Several strategies have been proposed
58 to promote a more durable management of resistant cultivars. These strate-
59 gies involve increasing cultivated host genetic diversity (McDonald, 2010, 2014;
60 Zhan et al., 2015) with the aim of confronting pathogens with eco-evolutionary
61 challenges to prevent or delay their adaptation to plant resistance (evolutionary
62 control), while maintaining effective disease protection (epidemiological control).
63 Plant breeders can stack resistance sources in the same cultivar by pyramiding
64 (McDonald and Linde, 2002; Fuchs, 2017), or farmers can alternate resistances
65 over time by rotating cultivars in the same field (Curl, 1963). Host genetic
66 diversity can also be introduced spatially. Resistant cultivars can be combined
67 within the same field in cultivar mixtures (Wolfe, 1985; Mundt, 2002) or culti-
68 vated in different fields in landscape mosaics (Burdon et al., 2014; Zhan et al.,
69 2015).

70 Given the multitude of deployment options, it is not straightforward to com-
71 pare deployment strategies for identification of the optimal deployment strategy
72 in a given epidemiological context. In addition, evolutionary and epidemiological
73 control may not necessarily be correlated: any strategy designed to control the
74 emergence of resistance-adapted pathogens in agro-ecosystems may potentially
75 come into conflict with epidemiological control (Burdon et al., 2014; Papaïx
76 et al., 2018; Rimbaud et al., 2018a). Finally, particularly for airborne plant
77 pathogens, which often disperse over large distances, deployment strategies are
78 more likely to be effective if implemented across landscapes at large spatial
79 scales, rendering experimental testing logistically demanding (but see Lohaus
80 et al. 2000; Zhu et al. 2000; Djian-Caporalino et al. 2014; Koller et al. 2018).
81 Many mathematical models have been developed to overcome these difficulties,
82 to facilitate assessments of the variation of evolutionary and epidemiological out-
83 comes across different resistance deployment strategies (reviewed by Rimbaud
84 et al. 2021). These models have been used to unravel the effects of resistance
85 deployment strategies on pathogen epidemiology and evolution, and to compare
86 these strategies in a given epidemiological context.

87 Most of the models reviewed by Rimbaud et al. (2021) include only selec-
88 tion and/or mutation as evolutionary forces. This approach is suitable for the
89 simulation of pathogens with purely clonal reproduction systems. Under the
90 hypothesis of a purely clonal reproduction system, new pathogen variants are
91 already present (possibly at low frequency) at the beginning of the simulated pe-
92 riod, are introduced through migration, or are generated by mutation. However,
93 some pathogens are not purely clonal and their life cycles include at least one

94 sexual event per cropping season (mixed reproduction system), with some even
95 reproducing exclusively by sexual means (purely sexual reproduction system).
96 Of the 43 plant pathogens analysed by McDonald and Linde (2002), only 17 have
97 exclusively clonal reproduction, the other 26 pathogens presenting at least one
98 sexual reproduction event during their life cycle. The genetic recombination oc-
99 ccurring during sexual reproduction can efficiently create gene combinations that
100 would be accessible only through sequential mutation events in a purely clonal
101 reproduction system. Several authors have argued that pathogens with mixed
102 reproduction system have the highest potential for evolving and breaking down
103 the resistances deployed in agriculture (McDonald and Linde, 2002; Stam and
104 McDonald, 2018). Genetic recombination first creates many new variants of the
105 pathogen (Tibayrenc and Ayala, 2002; Halkett et al., 2005). The populations of
106 the fittest variants then expand rapidly through clonal reproduction, potentially
107 breaking down the resistance, (*i.e.* increasing the frequency of pathogen strains
108 adapted to the resistance genes present). Genetic recombination can, there-
109 fore, have a major impact on the evolutionary and epidemiological outcomes
110 of resistance deployment strategies (Arenas et al., 2018; Stam and McDonald,
111 2018). It has been shown that even low rates of recombination in pests and
112 pathogens have profound implications for policies concerning drug and pesti-
113 cide resistance (Halkett et al., 2005). Similarly, by mixing the genotypes of
114 parental individuals, recombination can favour the emergence of the generalist
115 superpathogens able to overcome pyramided cultivars (McDonald and Linde,
116 2002; Uecker, 2017). However, the ability of recombination to favour the emer-
117 gence of superpathogens also depends on subtle interactions between mutation
118 and recombination rates on the one hand, and pathogen population size on
119 the other (Althaus and Bonhoeffer, 2005). Indeed, recombination can generate
120 variants accumulating infectivities, but it can also break down such genetic
121 combinations (Hadany and Beker, 2003).

122 Despite the potentially major impact of the pathogen reproduction system
123 on the epidemiological and evolutionary control provided by resistance deploy-
124 ment strategies, this impact has been little studied and is poorly understood.
125 Genetic recombination is considered in only three (Sapoukhina et al., 2009; Xu,
126 2012; Cr  t   et al., 2020) of the 69 models reviewed by Rimbaud et al. (2021) and
127 in a recent study by Saubin et al. (2021). These studies considered pathogens
128 with mixed reproduction systems, but they did not compare purely clonal re-
129 production with mixed reproduction systems, all other things being equal. It is,
130 therefore, difficult to assess the impact of reproduction system on the epidemi-

131 logical and evolutionary control provided by resistance deployment strategies
132 from the data currently available. In addition, these works focused on just one
133 or two resistance deployment strategies, preventing a global assessment of all
134 possible spatiotemporal deployment options. They highlighted the role of the
135 fitness cost of resistance in superpathogen persistence (Xu, 2012), and in the ef-
136 ficacy of rotation (Cr  t   et al., 2020) and mixture (Xu, 2012; Sapoukhina et al.,
137 2009) strategies. In addition, Saubin et al. (2021) assessed the impact of ploidy
138 on resistance durability, revealing that resistance durability was greater, but
139 more variable, for diploid pathogens.

140 Here, we investigated the effect of pathogen sexual reproduction on the evolu-
141 tionary and epidemiological control achieved with four main categories of deploy-
142 ment strategies (rotation, pyramiding, mixture and mosaic). We adapted the
143 *landsepi* model (Rimbaud et al., 2018b), which simulates the spread of epidemics
144 across an agricultural landscape and the evolution of a pathogen in response to
145 the deployment of host resistance, to include pathogen sexual reproduction. We
146 then used this model to compare the resistance deployment strategies consid-
147 ered for situations in which two major resistance genes conferring immunity
148 are deployed. The new model is flexible enough to vary resistance deployment
149 strategy and pathogen life cycle, making it possible to compare pathogens with
150 different reproduction systems (purely clonal *vs.* mixed). We parameterised the
151 model to simulate grapevine downy mildew, which is caused by the oomycete
152 *Plasmopara viticola*. However, our general conclusions are likely to have broader
153 implications to other pathosystems.

154 2 Description

155 2.1 Model overview

156 The model used in this study is an adapted version of that presented by Rimbaud
157 et al. (2018b), which simulates the clonal reproduction, spread and evolution of a
158 pathogen in an agricultural landscape over multiple cropping seasons. Here, we
159 introduce between-season sexual reproduction to address the issue of pathogens
160 with mixed reproduction systems. Multiple clonal reproduction events occur
161 during the life cycle of these pathogens, with a final sexual reproduction event
162 at the end of the host cropping season. We split the modelled cropping season
163 into two different time periods: *i*) within the cropping season, when multi-
164 ple clonal reproduction events take place, and *ii*) the period between cropping

165 seasons, when a single sexual reproduction event may take place. Below, we
166 describe only the major changes between cropping seasons, the modifications
167 within cropping seasons being only minor. The entire model is described in
168 *Supporting Information* note S1, and the code is available from the R package
169 *landsepi* (v1.2.4, Rimbaud et al. 2022).

