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ENZYMATIC DEGRADATION OF BIOPOLYMERS: A COMBINED LIGHT SCATTERING – FLUORESCENCE STUDY

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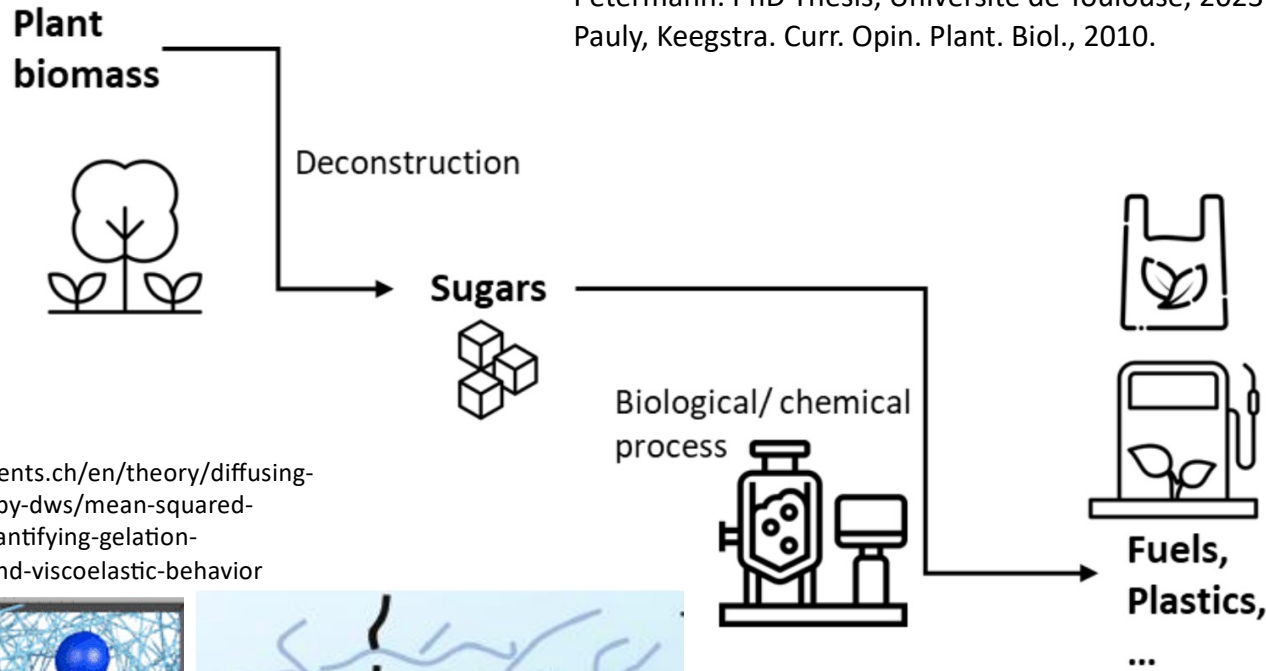
⁴Institut Universitaire de France, Paris, France



SoftComp Annual Meeting
22/05/2024

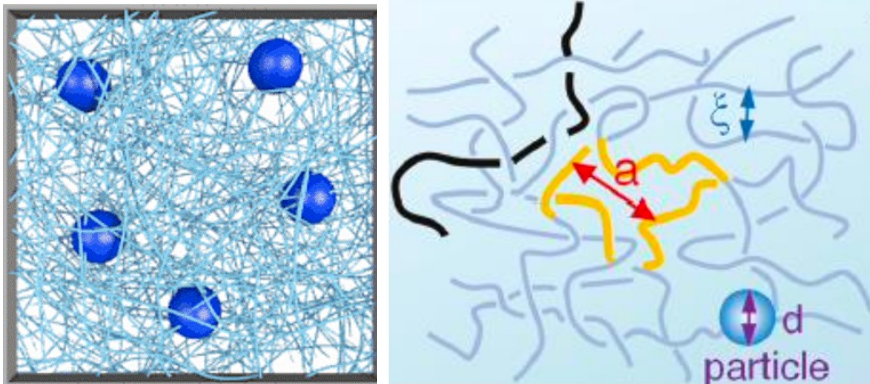
vincenzo.ruzzi@umontpellier.fr

Why Enzymatic Degradation (and Gelation) of (Bio)Polymers?



Petermann. PhD Thesis, Université de Toulouse, 2023.
Pauly, Keegstra. Curr. Opin. Plant. Biol., 2010.

<https://lsinstruments.ch/en/theory/diffusing-wave-spectroscopy-dws/mean-squared-displacement-quantifying-gelation-microstructure-and-viscoelastic-behavior>



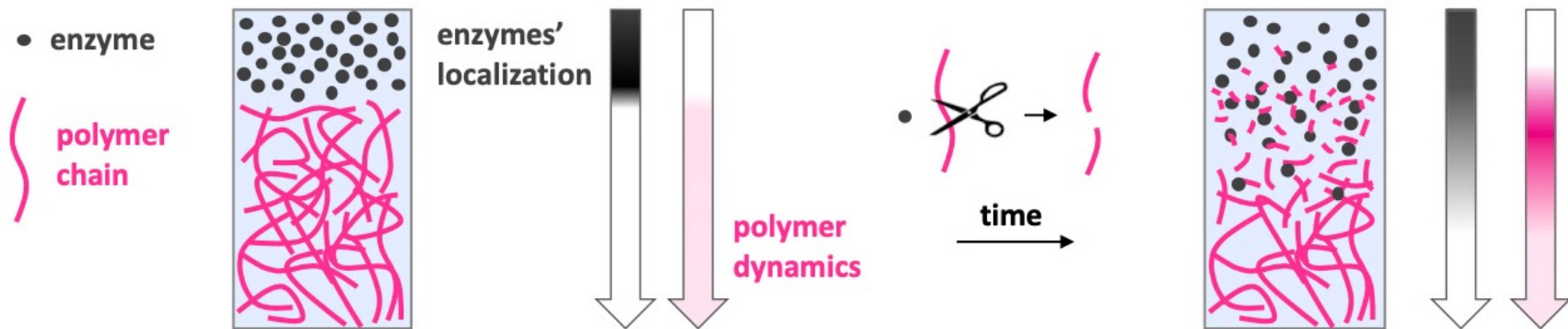
Cai, Panyukov, Rubinstein. Macromolecules, 2011.

- Valorization of plant biomass
- How do enzymes move while reacting with their own substrate / what are the diffusive mechanisms of particles in polymer networks?

$$z \sim t^{0.5} ?$$

Polymer dynamics: **DYNAMIC LIGHT SCATTERING**

Fluorescent enzyme propagation in the polymer matrix: **FLUORESCENCE**

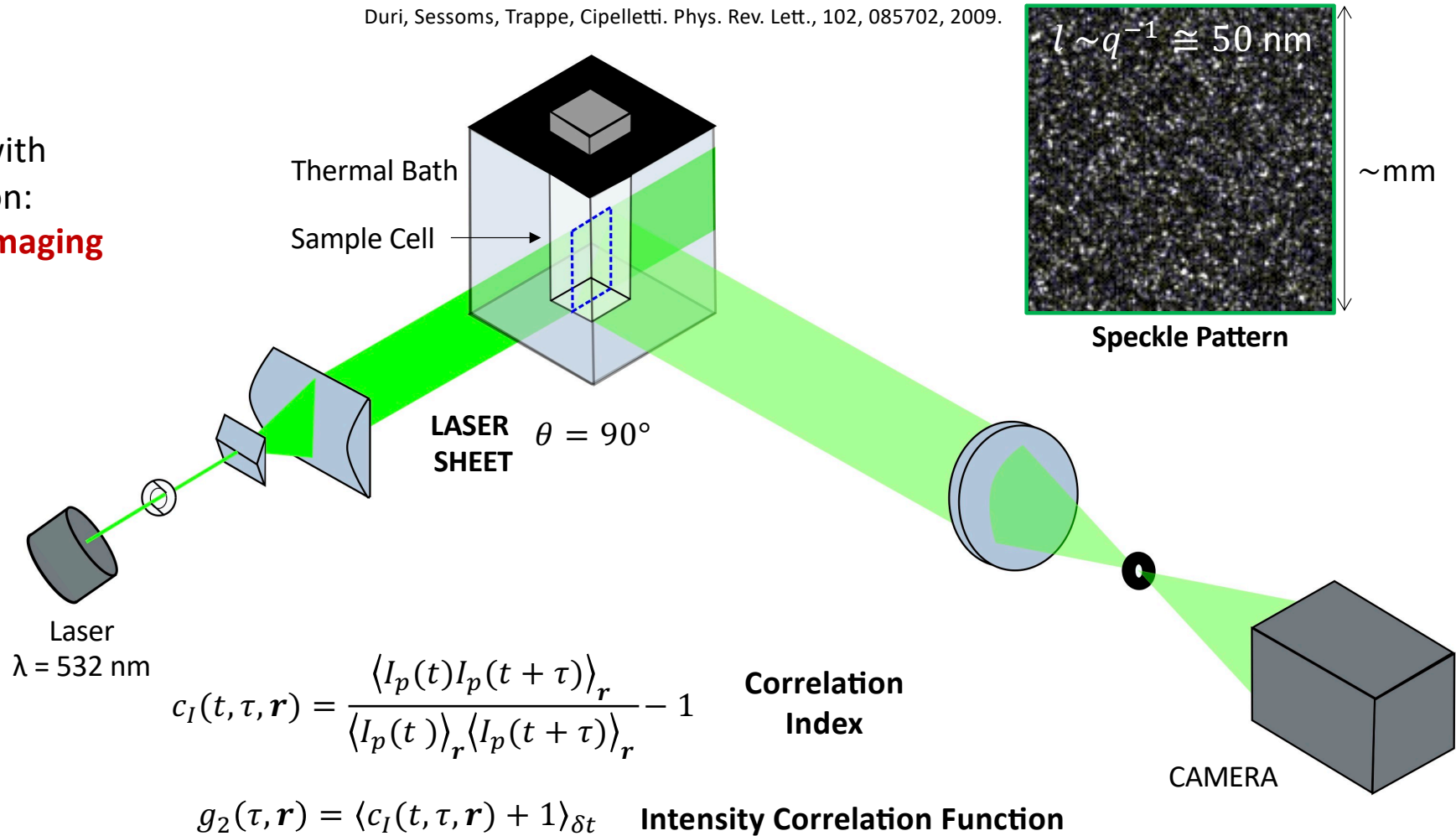


1. Photon Correlation Imaging - Fluorescence setup;
2. Enzymatic degradation of Arabinoxylan Gels;
3. Conclusions and Perspectives;

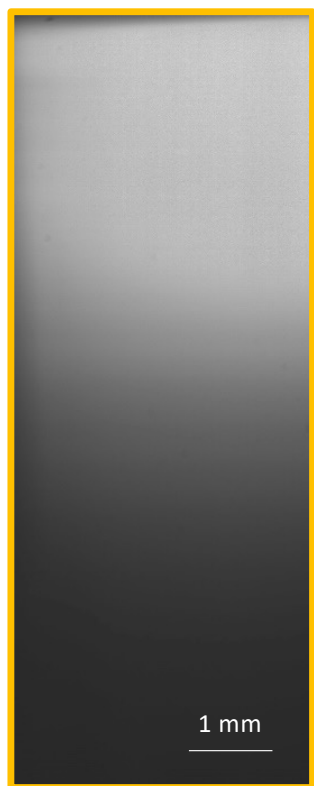
MultiSpeckle Light Scattering and Photon Correlation Imaging (PCI)

Duri, Sessoms, Trappe, Cipelletti. Phys. Rev. Lett., 102, 085702, 2009.