170 2.2 Landscape and resistance deployment strategies

171 We considered agricultural landscapes randomly generated with a T-tessellation
172 algorithm (Papaix et al., 2014) in which four cultivars were randomly allo-
173 cated to fields: a susceptible cultivar (SC) initially infected with a pathogen not
174 adapted to any resistance, two resistant cultivars, each carrying a single resis-
175 tance gene (RC_1 and RC_2), and one resistant cultivar carrying both resistance
176 genes (RC_{12}). We first allocated a proportion $1 - \varphi_1$ of fields to receive SC, the
177 remaining φ_1 candidate fields then being allocated a cultivar according to one
178 of the following strategies:

- 179 1. Mosaics: RC_1 and RC_2 are cultivated in the equal proportions of the
180 candidate fields ($\varphi_2 = 0.5$);
- 181 2. Mixture: both RC_1 and RC_2 are cultivated in all the candidate fields, in
182 equal proportions within each field ($\varphi_2 = 0.5$);
- 183 3. Rotations: RC_1 and RC_2 are cultivated alternately in candidate fields for
184 a fixed number of cropping seasons (three-year rotation).
- 185 4. Pyramiding: RC_{12} is cultivated in all candidate fields.

186 A cultivar carrying a major resistance gene is assumed to be immune to
187 disease (*i.e.* pathogen infection rate is equal to 0), unless the pathogen has
188 acquired the corresponding infectivity gene, according to the so-called “gene-for-
189 gene” hypothesis (Leonard, 1977; Thompson and Burdon, 1992). A non-adapted
190 pathogen (denoted “WT” here for “wild type”) can acquire infectivity gene
191 $g \in \{1, 2\}$ through a single mutation, with a probability τ_g , or, alternatively,
192 through sexual reproduction with another individual pathogen carrying such an
193 infectivity gene. Infectivity genes confer an ability to break down the associated
194 major gene resistance on the pathogen. The evolution of infectivity may be
195 penalised by a fitness cost (θ_g) on susceptible hosts (Brown, 2015; Laine and
196 Barrès, 2013; Thrall and Burdon, 2003). This fitness cost is represented in the
197 model as a lower infection rate for mutant pathogens on hosts not carrying the

198 corresponding resistance gene. Here, a pathogen genotype is represented by
 199 a set of binary variables indicating whether it carries infectivity genes able to
 200 overcome cultivar resistance genes. There are four possible pathogen genotypes:
 201 wild-type, unable to break down the resistance conferred by any resistance gene
 202 (“00”), single mutant “SM₁” (or “SM₂”), able to break down to the first (or
 203 second) resistance gene (“10” and “01”, respectively), and superpathogen “SP”,
 204 able to break down both resistance genes (“11”). The relative infection rates of
 205 these pathogens on the different cultivars are summarised in Table 1.

Table 1: Plant-pathogen interaction matrix.

		Host genotype v			
		SC	RC ₁	RC ₂	RC ₁₂
Pathogen genotypes p	WT	1	0	0	0
	SM ₁	$1-\theta_1$	1	0	0
	SM ₂	$1-\theta_2$	0	1	0
	SP	$(1-\theta_1)(1-\theta_2)$	$1-\theta_2$	$1-\theta_1$	1

The matrix gives the coefficient by which the infection rate is multiplied. The value of this coefficient reflects the relative infection rates for the wild-type (WT) and adapted (single mutants SM₁ and SM₂, and SP) pathogen genotypes on the susceptible (SC) and resistant cultivars carrying a single major resistance gene (cultivar RC₁ and cultivar RC₂), or their combination (RC₁₂). θ_1 and θ_2 are the fitness costs of adaptation with respect to the major resistance genes considered.

206 2.3 Demogenetic dynamics within the cropping season

207 The demogenetic dynamics of the host-pathogen interaction within the crop-
 208 ping season are based on a compartmental model with a discrete time step,
 209 schematically reported in Fig. 1. Below, $H_{i,v,t}$, $L_{i,v,p,t}$, $I_{i,v,p,t}$, $R_{i,v,p,t}$, and $P_{i,p,t}$
 210 denote the numbers of healthy, latent, infectious and removed individuals, and
 211 of pathogen propagules, respectively, in the field $i = 1, \dots, J$, for cultivar $v = 1, \dots,$
 212 V , pathogen genotype $p = 1, \dots, P$ at time step $t=1, \dots, T \times Y$ (Y is the number
 213 of cropping seasons and T the number of time steps per season). Note that, in
 214 this model, an “individual” is defined as a given amount of plant tissue, and is
 215 referred to as a “host” hereafter for the sake of simplicity. At the beginning of
 216 the cropping season, healthy hosts are contaminated with the primary inoculum
 217 generated at the end of the previous cropping season.

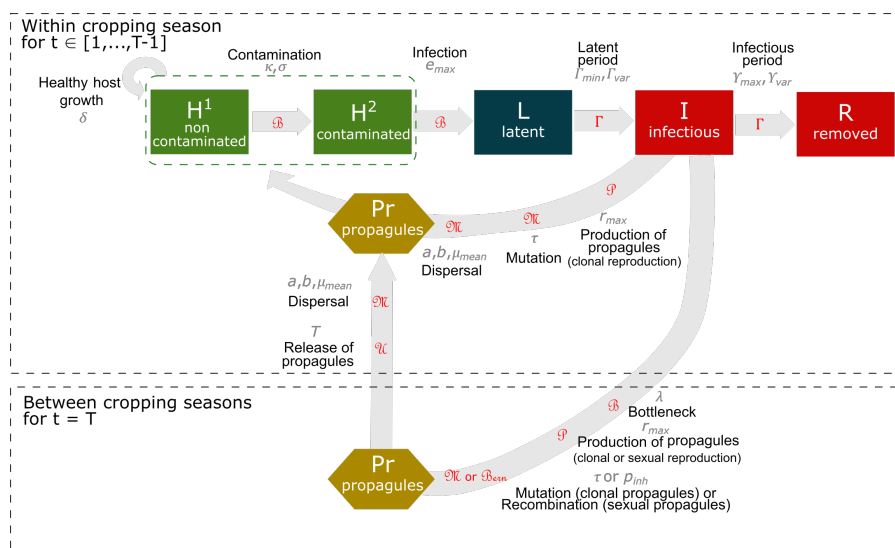


Figure 1: Model overview. Within-cropping season dynamics: healthy hosts can be contaminated by pathogen propagules (produced both at the end of the previous cropping season and within the current cropping season) and may become infected. Following a latent period, infectious hosts start producing propagules through clonal reproduction. These propagules may mutate and disperse across the landscape. At the end of the infectious period, infected hosts become epidemiologically inactive. Qualitative resistance prevents the infection of contaminated hosts, *i.e.* their transition to the latently infected state. Green boxes indicate healthy hosts contributing to host growth, as opposed to diseased plants (*i.e.* symptomatic, red boxes) or plants with latent infections (dark blue box). Between-cropping season dynamics: at the end of each cropping season, pathogens experience a bottleneck during the off-season period, and propagules are then produced (by clonal or sexual reproduction). Clonal propagules may mutate, whereas genetic recombination may occur during sexual reproduction. Propagules produced between host cropping seasons are gradually released during the following host cropping season. The parameters associated with epidemiological processes are indicated in grey and detailed in Table 2. The distributions used to simulate stochasticity in model transitions are indicated in red; \mathcal{B} : binomial, Γ : gamma, \mathcal{P} : Poisson, \mathcal{M} : multinomial, \mathcal{U} : uniform, \mathcal{B}_{Bern} : Bernoulli. Host logistic growth is deterministic. The entire model is described in *Supporting Information* note S1.

218 2.4 Demogenetic dynamics between cropping seasons

219 The demogenetic dynamics of the host-pathogen interaction between cropping
220 seasons is presented schematically in Fig. 1. At the end of the cropping season,
221 the crop is harvested and the leaves of the host plants fall to the ground, impos-
222 ing a potential bottleneck on the pathogen population before the start of the
223 next cropping season. The remaining hosts produce clonal or sexual propagules.
224 Clonal propagules can mutate in the same way as they do during the cropping
225 season. The production of propagules through sexual reproduction and the pos-
226 sibility of genetic recombination are detailed in the section 2.4.1. The propagules
227 produced during the period between cropping seasons, whether clonal or sexual,
228 are uniformly released throughout the following cropping season, constituting
229 the primary inoculum.

230 2.4.1 Pathogen sexual reproduction

231 In field i , the pool of infectious hosts associated with the same cultivar v
232 undergoes sexual reproduction. Two parental infectious hosts, infected with
233 pathogens Par_1 and Par_2 , respectively, are randomly sampled without replace-
234 ment from the pool of infectious hosts. The $c = \{Par_1; Par_2\}$ pair produces
235 $P_{v,c}^{sex}$ propagules, drawn from a Poisson distribution in which the expectation
236 is the sum of the number r_{max} of propagules produced by each of the parental
237 infectious hosts:

$$P_{v,c}^{sex} \sim Poisson(2 \times r_{max}) \quad (1)$$

238 The genotype of each propagule is then retrieved from the parental genotypes:
239 the genotype at every locus g is randomly sampled from one of the two parents
240 $\{Par_1; Par_2\}$. For example, assuming that parental infection Par_1 provides
241 infectivity genes against resistance gene $g = 1$ (corresponding to genotype “10”)
242 and parental infection Par_2 provides infectivity genes effective against resistance
243 $g = 2$ (genotype “01”), the resulting propagule genotype may be the same as
244 that of one of the two parents (with probability 0.5), an SP genotype “11”
245 (probability 0.25), or a WT genotype “00” (probability 0.25). This process is
246 iterated for all the pairs $c = 1, \dots, C$ of infectious hosts associated with all the
247 cultivars $v = 1, \dots, V$ in a given field i , resulting in a total number of sexual

248 propagules:

$$P_i^{sex} = \sum_{v=1}^V \sum_{c=1}^C P_{v,c}^{sex} \quad (2)$$

249 **2.5 Propagule dispersal**

250 Clonal and sexual propagules disperse similarly (no dispersal dimorphism) within
251 the landscape according to a power-law dispersal kernel.

Table 2: Summary of model parameters and numerical simulation plan (factors in bold are varied according to a complete factorial design).

Notation	Parameter	Value	Source
Simulation Factors			
Y	Number of cropping seasons	50 years	Fixed
T	Number of time steps in a cropping season	120 days	Fixed
J	Number of fields in the landscape	[155; 154; 152; 153; 156]	Varied
V	Number of host cultivars	[2 ^a , 3 ^b]	Fixed
Initial conditions and seasonality (same value for all cultivars)			
C_v^0	Plantation host density of cultivar v (in pure crops)	1 m ⁻²	Fixed
C_v^{max}	Maximal host density of cultivar v (in pure crops)	20 m ⁻²	Fixed
δ_v	Host growth rate of cultivar v	0.1 day ⁻¹	[1]
Φ	Initial probability of infection of susceptible hosts	5.10 ⁻⁴	Fixed
λ	Off-season survival probability of pathogen spores	10 ⁻⁴	Fixed
Pathogen aggressiveness components			
e_{max}	Maximal expected infection rate	0.9 spore ⁻¹	[2,3]
Γ_{min}	Minimal expected latent period duration	7 days	See note S2
Γ_{var}	Variance of the latent period duration	8 days	See note S2
Υ_{max}	Maximal expected infectious period duration	14 days	See note S2
Υ_{var}	Variance of infectious period duration	22 days	See note S2
r_{max}	Maximal expected propagule production rate	2 spores.day ⁻¹	See note S2
Sexual reproduction			
R	Pathogen reproduction system	[purely clonal,mixed]	Varied
p_{inh}	Probability of a sexual propagule inheriting the genotype at locus g from parent Par_1 genotype	0.5	Fixed
Pathogen dispersal			
$g(\cdot)$	Dispersal kernel	Power-law function	See note S1
μ_{mean}	Mean dispersal distance	20 m	[4]
a	Scale parameter	40	[4]
b	Width of the tail	7	[4]
Contamination of healthy hosts			
$\pi(\cdot)$	Contamination function	Sigmoid	See note S1
σ	Related to the position of the inflection point	3	[4]
κ	Related to the position of the inflection point	5.33	[4]
Host-pathogen genetic interaction			
G	Total number of major genes	2	Fixed
τ_g	Mutation probability for infectivity gene g	[10⁻⁷; 10⁻⁴]	Varied
ρ_g	Efficiency of major gene g	1	
θ_g	Cost of infectivity of infectivity gene g	[0;0.25;0.5]	Varied
Landscape organisation			
	Resistance deployment strategy	MIxture; MOsaic; PYramiding; ROtation	Varied
α	Level of spatial aggregation	0	Fixed
φ_1	Cropping ratio of fields in which resistance is deployed	[0.17; 0.33; 0.5; 0.67; 0.83]	Varied
φ_2	Relative cropping ratio of RC ₂	0.5 ^c	Fixed

^a : pyramiding; ^b : mixture, mosaic, rotation; ^c : for mixture and mosaic only. Source: [1] Bove and Rossi (2020); [2] Bove et al. (2019); [3] Boso and Kassemeyer (2008); [4] Rimbaud et al. (2018b).

252 **2.6 Simulation plan and model outputs**

253 **2.6.1 Model parameterisation for *Plasmopara viticola***

254 We parameterised the model to simulate epidemics of *Plasmopara viticola*, the
255 causal agent of grapevine downy mildew, which has a mixed reproduction system
256 (Wong et al., 2001; Gessler et al., 2011). Downy mildew is a real threat to
257 grapevines in all vine-growing areas of the world, causing significant yield losses
258 and leading to the massive use of pesticides (Gessler et al., 2011). In recent years,
259 breeders have been developing programs for breeding resistance to grapevine
260 downy mildew, resulting in the creation of several resistant varieties, with the
261 aim of lowering rates of fungicide application on grapevines. However, *P. viticola*
262 has already been shown to have a high evolutionary potential, as demonstrated
263 by the rapid emergence of fungicide resistance (Blum et al., 2010; Chen et al.,
264 2007) and the breakdown of some of the resistances deployed (Peressotti et al.,
265 2010; Delmas et al., 2016; Paineau et al., 2022). All the model parameters used
266 in the simulations are listed in Table 2.

267 **2.6.2 Simulation plan**

268 The model is used to assess evolutionary and epidemiological outputs for dif-
269 ferent deployment strategies. In addition to the four resistance deployment
270 strategies considered (mosaic, mixture, rotation, pyramiding), we varied the
271 cropping ratio of fields where resistance is deployed (φ_1 , five values), while as-
272 suming similar relative proportions of the two resistant cultivars ($\varphi_2 = 0.5$ in
273 mixtures and mosaics). We simulated different pathogen evolutionary poten-
274 tials, by varying the mutation probability (τ , two levels) and the fitness cost (θ ,
275 three values) while assuming the same characteristics for both major genes (*i.e.*
276 $\tau_g = \tau$ and $\theta_g = \theta \forall g \in 1, 2$). We explored the effect of the pathogen reproduc-
277 tion system by either having the pathogen reproduce sexually at the end of the
278 cropping season (mixed reproduction system) or having no sexual reproduction
279 event (purely clonal reproduction system). The abovementioned factors were
280 explored with a complete factorial design of 240 parameter combinations (Ta-
281 ble 2). Simulations were also performed with five different landscape structures
282 (with about 155 fields and a total area of 2×2 km², see Fig. S11 in the *Sup-*
283 *porting Information*) and 48 replications in each landscape structure, resulting
284 in a total of 240 replicates per parameter combination. The whole numerical
285 design represents a total of 57600 simulations. Each simulation was run for 50

286 cropping seasons of 120 days each. Trial simulations showed that this simulation
287 horizon was sufficiently long to differentiate between deployment strategies in
288 terms of their evolutionary and epidemiological performances.