SLOW dynamics with
SPATIAL resolution:
Photon Correlation Imaging



Photon Correlation Imaging (PCI) and Fluorescence Microscopy

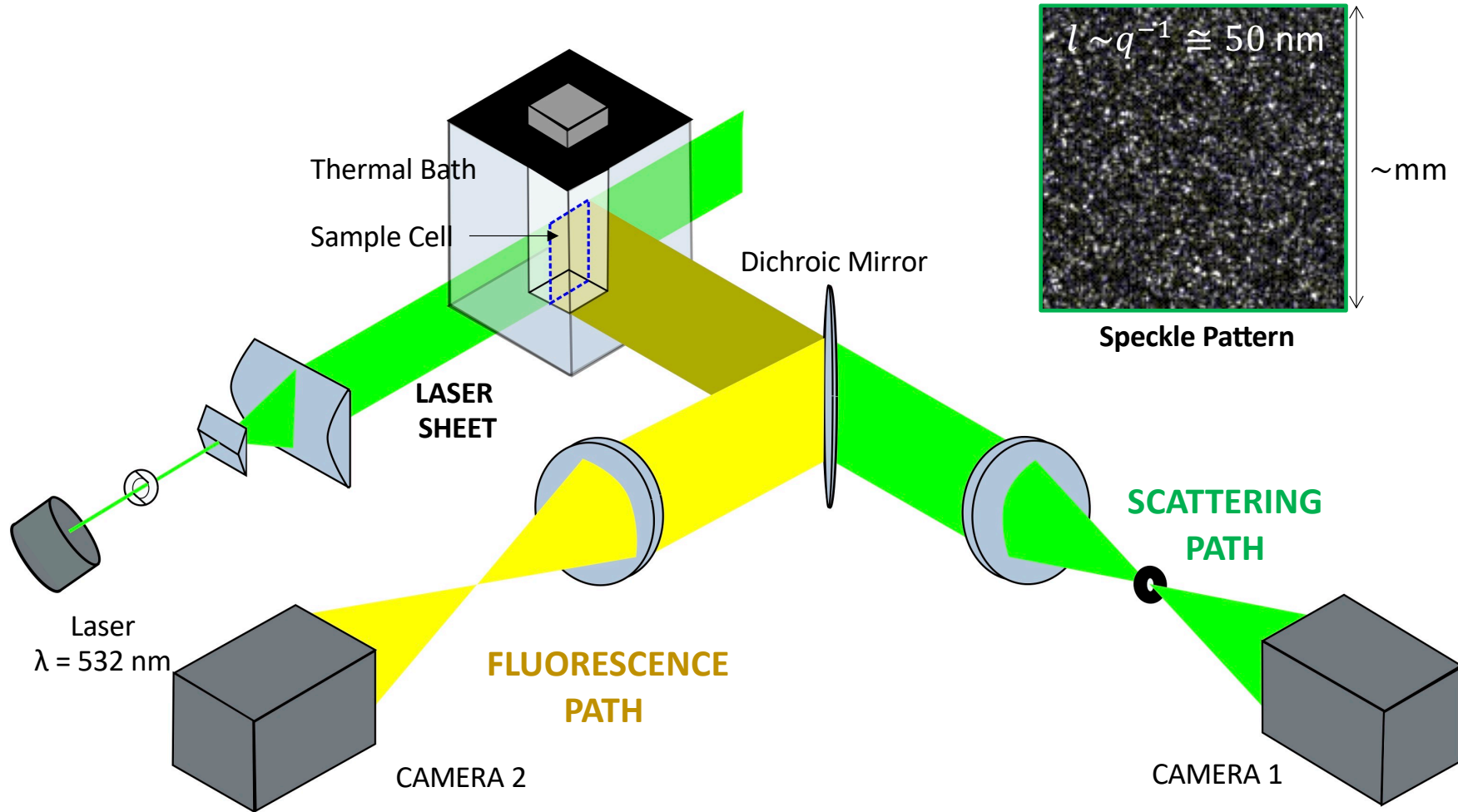


Fluorescence Image

Fluorophore: **TRITC**

$\lambda_{\text{exc}} = 532 \text{ nm}$

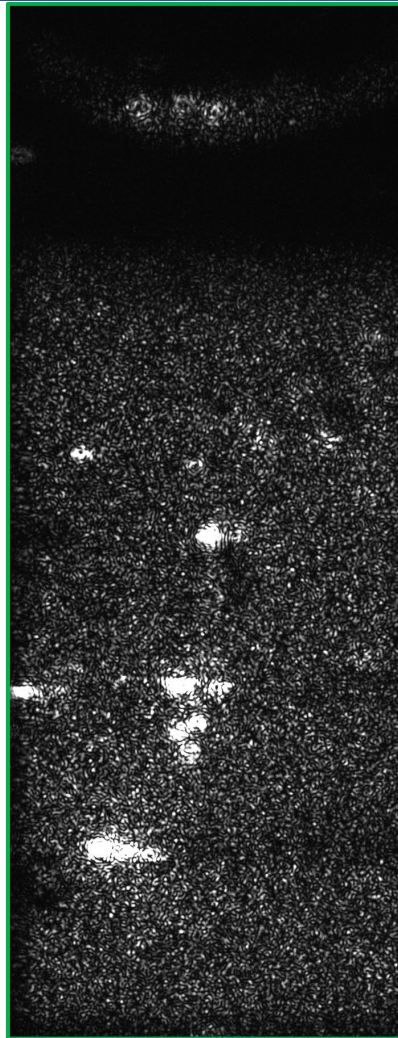
$\lambda_{\text{em}} = 580 \text{ nm}$



●●● Degradation of Feruloylated AX c = 10 g/l

fungal endo **Xylanase**
NpXyn 11A in
phosphate-citrate
buffer 50 mM, pH = 5

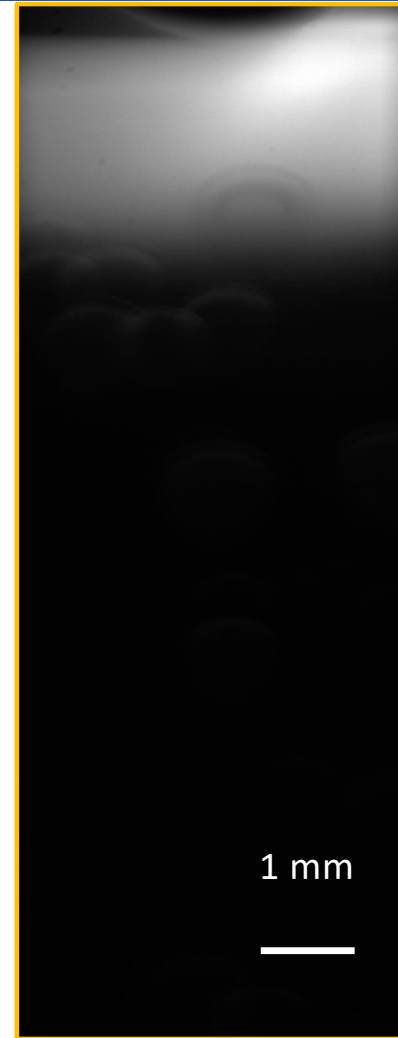
Degree of Labelling: 2.8
final concentration 2.2 μM



SCATTERING



**FLUORESCENT
XYLANASE
INJECTION**



1 mm

FLUORESCENCE

Acquisition started 5
minutes after
xylanase injection

Duration: 13.8 hours

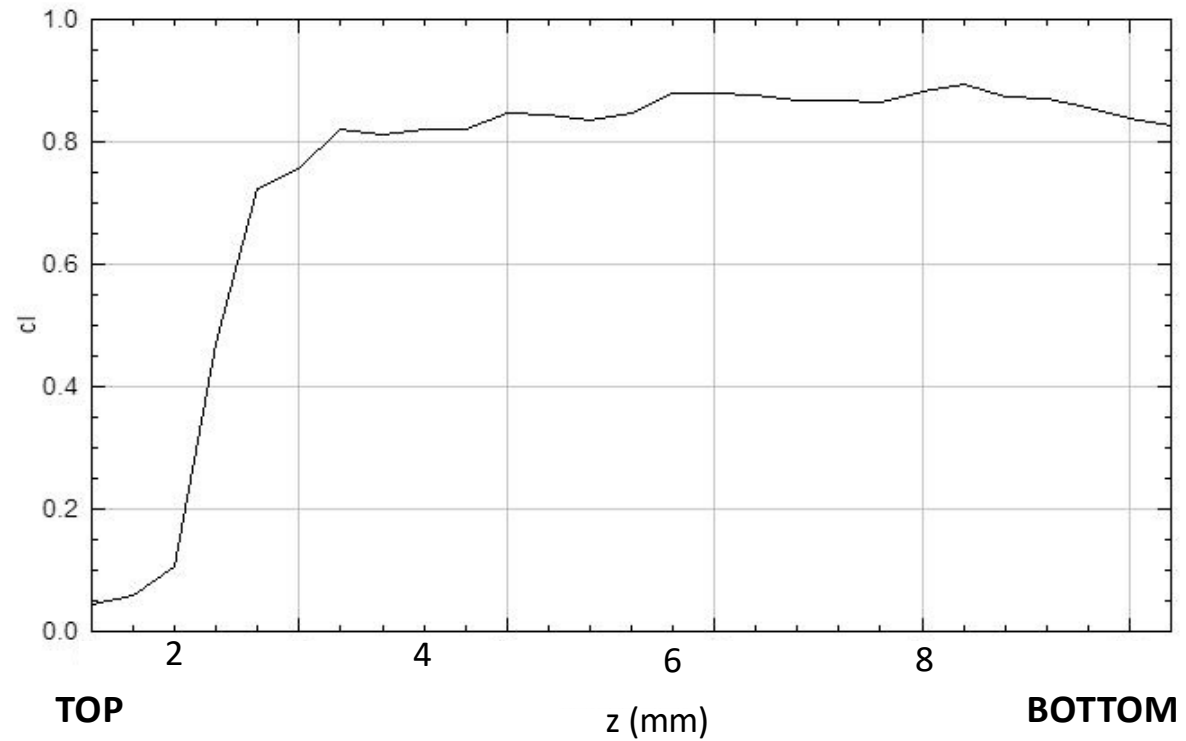
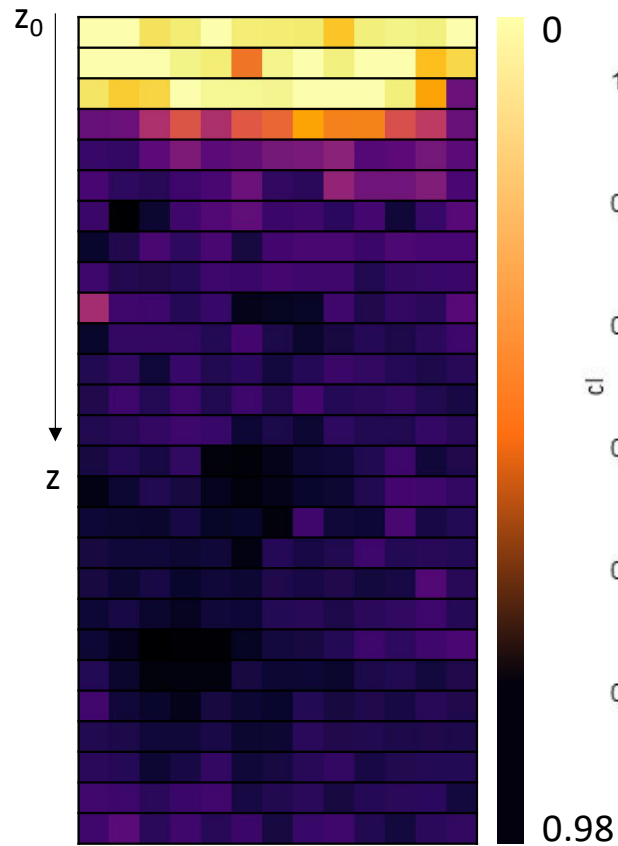
Evolution of degradation front (I)

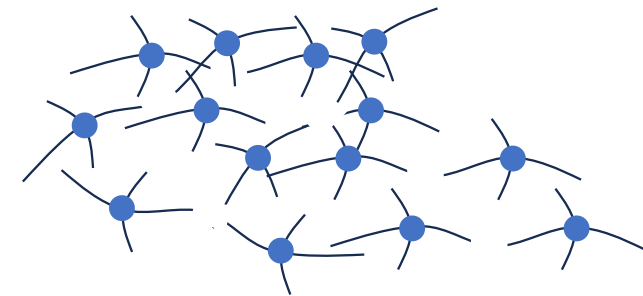
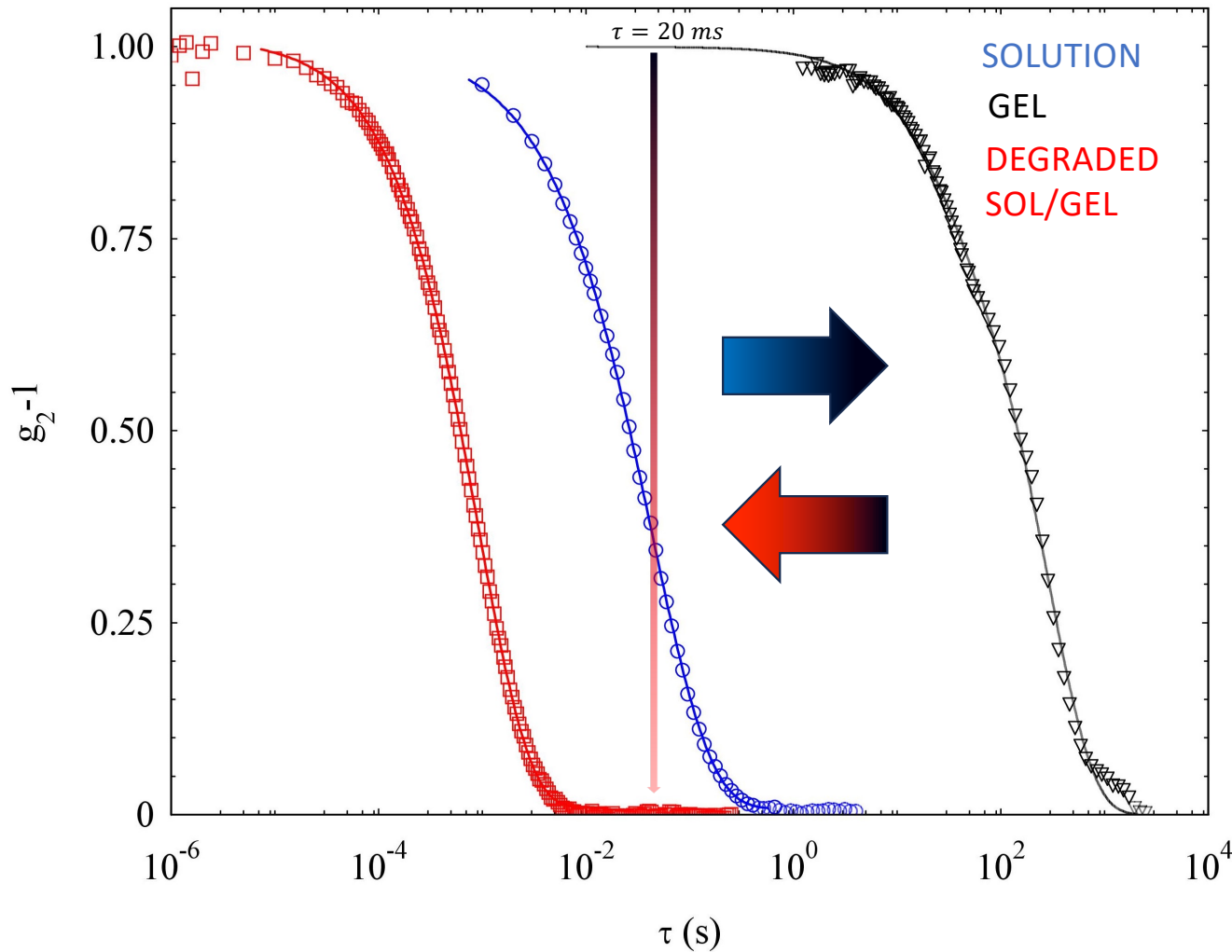
Division in Regions of Interest: 300 x 300 μm

$c_I \rightarrow 0$: FAST DYNAMICS

$c_I \rightarrow 1$: SLOW DYNAMICS

Dynamic Activity Map

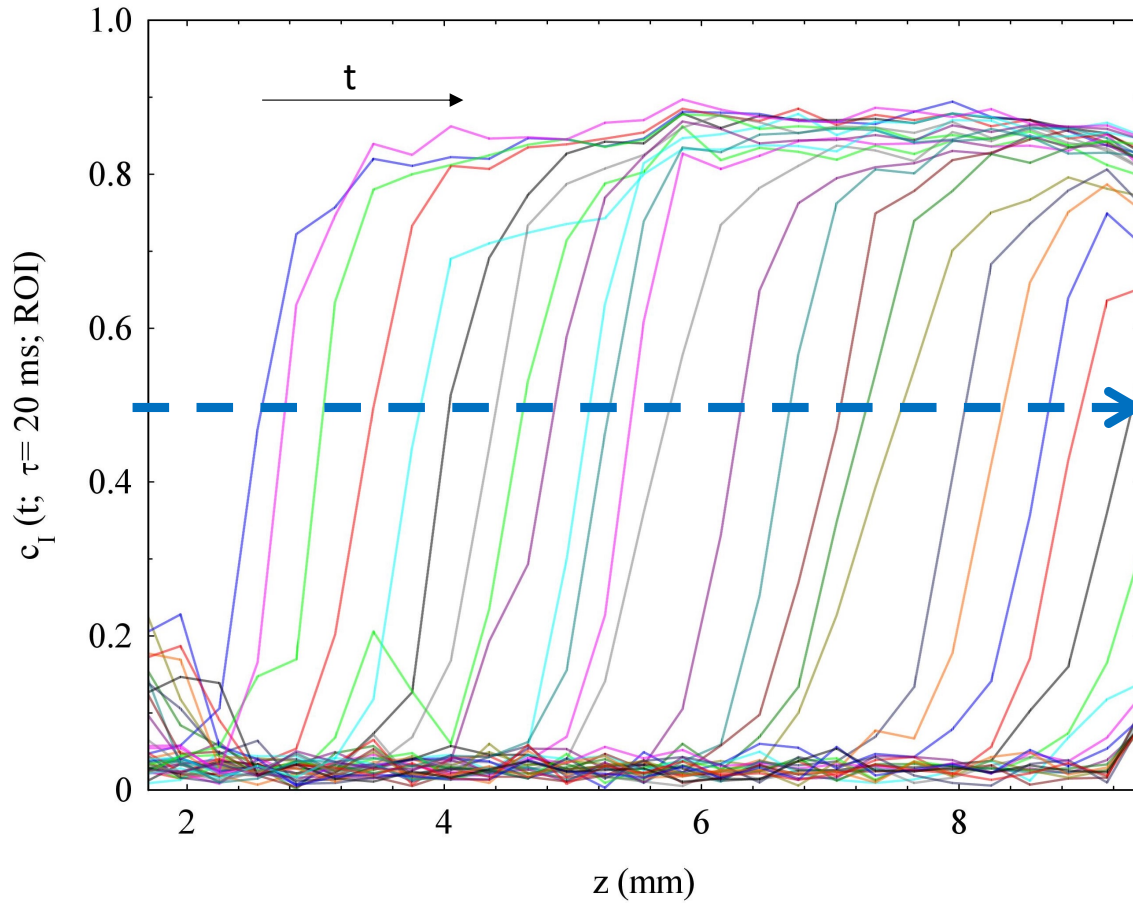




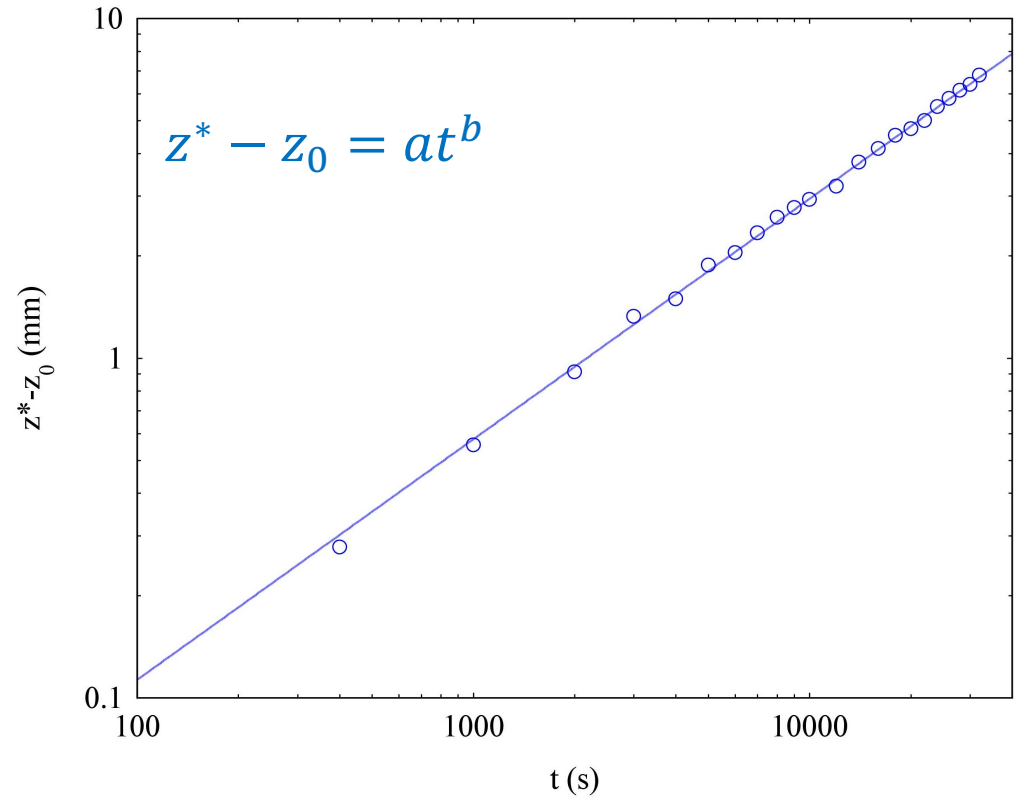
- Increase of the relaxation time during gelation;
- Decay time of the degraded gel lower than the initial solution;

diluted regime: $\tau = const, c \downarrow$

Evolution of degradation front (II)