289 **2.6.3 Model outputs**

290 At the end of a simulation run, the results were evaluated by considering evolu-
291 tionary and epidemiological outputs. For evolutionary outputs, we determined
292 the time point at which the generalist superpathogen SP was established in the
293 resistant host population. We first studied SP establishment by defining E_{SP} a
294 binary variable set to 1 if the SP becomes established before the end of a simu-
295 lation run and 0 otherwise. Assuming that the SP became established, we then
296 studied the time to establishment T_{SP} . This time corresponds to the time point
297 at which the number of resistant host plants infected with SP exceeds a thresh-
298 old above which extinction in a constant environment becomes unlikely. We also
299 determined the time required for the two single mutants to become established
300 (T_{SM_1} and T_{SM_2}). Finally, we monitored the size of the superpathogen popula-
301 tion SP_{t^f} and the maximum number of heterogeneous parental pairs HP_{t^f} (*i.e.*
302 parental pairs involving SM_1 and SM_2) in the landscape after the bottleneck.
303 In a given field and for a given host cultivar, the maximum number of hetero-
304 geneous parental pairs was calculated as the minimum between the population
305 size of SM_1 and SM_2 after harvest at t^f ; which gives, for the whole landscape:
306 $HP_{t^f} = \sum_i^J \sum_v^V [\min(SM_{2;i,v,t^f}; SM_{1;i,v,t^f})]$. For epidemiological output, we
307 assessed the area under the disease progress curve (AUDPC) to measure disease
308 severity over the whole landscape, averaged across all the simulated cropping
309 seasons. AUDPC is normalised by dividing by mean disease severity in a fully
310 susceptible landscape; its value therefore ranges from 0 (*i.e.* no disease) to 1
311 (*i.e.* disease severity identical to that in a fully susceptible landscape).

312 **2.7 Statistical analysis**

313 We first used a classification tree to determine how the factors of interest and
314 their interactions affected the binary evolutionary output E_{SP} . We consid-
315 ered the following six factors as qualitative explanatory variables: resistance
316 deployment strategy, cropping ratio, mutation probability and fitness cost of
317 the infectivity genes, the pathogen reproduction system and landscape struc-
318 ture. We then fitted a logistic regression to assess the relationship between
319 E_{SP} and the time elapsed between the establishment of the two single mutants

320 ($|T_{SM_1} - T_{SM_2}|$), for a selected subset of factors. In addition, for each combi-
321 nation of resistance deployment strategy, mutation probability, fitness cost and
322 pathogen reproduction system, we fitted second-order polynomial regressions
323 (or second-order logistic regressions) to assess the response of T_{SP} and $AUDPC$
324 (or E_{SP}) to variations of cropping ratio. Note that fitting a second-order lo-
325 gistic regression was impossible for factor combinations that almost always or
326 never led to SP establishment in the 240 replicates. In such cases, a second-
327 order polynomial regression was fitted instead. Finally, for each combination
328 of resistance deployment strategy, mutation probability, fitness cost, pathogen
329 reproduction system and cropping ratio, we fitted local polynomial regressions
330 to the temporal dynamics of the population of SP_{tf} and HP_{tf} .

331 Statistical analyses were performed with R (v4.0.5, R Core Team 2021) soft-
332 ware. The function *rpart* within the package *rpart* (v4.1.16, Therneau et al.
333 2022) was used to fit the classification and regression trees (we set a mini-
334 mum number of values in any terminal node equal to 3% the total number
335 of values). The function *glm* within the package *stats* (v3.6.2, R Core Team
336 2022) was used to fit the logistic regression ($glm(E_{SP} \sim |T_{SM_1} - T_{SM_2}| +$
337 strategy, family = "binomial"). The function *geom_smooth* within the pack-
338 age *ggplot2* (v3.3.6, Wickham et al. 2022) was used to fit second-order logistic
339 (method = "glm", formula = $y \sim \text{poly}(x, 2)$, family = "binomial"), second-order
340 polynomial (method = "lm", formula = $y \sim \text{poly}(x, 2)$) and local polynomial
341 (method = "loess", formula = $y \sim x$) regressions.

342 **3 Results**

343 The SP became established before the end of the 50-year simulation in 75.2 %
344 of the 57600 simulations. In these 43320 simulations, the mean time to SP
345 establishment was 4.69 years, and the 2.5th and 97.5th percentiles were 0.6
346 and 31.5 years, respectively. For the 57600 simulations performed, the AUDPC
347 ranged from 14% (*i.e.*, mild epidemics) to 99% (*i.e.*, severe epidemics). Below,
348 we determine the roles of the principal factors driving such variability in output.

349 **3.1 Factors affecting superpathogen establishment**

350 We constructed a classification tree for identifying parameter combinations lead-
351 ing to SP establishment (E_{SP}) (Fig. 2A). E_{SP} was dependent principally on the
352 mutation probability, the resistance deployment strategy and the fitness cost.

353 At high mutation probabilities, the SP almost invariably became established in
354 the pathogen population, regardless of the other factors. At low mutation prob-
355 abilities, specific combinations of these factors determined whether or not the
356 SP became established. For example, the SP was never established in conditions
357 in which the resistance genes were pyramided in the same cultivar. The SP be-
358 came established in less than one in two simulations when resistance genes were
359 deployed in *i*) mosaic and rotation, for high fitness costs ($\theta = 0.5$); *ii*) mosaic,
360 for fitness costs below 0.5 and purely clonal reproduction. For the remaining
361 parameter combinations, the SP became established in more than one in two
362 simulations. The pathogen reproduction system had a secondary influence on
363 SP establishment. However, for mixture, mosaic and rotation strategies with a
364 low or no fitness cost, the SP almost always became established for pathogens
365 with a mixed reproduction system, whereas the proportion of simulations in
366 which the SP became established was substantially lower for pathogens with a
367 clonal reproduction system, particularly for mosaic strategies.

368 At low mutation probabilities, SP establishment was a highly stochastic
369 event in mixture, mosaic and rotation strategies; it occurred in 41% to 87% of
370 the simulations, depending on the values of the other factors (Fig. 2A). We im-
371 proved the resolution of the corresponding final nodes, by hypothesising, for mo-
372 saic and mixture strategies, that SP establishment was dependent on the time
373 interval between the establishment of the two single mutants $|T_{SM_1} - T_{SM_2}|$.
374 This hypothesis was based on the rationale that longer intervals would result in
375 one of the two resistant hosts remaining an empty ecological niche for longer. It
376 can, therefore, be infected by the SP if it emerges through mutation or recombi-
377 nation. This hypothesis holds only for the mosaic and mixture strategies, as the
378 two resistant hosts must be deployed at the same time, excluding *de facto* the
379 rotation strategies from the subsequent analysis. As expected, the probability
380 of SP establishment increased sharply with $|T_{SM_1} - T_{SM_2}|$, whatever the fitness
381 cost. Moreover, the probability of SP establishment was systematically higher
382 for mixtures than for mosaics (Fig. 2B). Finally, a specific feature of rotation
383 strategies may also favour the emergence of the SP regardless of the pathogen
384 reproduction system. Indeed, a SP generated by mutation from a single mutant
385 late in the season (*i.e.* when the ecological niche is no longer empty) could still
386 have an opportunity to establish itself in an empty niche if this event occurs
387 shortly before the switch to a different variety in the rotation.

388 To deepen the analysis on the parameter combinations leading to SP estab-
389 lishment, we assess the relationship between the variable E_{SP} and the cropping

390 ratio for all combinations of resistance deployment strategy, fitness cost and
391 pathogen reproduction system considered (Fig. 3). We focused on low mutation
392 probabilities, as shown in Fig. 3 (but see Fig. S1 for its analogous version with
393 high mutation probability). The probability of E_{SP} generally increases with
394 cropping ratio for mixture, mosaic and rotation strategies unless establishment
395 is already certain at the lowest cropping ratio. However, for mixture strategies
396 with non-zero fitness costs, the probability of E_{SP} for pathogens undergoing
397 purely clonal reproduction follows a U-shaped curve, with the lowest proba-
398 bility of E_{SP} achieved for an intermediate cropping ratio. The SP was never
399 established in simulations based on pyramiding strategies. Furthermore, for
400 mixture and mosaic strategies, the probability of E_{SP} was consistently lower
401 for pathogens with clonal rather than mixed reproduction. In addition, the
402 probability of E_{SP} was lower for mosaics than for mixtures in pathogens with
403 a clonal reproduction system.

404 The effect of the pathogen reproduction system on the probability of E_{SP}
405 can be explained by the demogenetic dynamics of the pathogen population af-
406 ter the bottleneck at the end of the cropping season. Contrasting dynamics
407 were, indeed, observed across resistance deployment strategies and fitness costs,
408 as illustrated in Fig. 4 for intermediate cropping ratios. With mixture and
409 mosaic strategies, the maximum number of heterogeneous parental pairs after
410 the bottleneck HP_{tf} is relatively high, at least during the first 10 cropping
411 seasons. In this setting, sexual recombination between single mutants favours
412 the generation of SP propagules, which constitute the primary inoculum for
413 the following season. Accordingly, the number of SP_{tf} increases more rapidly,
414 reaching a higher level for pathogens with mixed reproduction systems than for
415 those with purely clonal reproduction, particularly if there is no fitness cost
416 (for both mosaic and mixture strategies) or if the fitness cost is low (mixture
417 strategy only). As a mirror effect, the number of HP_{tf} stabilises at lower lev-
418 els for pathogens with a mixed reproduction system. This effect disappears at
419 higher fitness costs. By contrast, the small number or absence of HP_{tf} observed
420 with the pyramiding and rotation strategies greatly decreases the likelihood of
421 recombination between single mutants. Consequently, the production of SP
422 propagules is not favoured by sexual reproduction in these strategies. Note that
423 the trends in the demogenetic dynamics of SP_{tf} and HP_{tf} were similar for the
424 other combinations of cropping ratios and mutation probabilities (Fig. S2-S10
425 in the *Supporting Information*).

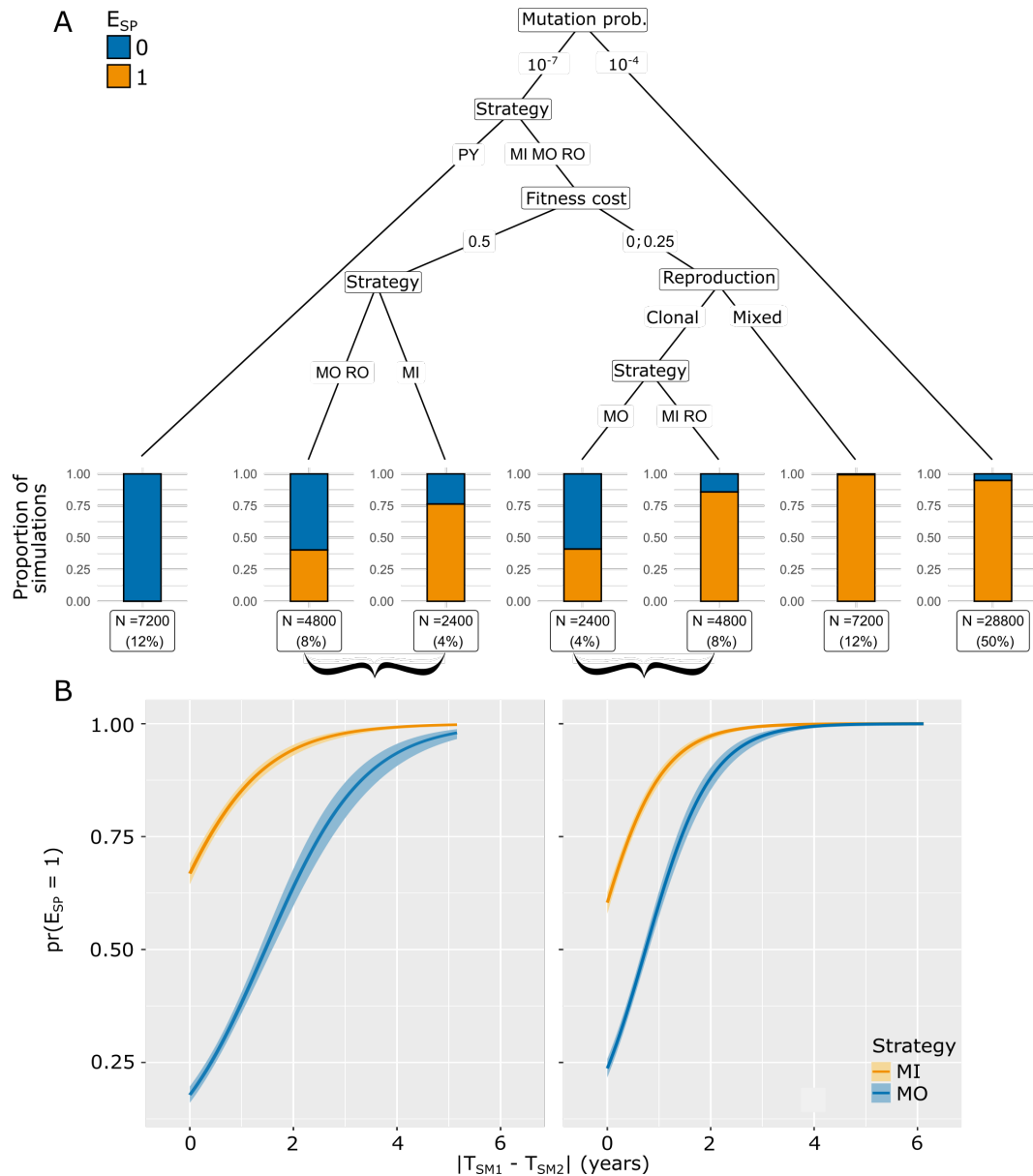


Figure 2: (A) Classification tree for the binary output E_{SP} . The number and proportion of simulations (of the 57600 performed) associated with each end node are indicated. Orange bars indicate the proportion of simulations in which the SP became established before the end of the simulation, whereas blue bars indicate the proportion of simulations in which this was not the case. The factors identified by the tree are the mutation probability for infectivity genes, the resistance deployment strategy (MIxture, MOsaic, ROtation and PYramiding), the fitness cost of infectivity genes and the pathogen reproduction system (purely clonal or mixed). (B) Relationship between the time elapsed between the establishment of the two single mutants (SM_1 and SM_2) and the probability of superpathogen emergence ($pr(E_{SP} = 1)$) for the MIxture and MOsaic strategies. Logistic regression was used to fit relationships to simulation outputs corresponding to the combination of parameters highlighted in brackets under the final nodes of the tree. Confidence intervals are delimited by the 2.5th and 97.5th percentiles.