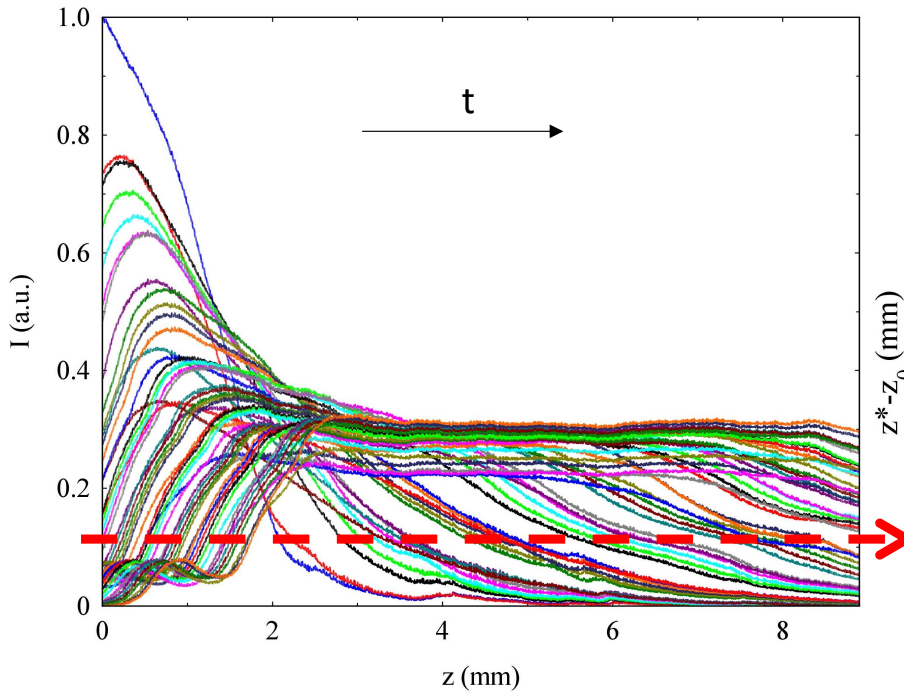
threshold: $c_I^* \approx 0.5$



$a = 0.0043 \text{ mm s}^{-b}$
 $b = 0.71$

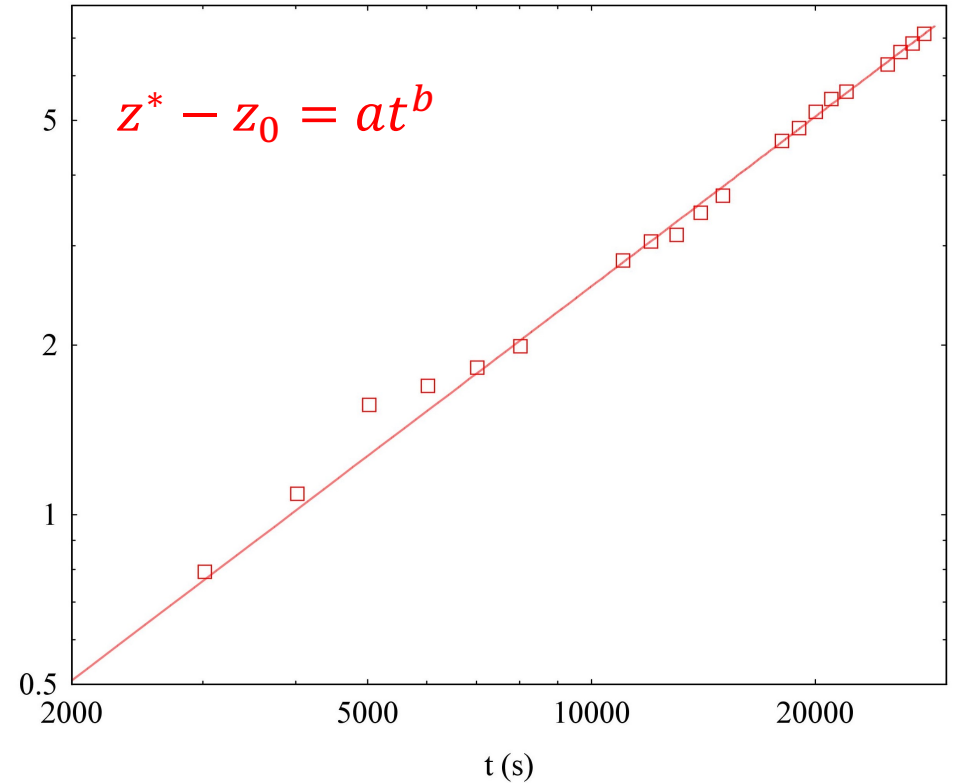
Superdiffusive degradation front

Evolution of degradation front (III): enzyme kinetics



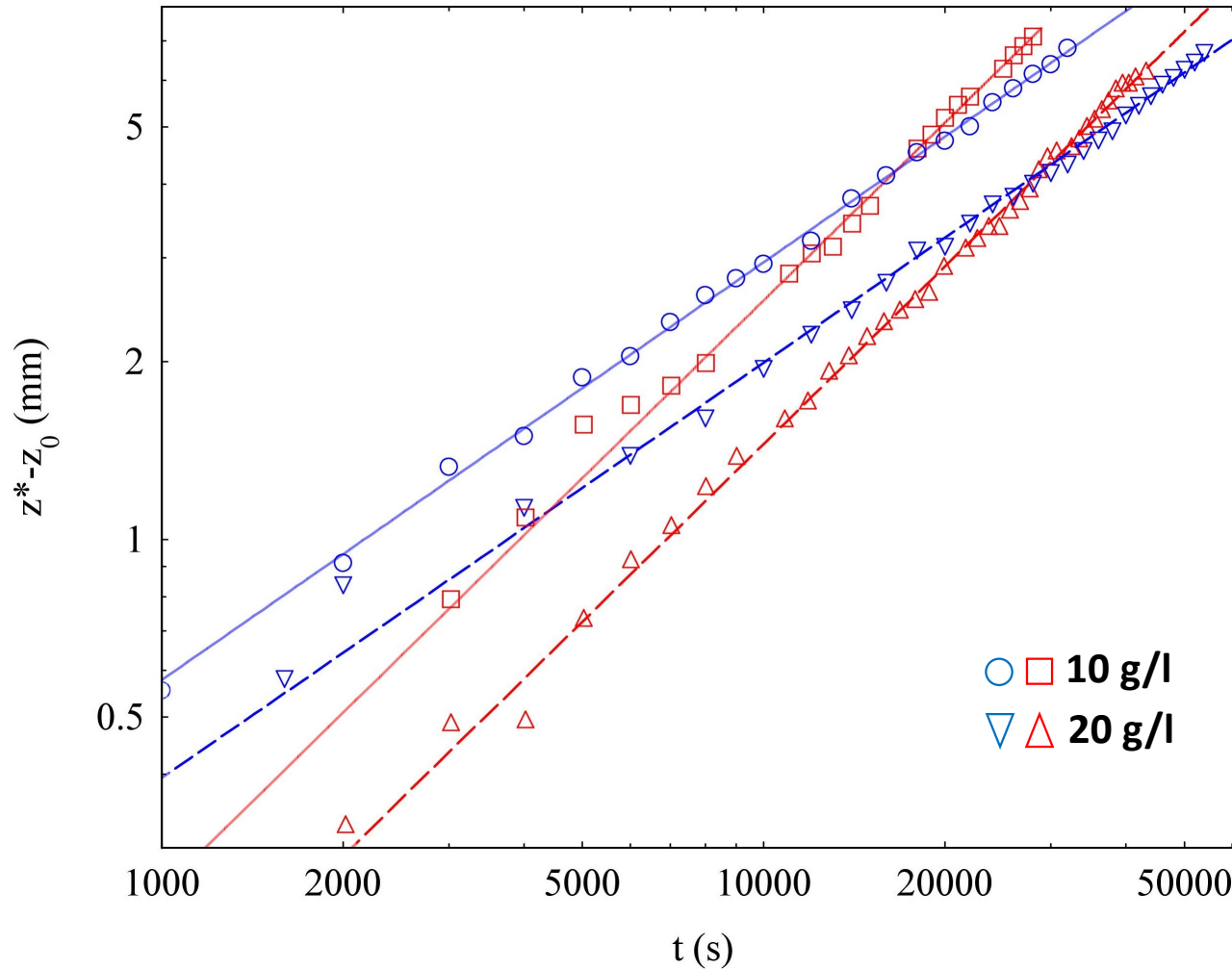
threshold: $I^* \approx 0.1 I_{MAX}$

Diffusion of the enzyme in water:
68 hours vs 15 hours



$a = 0.00034 \text{ mm s}^{-b}$
 $b = 0.99$

**Superdiffusive (linear)
enzyme kinetics**



Gel degradation

$$z^* - z_0 = at^b \begin{cases} b = 0.7 \\ a = 0.0043 \text{ mm/s}^b, 10 \text{ g/l} \\ a = 0.0031 \text{ mm/s}^b, 20 \text{ g/l} \end{cases}$$

Enzyme

$$z^* - z_0 = at \begin{cases} a = 3.4 \cdot 10^{-4} \text{ mm/s}, 10 \text{ g/l} \\ a = 1.5 \cdot 10^{-4} \text{ mm/s}, 20 \text{ g/l} \end{cases}$$

Slower degradation in more concentrated gels

- Simultaneous detection of decomposer kinetics and degrading gel dynamics with a novel experimental setup;

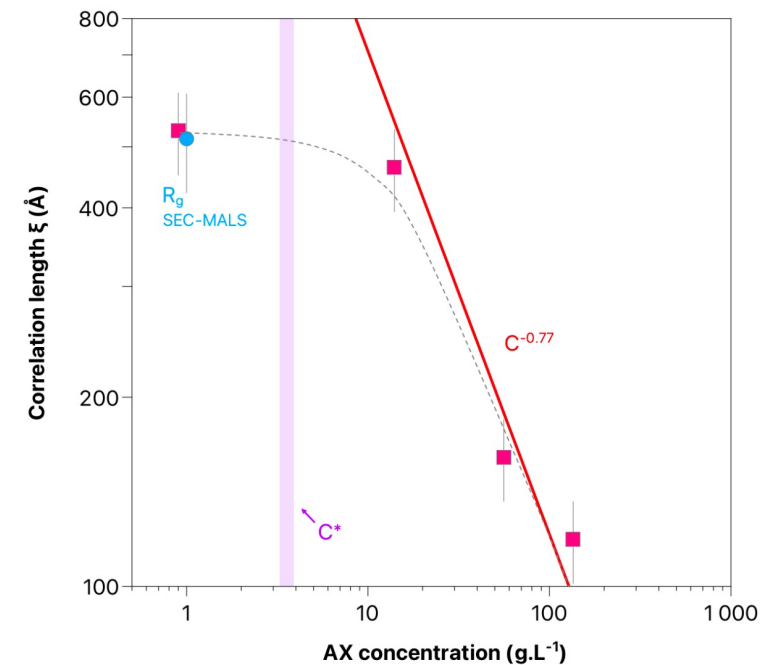
- **Superdiffusive** kinetics of polymer degradation and **enzyme motion**:

$$z^* = at^b, b = 0.7$$

$$z^* = at$$

- Slower degradation in the more concentrated gel;

- Systematic study in polymer solutions at different concentrations, to vary the r/ξ size ratio



Petermann et al. *Biomacromolecules* 24.8 (2023): 3619-3628.



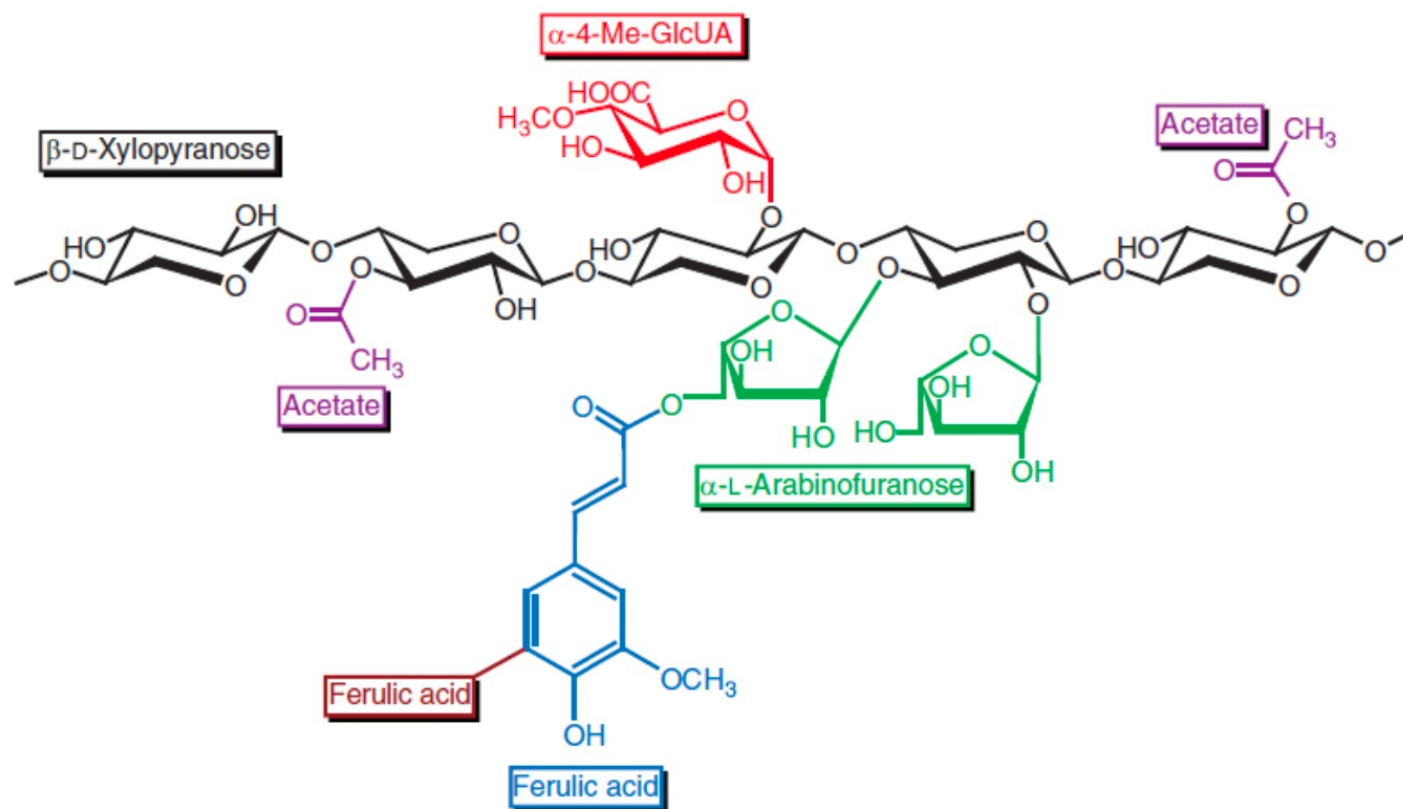
Thank you for the attention!

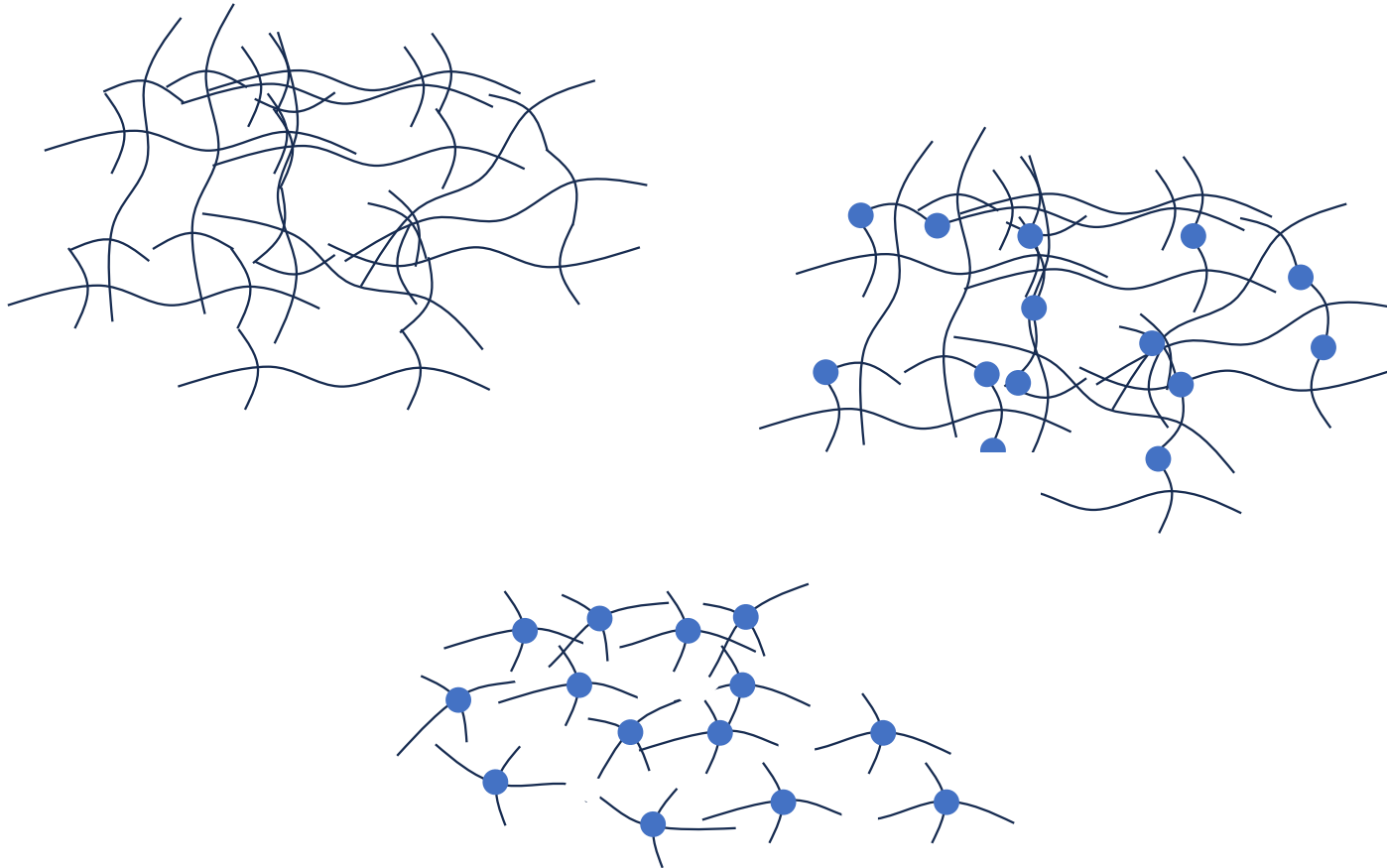


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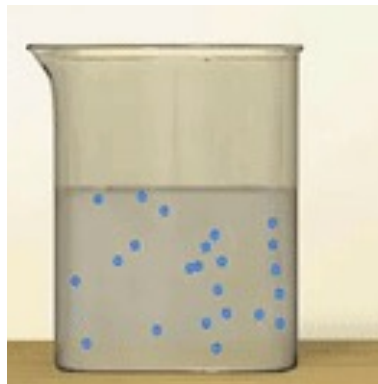
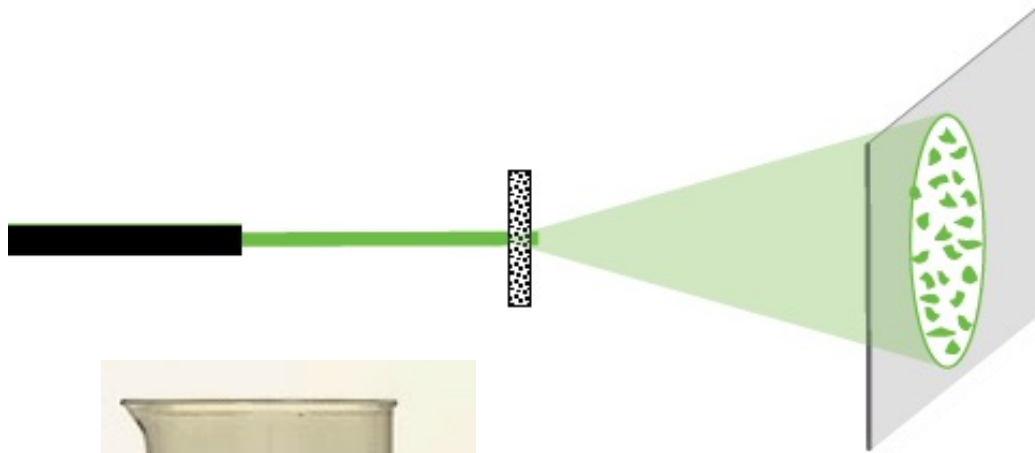
General structure of AX



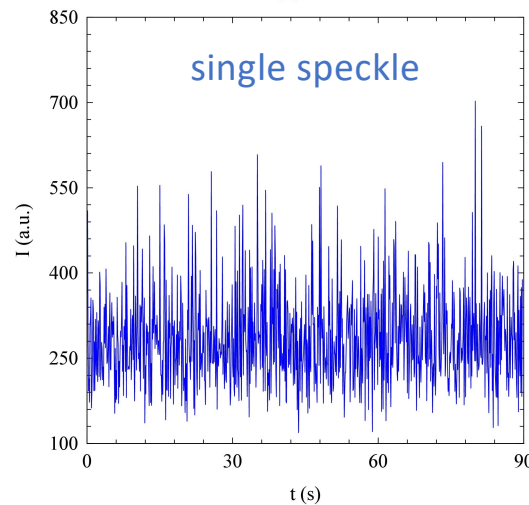




LIGHT SCATTERING

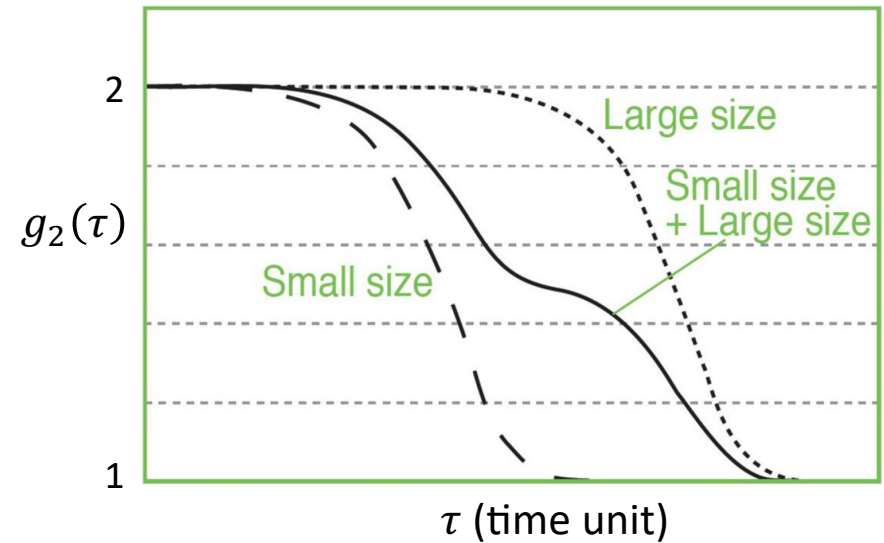


Colloidal suspensions
Polymer solutions



When a diffuser is illuminated by a laser,
a “maculated” pattern forms on the screen
“after” it:

SPECKLE PATTERN



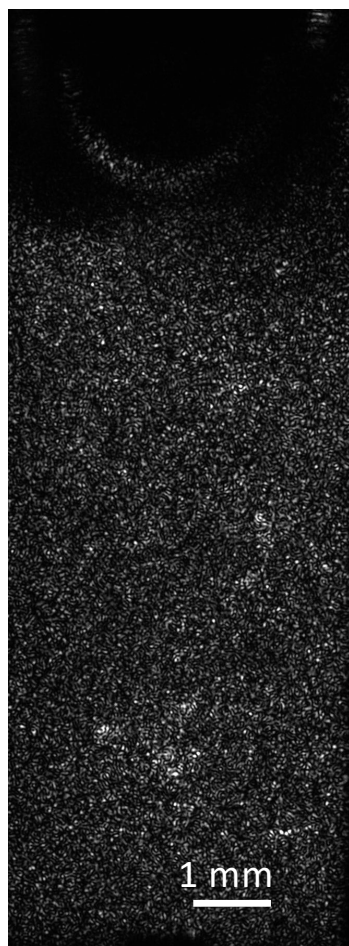
$$g_2(\tau) = \frac{\langle I(t)I(t + \tau) \rangle}{\langle I(t) \rangle^2}$$

●●● Gelation of Feruloylated AX: $c = 10 \text{ g/l}$

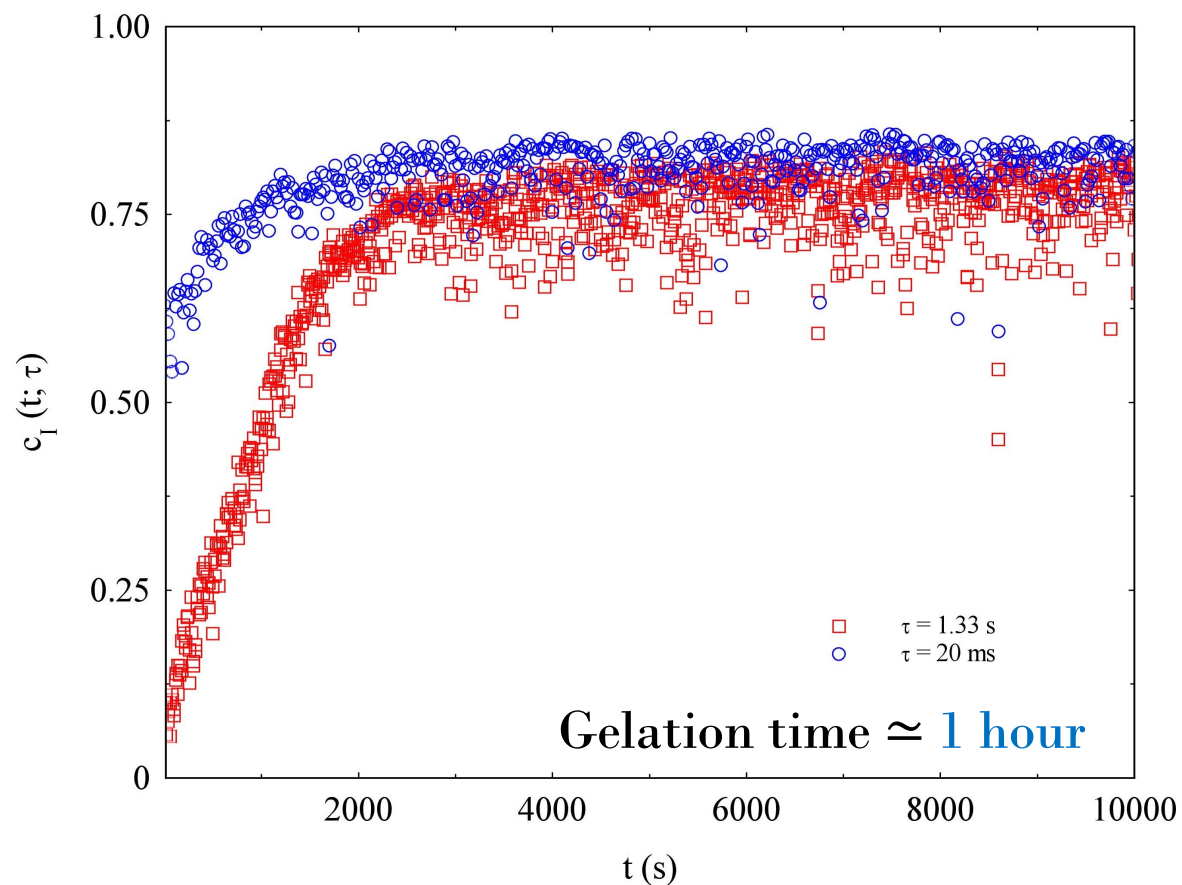


AX: 640 000 g/mol,
ferulic acid content: 2.32 $\mu\text{g}/\text{mg}$,
arabinose/xylose ratio: 0.58