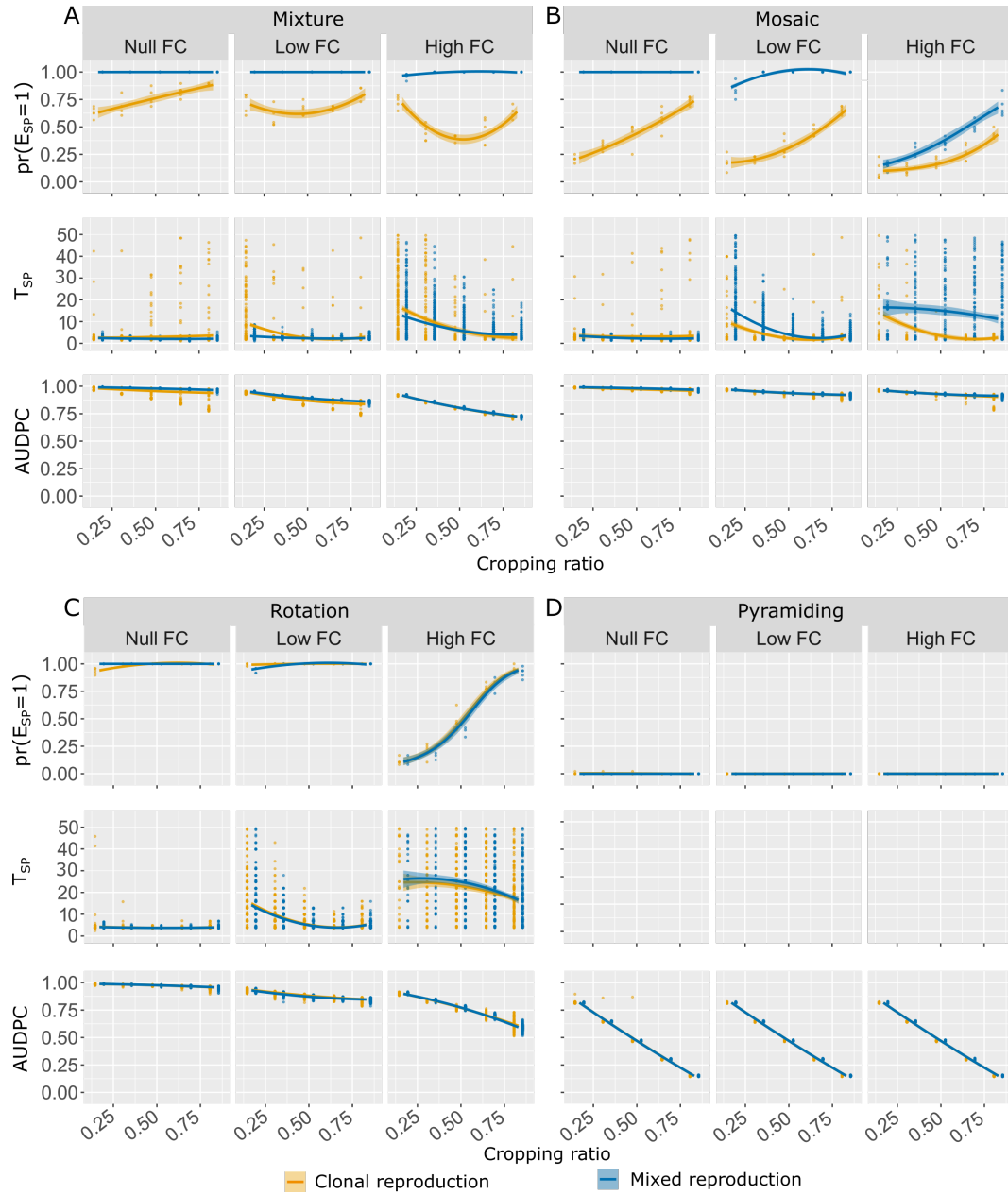


Figure 3: Probability of SP establishment (first row of each panel), time to SP establishment, given that the SP becomes established, (second row) and AUDPC (third row) at low ($\tau = 10^{-7}$) mutation probability and at zero ($\theta = 0$), low ($\theta = 0.25$) and high ($\theta = 0.5$) fitness cost (FC). Panels show the effect on the probability of E_{SP} , T_{SP} , and AUDPC as a function of the cropping ratio for the two pathogen reproduction systems and the four deployment strategies considered. Curves are based on the fitting of logistic or second-order polynomial regressions to simulation outputs (represented by points, note that, in the first row of each panel, the points represent the proportion of $E_{SP} = 1$ among the 48 replicates); shaded envelopes delimited by the 2.5th and 97.5th percentiles.

426 **3.2 Factors affecting the time to superpathogen establish-** 427 **ment**

428 The mean time to SP establishment T_{SP} , estimated conditionally on SP es-
429 tablishment (*i.e.* for the subset of replicates such that $E_{SP} = 1$), generally
430 decreases with cropping ratio. Furthermore, the type of reproduction does not
431 generally influence T_{SP} , except in the mosaic strategy (Fig. 3B). For this strat-
432 egy, T_{SP} is lower for pathogens with purely clonal reproduction systems and
433 non-zero fitness costs. However, at high mutation probability, T_{SP} is lower for
434 pathogens with mixed rather than purely clonal reproduction systems, for fit-
435 ness costs that are low or zero (Fig.S1 in the *Supporting Information*). Finally,
436 our results show that the variance of T_{SP} increases substantially with fitness
437 cost, suggesting that, in these contexts, the mean time to SP establishment
438 poorly reflects the underlying evolutionary dynamics.