Laccase from
Pycnoporus cinnabarinus
in phosphate-citrate
buffer 50 mM, pH = 5

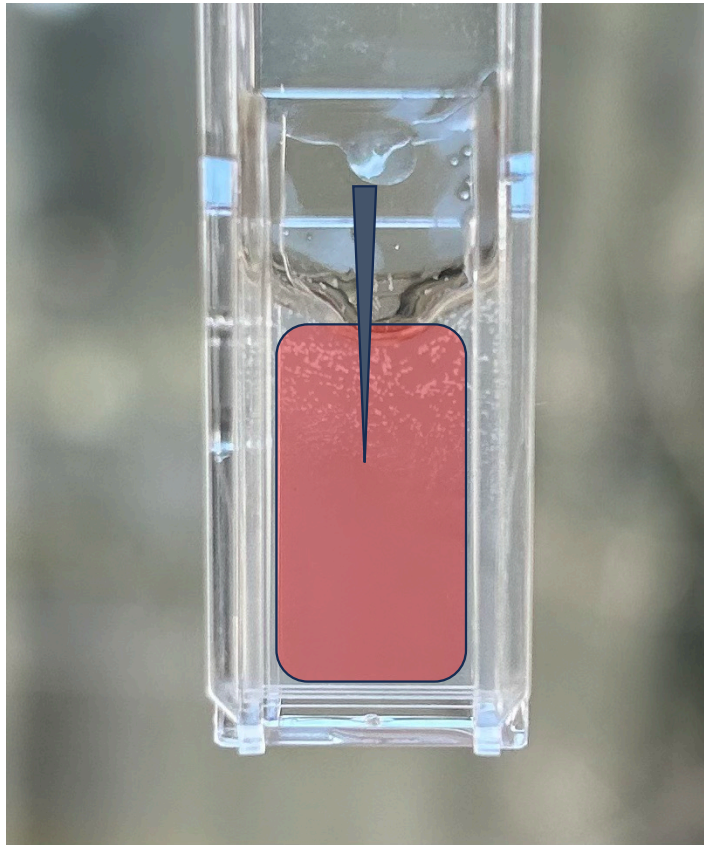


Duration: 3 hours

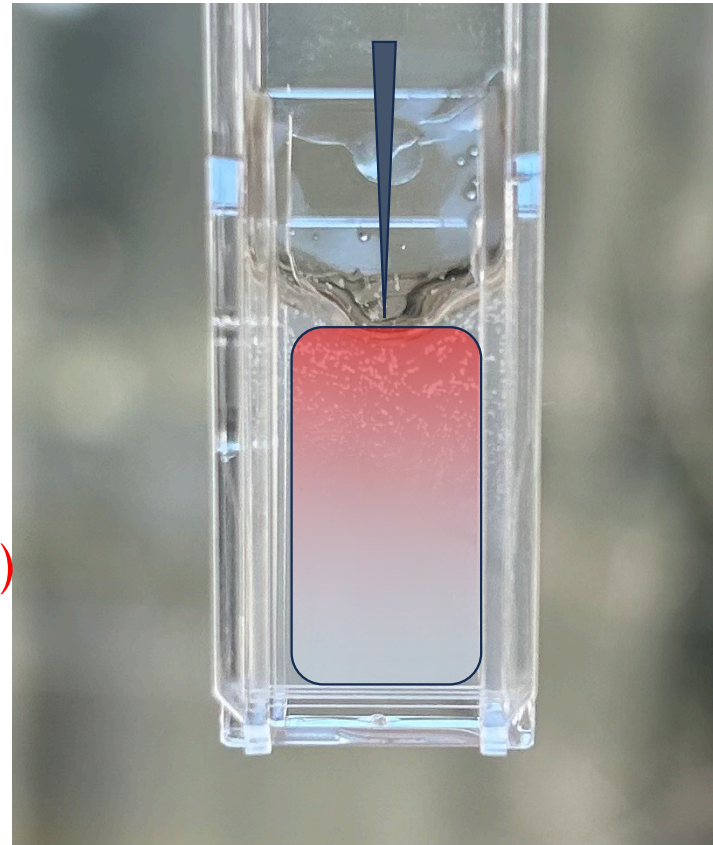


In good agreement with the rheological measurements in
Assor-Antoine, Cassan, Carvajal-Millan, Bouchoux, Micard. ACS Appl. Polym. Mater., 2021.

HOMOGENEOUS



HETEROGENEOUS



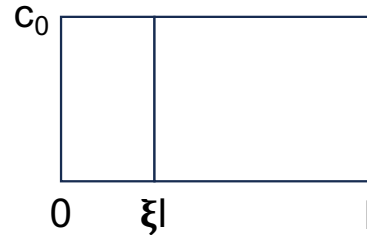
enzyme
(LACCASE)

Crank (1979), Hamada *et al.* (2020).

1D diffusion in a “confined” geometry: theory

$$\frac{\partial c}{\partial t} = D \frac{\partial^2 c}{\partial x^2}$$

$$t = 0: c = c_0 \vartheta(\xi l - x)$$



$$t > 0: \frac{\partial c}{\partial x} = 0, x = 0, l$$

change of variables ↓ $\hat{x} = \frac{x}{l}, \hat{c} \rightarrow \frac{c}{c_0}, \hat{t} \rightarrow \frac{t}{\tau_D} = \frac{t}{l^2/D}$

$$\frac{\partial \hat{c}}{\partial \hat{t}} = \frac{\partial^2 \hat{c}}{\partial \hat{x}^2}$$

$$\hat{t} = 0: \hat{c} = \vartheta(\xi - \hat{x})$$

(enzyme of radius ~ 2 nm)

$$\hat{t} > 0: \frac{\partial \hat{c}}{\partial \hat{x}} = 0, \hat{x} = 0, 1 \quad D = 1.64 \cdot 10^{-10} \text{ m}^2/\text{s}$$

$t \simeq 0.4 \tau_D = 0.4 l^2/D$: equilibrium **68 hours vs 15 hours**

“Unconfined” case*:

$$c(x, t) = \frac{c_0}{2} \left[1 - \operatorname{erf}\left(\frac{x - \xi l}{\sqrt{4Dt}}\right) \right] = \frac{1}{2} \operatorname{erfc}\left(\frac{x - \xi l}{\sqrt{4Dt}}\right)$$

*Notice that if the initial condition is with the ‘opposite’ concentration step $c = c_0 \vartheta(x - \xi l)$ the solution would be:

$$c(x, t) = \frac{c_0}{2} \left[1 + \operatorname{erf}\left(\frac{x - \xi l}{\sqrt{4Dt}}\right) \right]$$

Confined case:

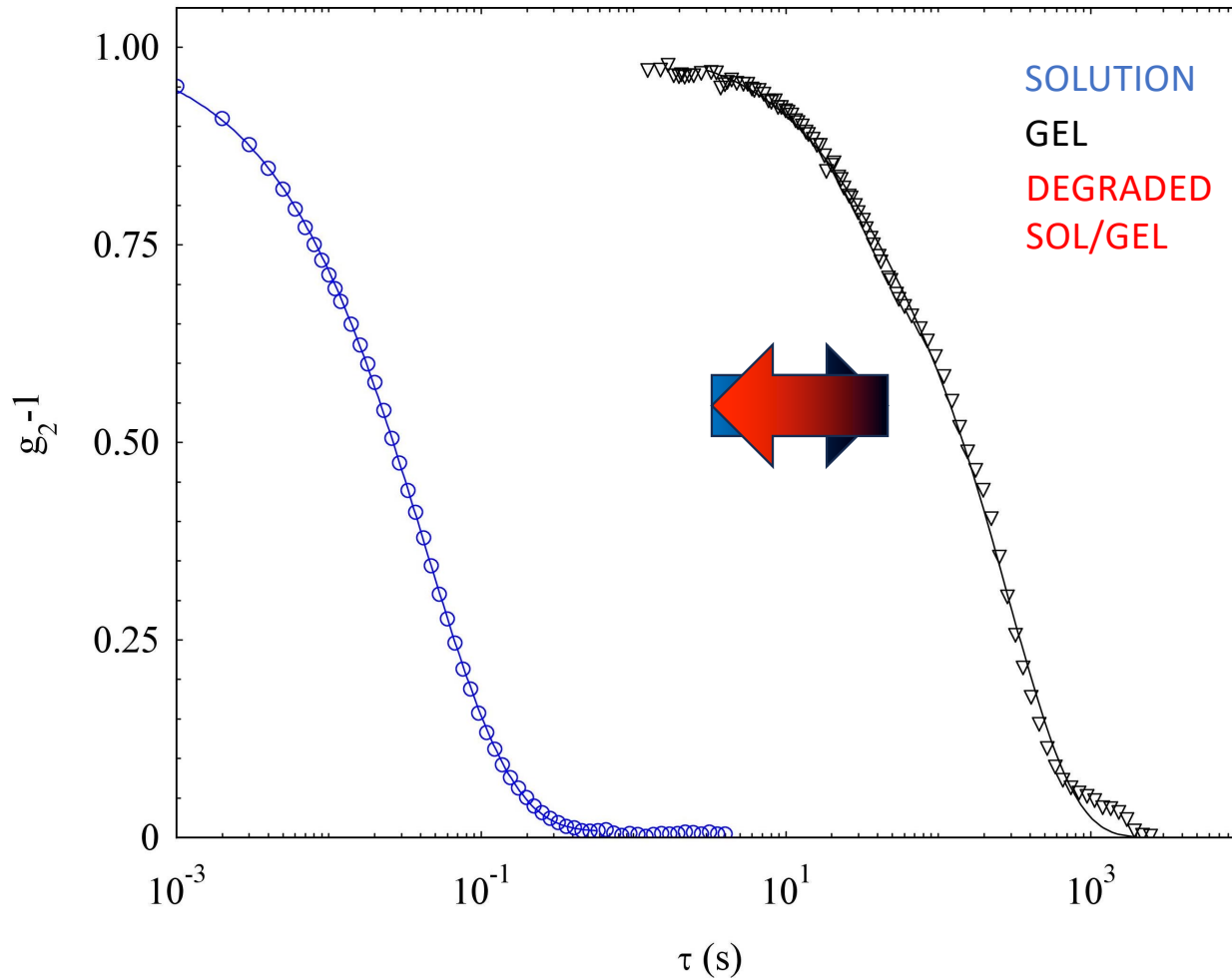
$$\hat{c}(\hat{x}, \hat{t}) = \sum_{m=1}^{\infty} 2 \frac{\sin(\pi m \xi)}{\pi m} \cos(\pi m \hat{x}) e^{-(\pi m)^2 \hat{t}} + c_f$$

$$\hat{t} \ll 1/\pi^2:$$

concentration profile as the unconfined case

$$c_f = \hat{c}(t \rightarrow \infty)$$

$\hat{t} \simeq 0.4$: equilibrium



$$g_2 - 1 = \exp\left(-2\left(\frac{\tau}{\tau_D}\right)^\beta\right)$$

$$\beta = 0.752; q\xi \gg 1$$

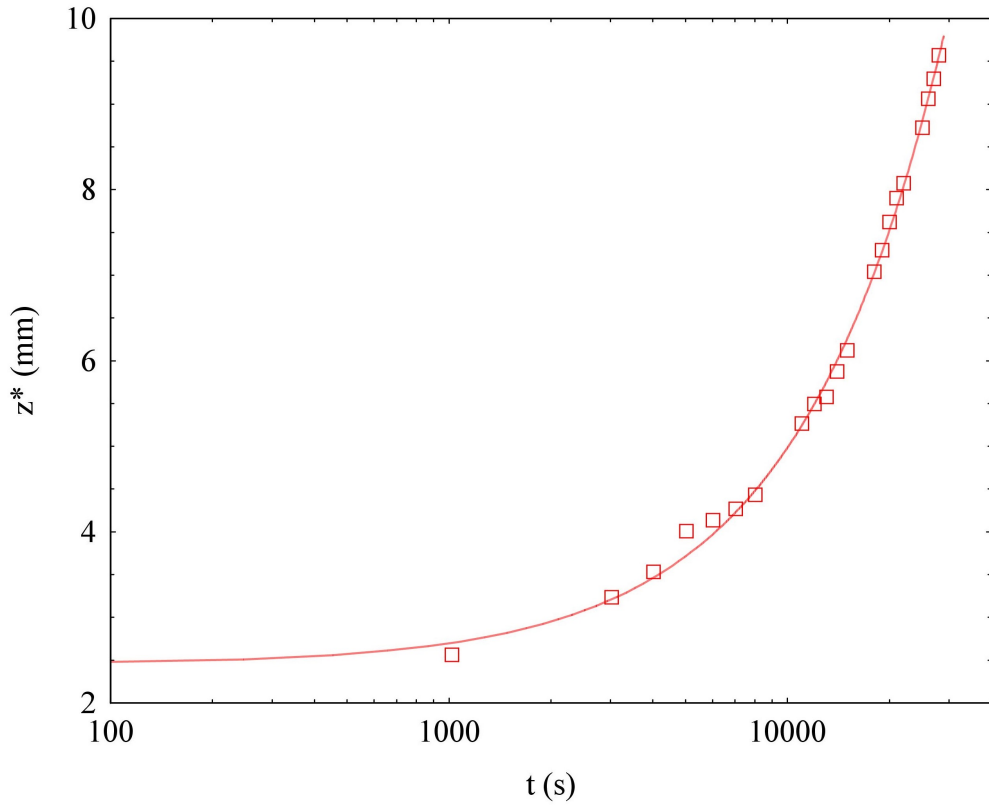
concentrated regime: $\tau \uparrow, c \uparrow$

Kroy, Klaus, and Erwin Frey.
Physical Review E 55.3 (1997): 3092.

- Increase of the relaxation time during gelation
- Same relaxation time from degraded gel and degraded solution

$$\beta = 0.876; qRg \gg 1$$

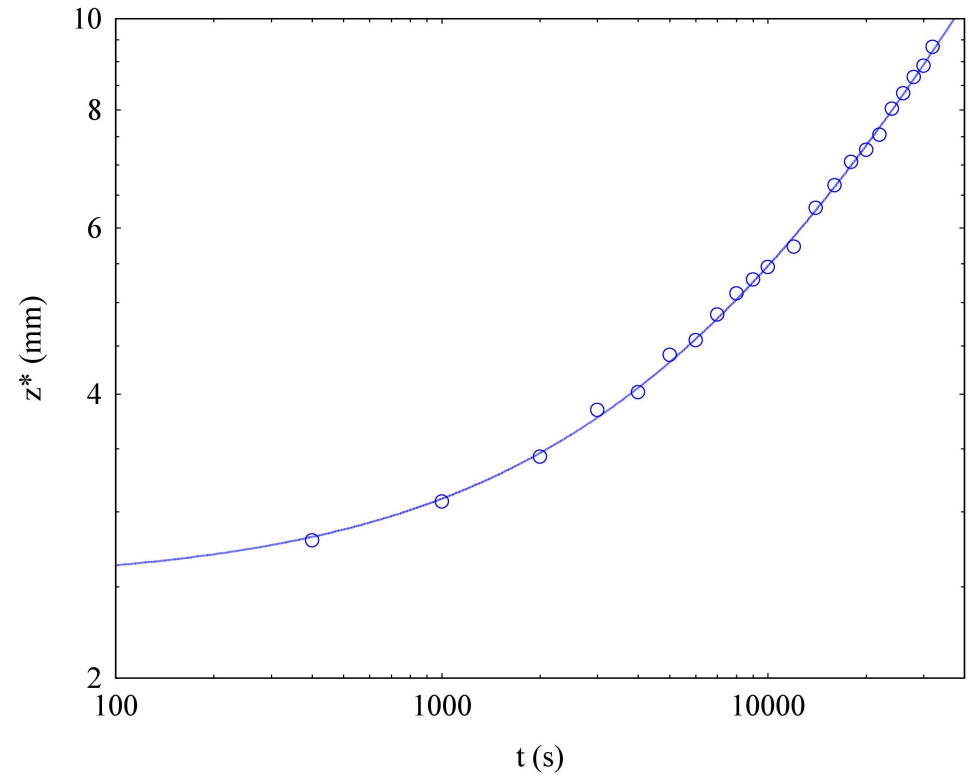
diluted regime: $\tau = \text{const}, c \downarrow$



$$z^* = at^b + c$$

$$a = 0.00034 \text{ mm s}^{-b}$$

$$b = 0.99$$

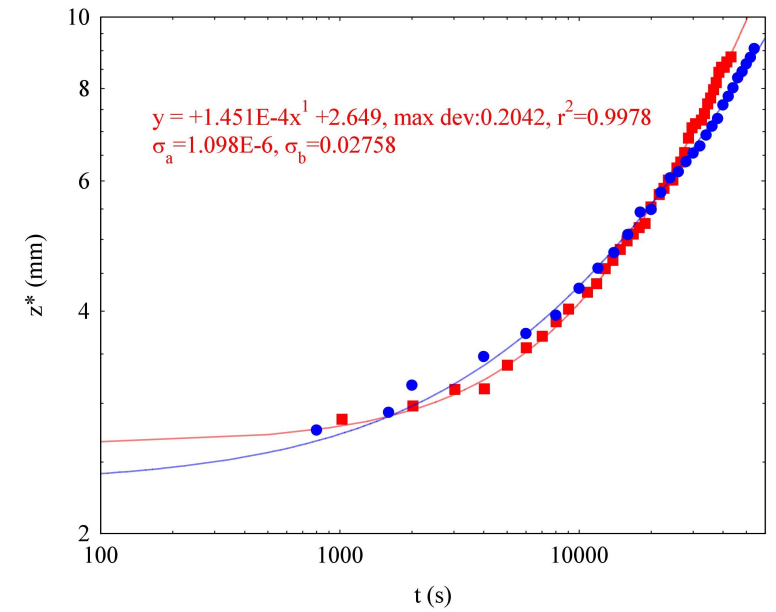
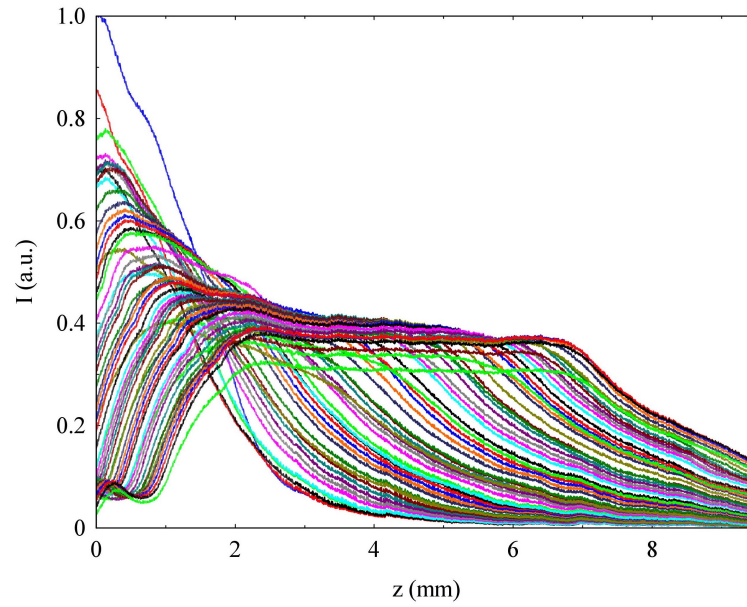
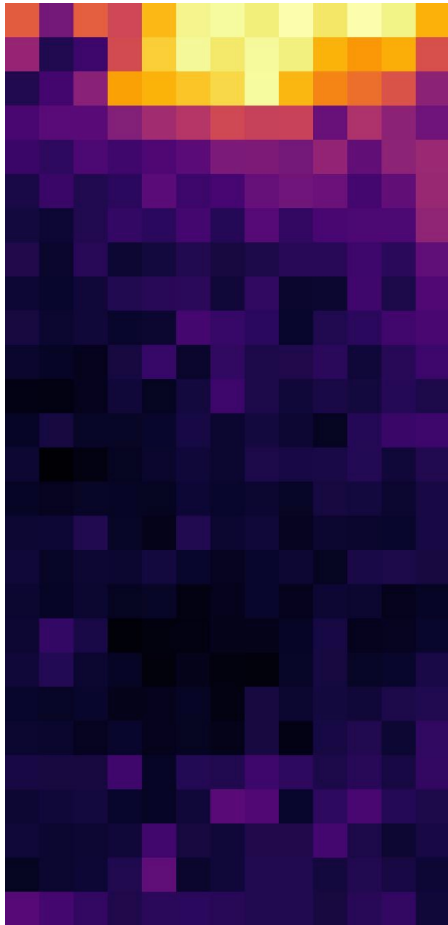