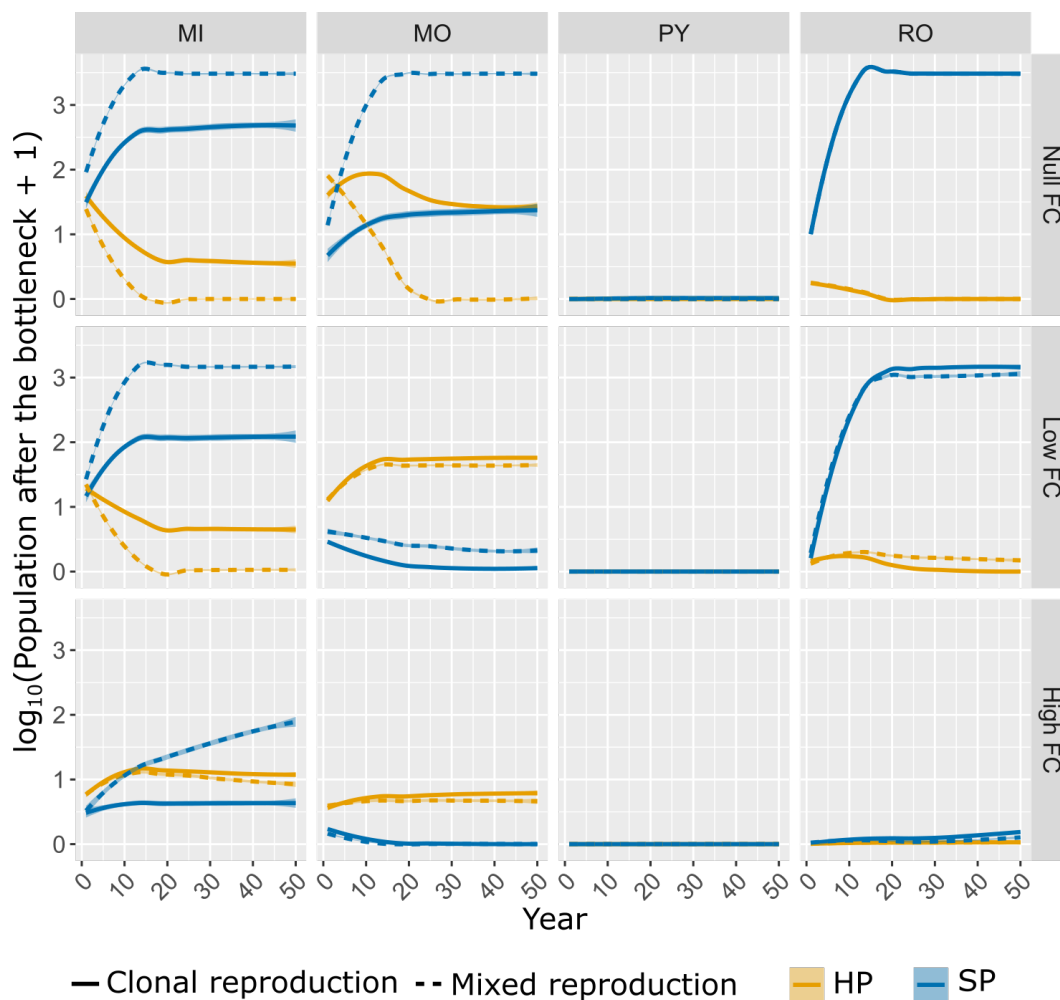


Figure 4: Population size of the superpathogen $SP_{t,f}$ (in blue) and maximum number of heterogeneous parental pairs $HP_{t,f}$ (in orange) in the landscape after the annual bottleneck. The curves represent the population dynamics across resistance deployment strategies (MIxture, MOsaic, ROtation and PYramiding), fitness costs and reproduction systems, at low mutation probability ($\tau = 10^{-7}$) and intermediate cropping ratio ($\varphi_1 = 0.5$). The curves are based on the fitting of local polynomial regressions and shaded envelopes delimited by the 2.5th and 97.5th percentiles. Note that, at high fitness costs, the curves for pyramiding and rotation overlap.

439 **3.3 Factors affecting the mean area under the disease progress** 440 **curve**

441 In a fully susceptible landscape, the mean area under the disease progress curve,
442 $AUDPC_0$ was 0.63 for both pathogen reproduction systems. This value implies
443 that diseased hosts (those in an infectious or removed state, see Fig. 1) ac-
444 counted for a mean of 63% of the available host individuals over the entire
445 period simulated. AUDPC generally decreased with cropping ratio (Fig. 3). At
446 low mutation probability, the best epidemiological control (*i.e.* the lowest AU-
447 DPC) was obtained with the pyramiding strategy, which decreased AUDPC by
448 up to 86% at high cropping ratios, independently of the fitness cost incurred for
449 pathogen adaptation. With the other strategies, the highest AUDPC reductions
450 achieved (for the 240 replicates) were 22% for mosaics, 30% for mixtures, 49%
451 for rotation. These values were obtained at a high cropping ratio and fitness
452 cost. By contrast, almost no epidemic control (*i.e.* $AUDPC \approx 1$) was observed
453 for these strategies in the absence of a fitness cost. Finally, the pathogen repro-
454 duction system did not affect the AUDPC.

455 **4 Discussion**

456 We address the question of the effect of the type of pathogen reproduction
457 system on the epidemiological and evolutionary control provided by plant re-
458 sistance. Epidemiological control relates to plant health and the demographic
459 dynamics of the pathogen, whereas evolutionary control relates to the durability
460 of resistance and the genetic dynamics of the pathogen. Sexual reproduction
461 principally favours the exchange of genes via recombination. We therefore stud-
462 ied the fate of the superpathogen during the deployment of two resistance genes.

463 **4.1 Effect of the pathogen reproduction system on evolu-** 464 **tionary and epidemiological outputs**

465 McDonald and Linde (2002) hypothesised that pathogens with mixed repro-
466 duction systems pose the greatest risk of genetic resistance breakdown, be-
467 cause they benefit from the advantages of both reproduction systems. Between-
468 cropping seasons, the occurrence of a single sexual reproduction event generates
469 new pathogen genotypes that may combine mutations already present in the
470 population. During the cropping season, clonal reproduction enable the fittest

471 pathogen genotypes to invade the population rapidly. However, in tests of their
472 risk model on 34 pathosystems, McDonald and Linde (2002) found no significant
473 effects of the pathogen reproduction system on the risk of breakdown, which was
474 instead affected by gene/genotype flow and mutation. Our results confirm the
475 importance of mutation rate as a driver of pathogen evolution. Indeed, the SP
476 was established in all simulations with a high mutation probability, regardless
477 of the deployment strategy or pathogen reproduction system. This finding can
478 be explained by the interplay between mutation probability and population size
479 (Christiansen et al., 1998; Althaus and Bonhoeffer, 2005). Mean population
480 size in this study was 1.3×10^7 . It follows that, at high mutation probability
481 ($\tau = 10^{-4}$), at least one SP is likely to emerge through mutation during the first
482 cropping season (which includes 17 clonal generations) in 89 of 100 simulations.

483 Our results also show the effect of sexual reproduction on the likelihood of
484 the generalist SP becoming established depends on the resistance deployment
485 strategy. This finding goes a step further than the analysis presented by McDon-
486 ald and Linde (2002), who did not consider the effect of deployment strategies.
487 Our simulations suggest that recombination favours the establishment of the SP
488 only when heterogeneous pairs of single mutant parents are potentially abundant
489 after crop harvest. This is the case for the mosaic and mixture strategies (Fig.
490 4). For these strategies, populations of single mutant pathogens can increase in
491 size on their specific hosts, with recombination subsequently occurring on sus-
492 ceptible hosts during sexual reproduction, potentially generating SP propagules
493 between two cropping seasons. The timing of sexual reproduction is also a key
494 element explaining why SP establishment is favoured by a mixed reproduction
495 system. Indeed, the SP propagules generated by recombination during the off-
496 season emerge right at the start of the following cropping season, when most
497 hosts are healthy, favouring SP establishment in this empty ecological niche.
498 By contrast, for pathogens with purely clonal reproduction, the SP is generated
499 by mutation from a single mutant when the population is large enough. This
500 event probably occurs late during the cropping season when the competition
501 between the SP and the two single mutants for the infection of healthy hosts is
502 much stronger. Accordingly, we found that the probability of SP establishment
503 increased when the competition with the single mutants is lower, in particular
504 when only one single mutant pathogen is established on a resistant host and the
505 second host is free from disease (Fig. 2B).

506 By contrast, sexual reproduction does not favour the establishment of the
507 SP in pyramiding and rotation strategies, because heterogeneous pairs of sin-

508 gle mutants are scarce in these conditions (Fig. 4), as the cultivars carrying
509 the single resistance genes are not deployed at all, or not deployed simultane-
510 ously. Similar result were reported in the context of the resistance to xenobiotics
511 (Althaus and Bonhoeffer, 2005; Taylor and Cunniffe, 2022). In particular, sex-
512 ual reproduction in fungi increases the frequency of the double-resistant strain
513 adapted to a mixture of fungicides (as for the SP here) only when the frequency
514 of single-resistant strains is significantly higher than that of double-resistant or
515 avirulent strain (Taylor and Cunniffe, 2022).

516 **4.2 No deployment strategy is universally optimal**

517 Consistent with the findings of previous comparisons of deployment strategies
518 (Djidjou-Demasse et al., 2017; Lof and van der Werf, 2017; Sapoukhina et al.,
519 2009; Rimbaud et al., 2018a), our results confirm that no one strategy is univer-
520 sally optimal. Instead, the strategy used should be adapted to the pathosystem
521 and production situation, and a decision must be taken as to whether to pri-
522 oritise epidemiological or evolutionary outputs. With this in mind, given that
523 pre-adapted pathogens were assumed to be initially absent, the order of magni-
524 tude of the mutation probability relative to pathogen population size is a key
525 factor. Conversely, the pathogen reproduction system had no effect on strategy
526 recommendations for various fitness costs, mutation probabilities and cropping
527 ratios. Similarly Taylor and Cunniffe (2022) showed that sexual reproduction
528 did not affect recommendations for the management of fungicides mixtures.