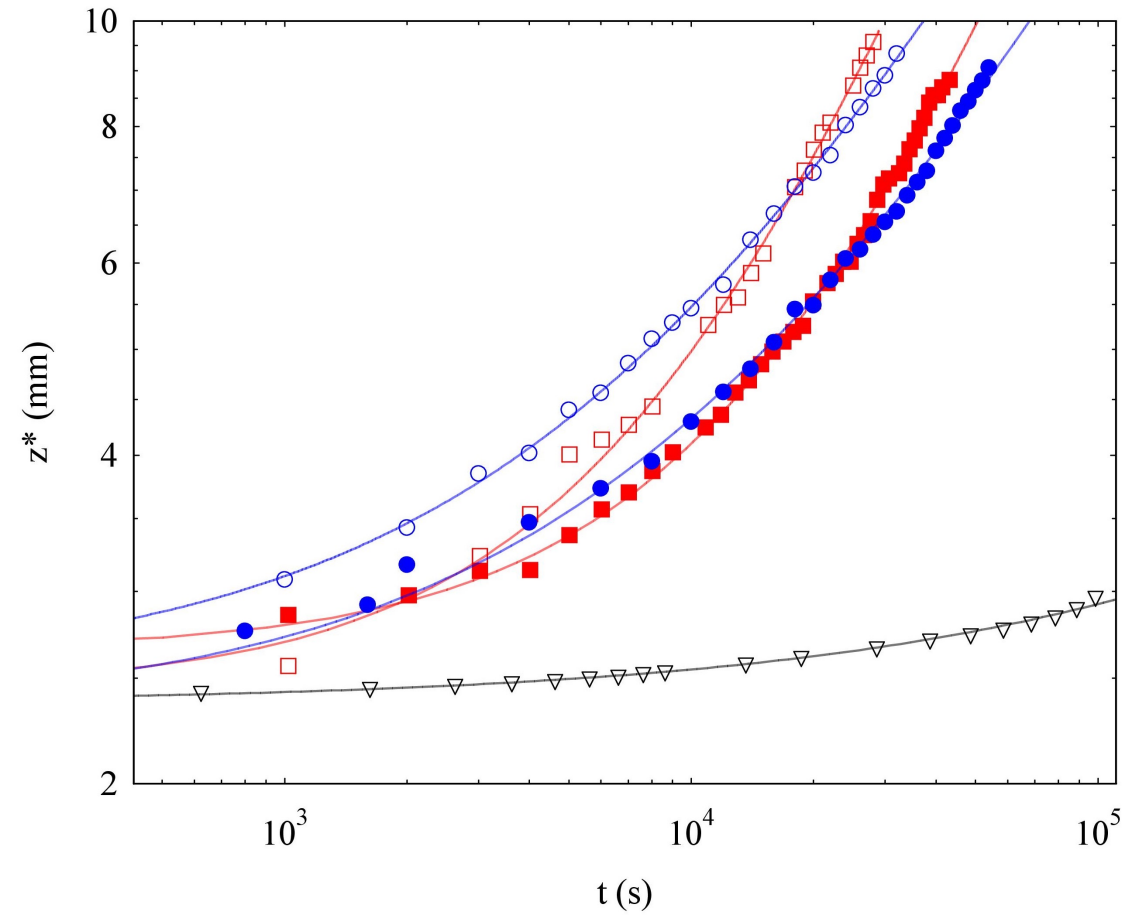
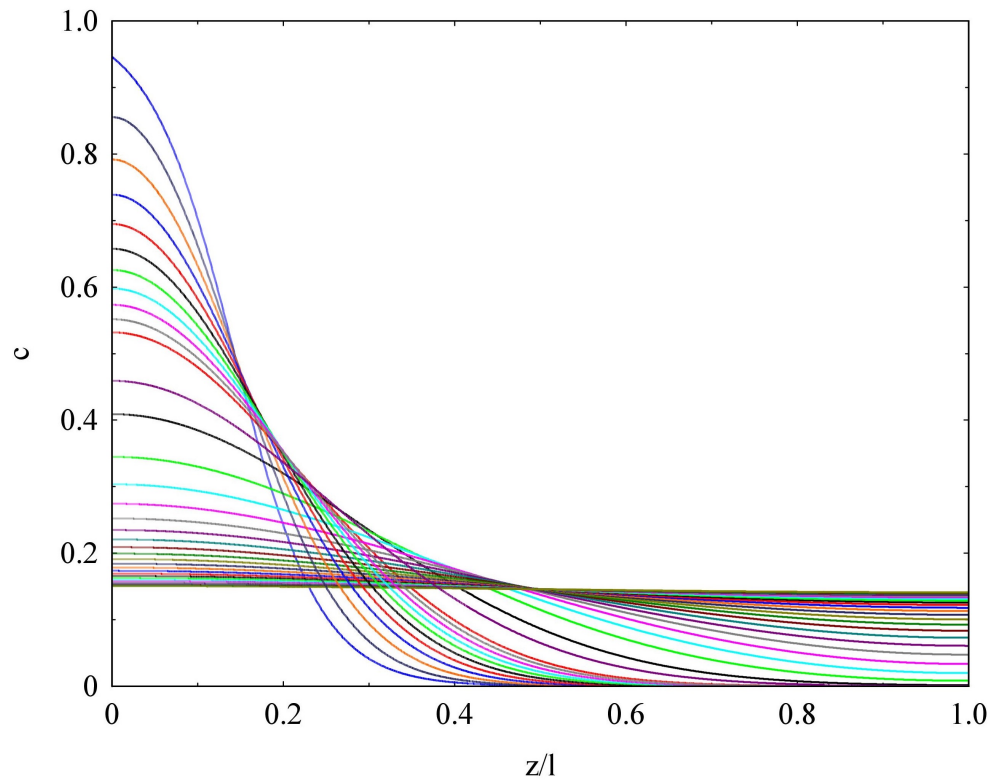
$$z^* = at^b + c$$

$$a = 0.00434 \text{ mm s}^{-b}$$

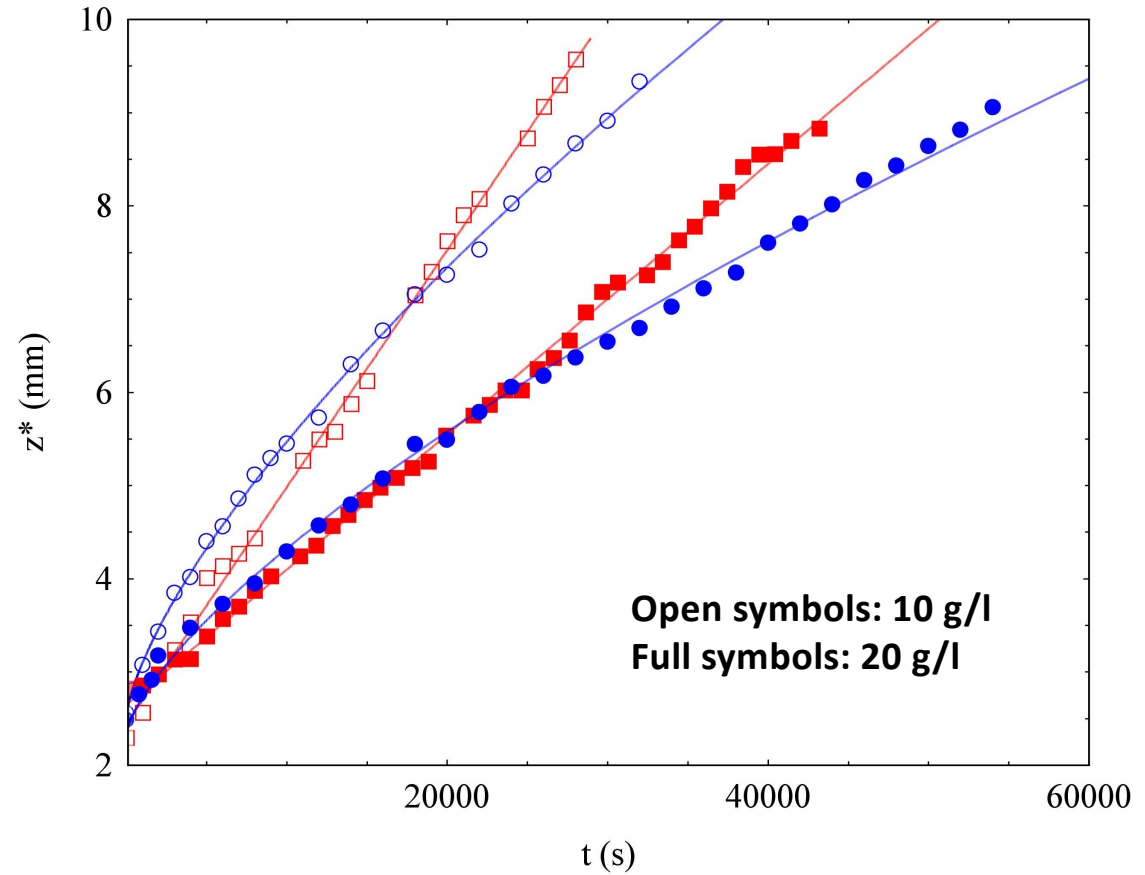
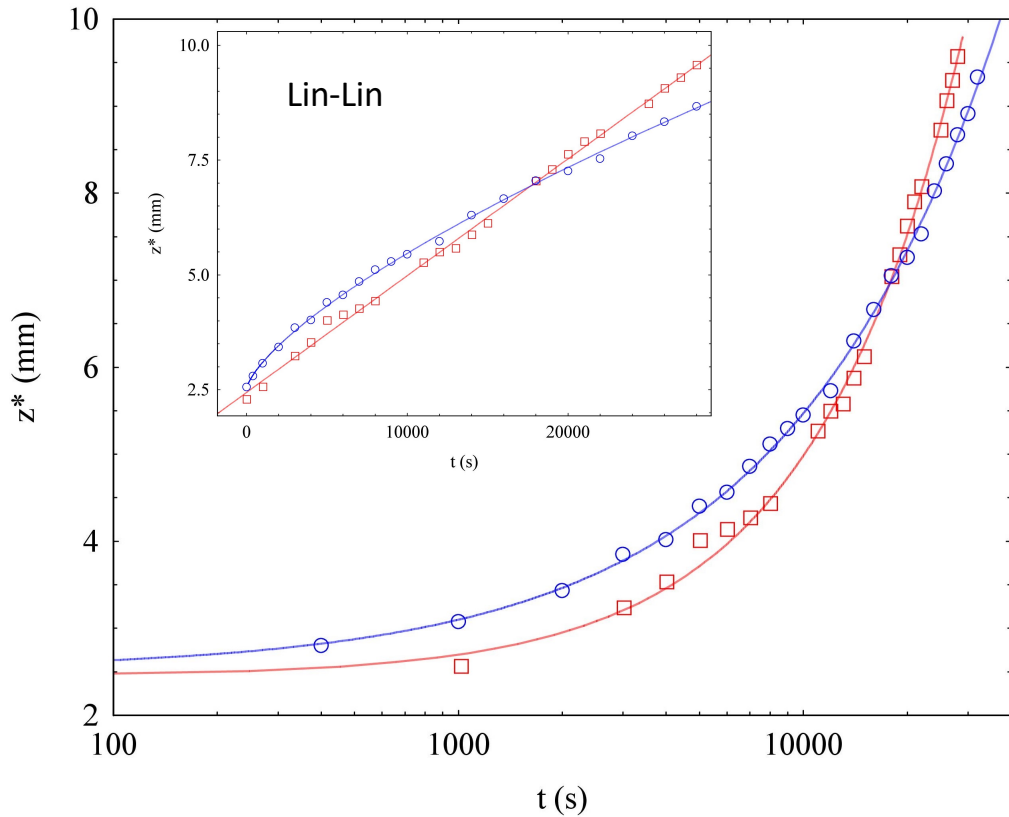
$$b = 0.708$$

20 g/l





Comparison: $c = 10 \text{ g/l}$ & $c = 20 \text{ g/l}$



Gel degradation

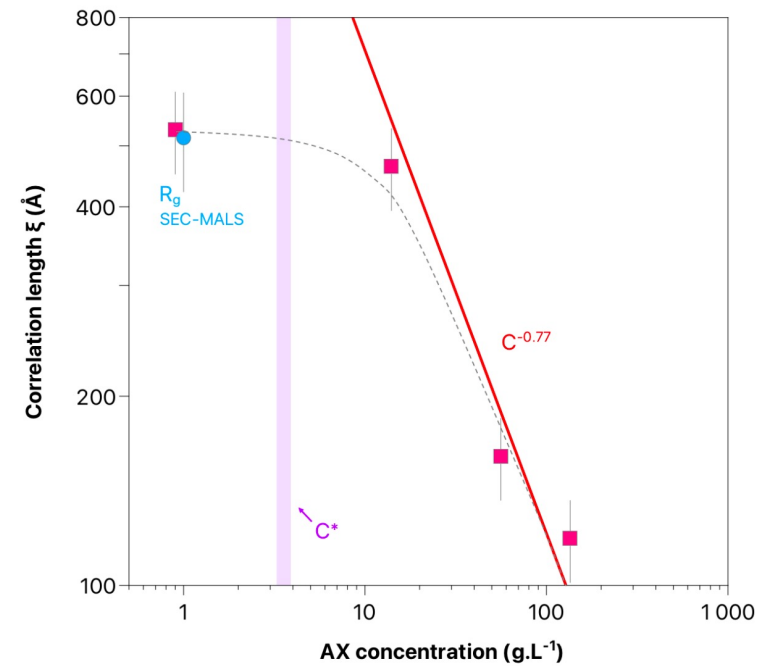
$$z^* = at^b + c \quad \left\{ \begin{array}{l} b = 0.7 \\ a = 0.00434 \text{ mm/s}^b, 10 \text{ g/l} \\ a = 0.00305 \text{ mm/s}^b, 20 \text{ g/l} \end{array} \right.$$

Open symbols: 10 g/l
Full symbols: 20 g/l

$$\text{Enzyme } z^* = at + c \quad \left\{ \begin{array}{l} a = 3.38 \cdot 10^{-4} \text{ mm/s}, 10 \text{ g/l} \\ a = 1.45 \cdot 10^{-4} \text{ mm/s}, 20 \text{ g/l} \end{array} \right.$$



- Experimental study of inactive enzyme diffusion in water;
- Systematic study in polymer solutions at different concentrations, to vary the r/ξ size ratio (also with inactive enzymes);
- SAXS/SANS to unravel the gel structure before/during/after degradation;



Petermann et al. *Biomacromolecules* 24.8 (2023): 3619-3628.