529 At low mutation probabilities, a SP will emerge by mutation from the wild-
530 type 1 in every 10000 times during the 17×50 generations within a simu-
531 lation run. Providing that no preadapted pathogens are initially present, it
532 explains the better performance of pyramiding over all other strategies (Leach
533 et al., 2001). Pyramiding strategies ensure both epidemiological and evolu-
534 tionary control of the targeted disease, as reported by Djian-Caporalino et al.
535 (2014); Rimbaud et al. (2018a). In particular, the decrease in disease severity
536 is proportional to the cropping ratio of the pyramided variety in the landscape
537 as the dilution effect is maximal in this setting (Keesing and Ostfeld, 2021).
538 For the other strategies, the probability of SP establishment generally increases
539 with cropping ratio, as higher cropping ratios favour the development of large
540 populations of single mutants, in turn favouring the emergence of the SP. How-
541 ever, for mixture strategies with fitness costs and pathogens with purely clonal
542 reproduction, the relationship between cropping ratio and the probability of SP

543 establishment is U-shaped. Among the mechanisms underlying this relation-
544 ship, the intensity of the spill-over (*i.e.* infection of a new host from a reservoir
545 population, Daszak et al. 2000) of simple mutants from fields cultivated with
546 susceptible cultivar to fields cultivated with resistant cultivars should be a ma-
547 jor driver. Indeed, the spill-over is maximum at intermediate cropping ratio. In
548 this case, the population of simple mutants emerging from susceptible cultivars
549 is more likely to quickly infect both resistant cultivars in the mixture, leaving
550 few hosts for the SP, mutated from the SM, to infect. In the opposite, at either
551 low or high cropping ratio, the spill-over of simple mutants from susceptible to
552 resistant cultivar is reduced because adjacent fields are mostly sharing the same
553 cultivar. It opens more rooms to the SP population to emerge from one of the
554 two resistant cultivars in the mixture and to invade the other one.

555 At high mutation probabilities, the SP becomes established a mean of 1.2
556 years after the beginning of a simulation run for pyramiding strategies (Fig. S1D
557 in the *Supporting Information*). There is no dilution effect at work during most
558 of the 50-year time frame considered, and epidemiological and evolutionary control
559 disappear. In this setting, the strategies delaying SP establishment for the
560 longest were mosaic and rotation, at low cropping ratio and high fitness costs
561 (Fig. S1B-C in the *Supporting Information*). With these strategies, the time to
562 SP establishment decreased monotonically with cropping ratio. Higher fitness
563 costs in these strategies also slowed SP establishment through disruptive selec-
564 tion. This mechanism exploits fitness costs to favour local host specialisation of
565 the pathogen, limiting the likelihood of a generalist SP emerging (Barrett et al.,
566 2009). Despite generally providing the best evolutionary control, the mosaic
567 strategy was the worst strategy (in comparisons with rotation and mixture) in
568 our conditions for epidemiological control. One key reason for this is the high
569 probability of autoinfections, 0.82 on average, a consequence of our choice of
570 large field sizes (mean of 160 m × 160 m) relative to short mean pathogen dis-
571 persal distances (20 m). The frequent infection events resulting from propagules
572 produced in the same field favours the mixture strategy over the mosaic strategy
573 (Mundt, 2002). Like us, Djidjou-Demasse et al. (2017) also found that pyra-
574 miding and mosaic strategies provided similar levels of epidemiological control
575 if the probability of autoinfection was high. In their study, frequent between-
576 field infections and high rates of mutation were required for mosaic strategies
577 to outperform pyramiding.

578 Crucially, our results highlight the need for knowledge about mutation prob-
579 ability and the cost of infectivity to guide the choice of deployment strategy.

580 Unfortunately, there has been little quantitative characterization of these pa-
581 rameters (Laine and Barrès, 2013). Point mutations are the simplest evolution-
582 ary events conferring virulence to a resistance gene. Such events occur once
583 every 10^5 to 10^7 propagules per generation (Stam and McDonald, 2018). How-
584 ever, many other mutational events *sensu lato* (e.g. complete or partial gene
585 deletion, insertion of transposable elements) increase the overall mutation prob-
586 ability conferring virulence (Daverdin et al., 2012). Unlike knowledge about
587 the mutation probability, which can guide the choice as to whether or not to
588 use a pyramiding strategy, the cost of infectivity has a monotonic influence:
589 the higher the cost, the higher the levels of evolutionary and epidemiological
590 control achieved. Such costs are not pervasive among plant-pathogenic fungi
591 and vary with host genotype and abiotic environment (Laine and Barrès, 2013).
592 For example, substantial sporulation costs have been reported in rusts (Bahri
593 et al., 2009; Thrall and Burdon, 2003) but no such costs evidenced for grapevine
594 downy mildew (Toffolatti et al., 2012; Delmas et al., 2016)).

595 **4.3 Further perspectives**

596 The ecoevolutionary framework presented here represents a solid foundation for
597 further investigations of the effects of other mechanisms linked to the sexual
598 reproduction of pathogens. For example, we assume that all the sexual propag-
599 ules emerge in the cropping season immediately following their production, but
600 specialised reproductive structures can survive in the soil for many years (up to
601 5 years for *P. viticola*, Caffi et al. 2010). This feature may impact the outputs of
602 deployment strategies, in particular rotations (Papavizas and Ayers, 1974). We
603 also assume that sexual and clonal propagules have similar dispersal capacities.
604 This may not always be the case, as shown for black sigatoka (Rieux et al.,
605 2014) and grapevine downy mildew (Rossi and Caffi, 2012). Such dispersal di-
606 morphism probably affects the effectiveness of resistance deployment strategies
607 such as mixtures and mosaics (Papaïx et al., 2018; Sapoukhina et al., 2010;
608 Watkinson-Powell et al., 2020).

609 Furthermore, we focus here exclusively on qualitative resistance genes (*i.e.*
610 major genes), but quantitative resistance is attracting increasing interest for use
611 in pathogen control (Parlevliet, 2002; Niks et al., 2015). As the model can also
612 handle quantitative resistances, it would be interesting to broaden our analysis
613 in this direction. Recombination in a diverse pathogen population, as favoured
614 by the partial effect of quantitative resistance on pathogens, might accelerate

615 pathogen evolution towards higher levels of aggressiveness (Frézal et al., 2018;
616 Drenth et al., 2019). Conversely, recombination, by breaking up blocks of co-
617 adapted genes, may slow the adaptation of pathogens to quantitative resistance
618 genes (McDonald and Linde, 2002).

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622 Data availability

623 Data sharing not applicable to this article as no datasets were generated or
624 analysed during the current study. The code of the model is implemented in
625 the R package *landsepi*: Landscape Epidemiology and Evolution (version 1.2.4,
626 <https://cran.r-project.org/web/packages/landsepi/index.html>).

627 Competing interests

628 The authors declare that they have no known competing financial interests or
629 personal relationships that could have appeared to influence the work reported
630 in this paper.

631 Author contributions

632 M.Z, L.R, J.P., F.F. planned and designed the research. M.Z wrote the model.
633 M.Z. and J.F.R. updated the *landsepi* package. M.Z. conducted the numerical
634 experiment. M.Z, L.R, J.P., F.F. analyzed the numerical experiments and wrote
635 the manuscript.

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838 Supporting Information

- 839 **Fig. S1** Probability of SP establishment, time before SP establishment and
840 AUDPC at high mutation probability.
- 841 **Fig. S2-S10** Population size of the superpathogen and maximum number of
842 heterogeneous parental pairs in the landscape after the bottleneck for combina-
843 tions of mutation probabilities and cropping ratios.
- 844 **Fig. S11** The five landscapes considered in the simulation plan.
- 845 **Fig. S12** Distribution of the latent period duration of downy mildew caused
846 by *Plasmopora viticola*.
- 847 **Fig. S13** Distribution of the infectious period duration of downy mildew caused
848 by *Plasmopora viticola*.
- 849 **Table S1** Available data on the duration of latent and sporulation periods for
850 downy mildew caused by *P. viticola* (and *formae speciales*).
- 851 **Note S1** Model equations.
- 852 **Note S2** parameterisation for *Plasmopara viticola*.
- 853 **Note S3** Calculation of the threshold for pathogen establishment considering
854 sexual reproduction.

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